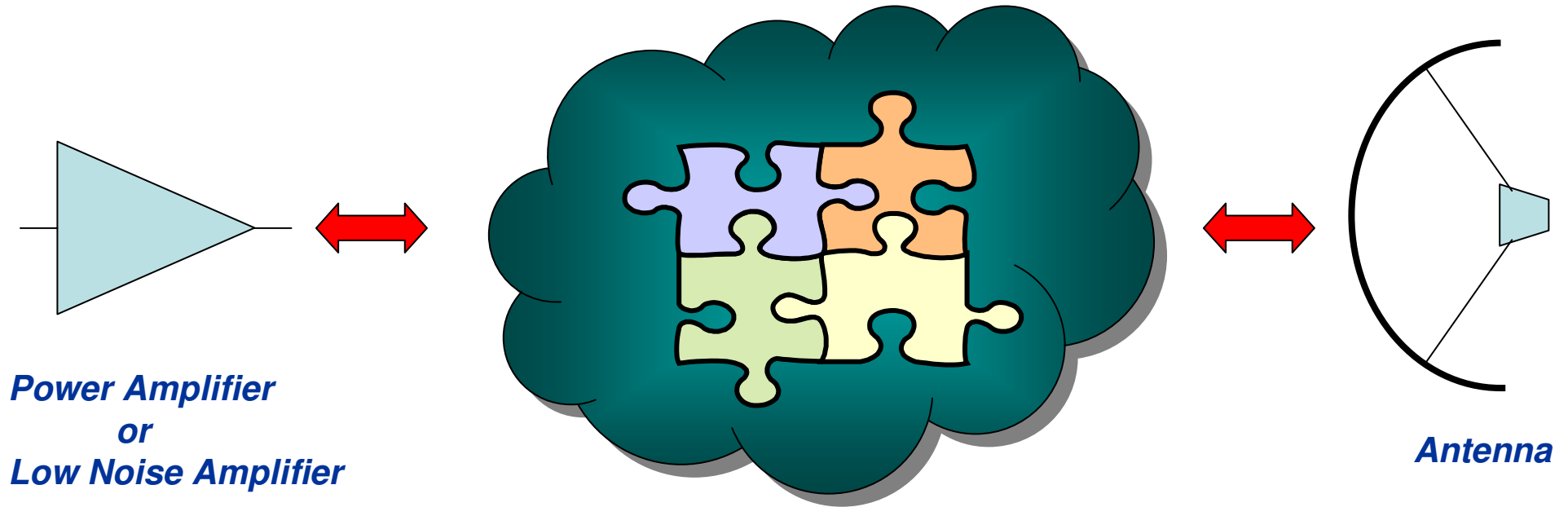

“ Waveguide Subsystems for Antenna Feed ”

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*** *Departamento de Ingeniería de Comunicaciones
Escuela Técnica Superior de Ingenieros de Telecomunicación
Universidad de Cantabria (UNICAN) – España***

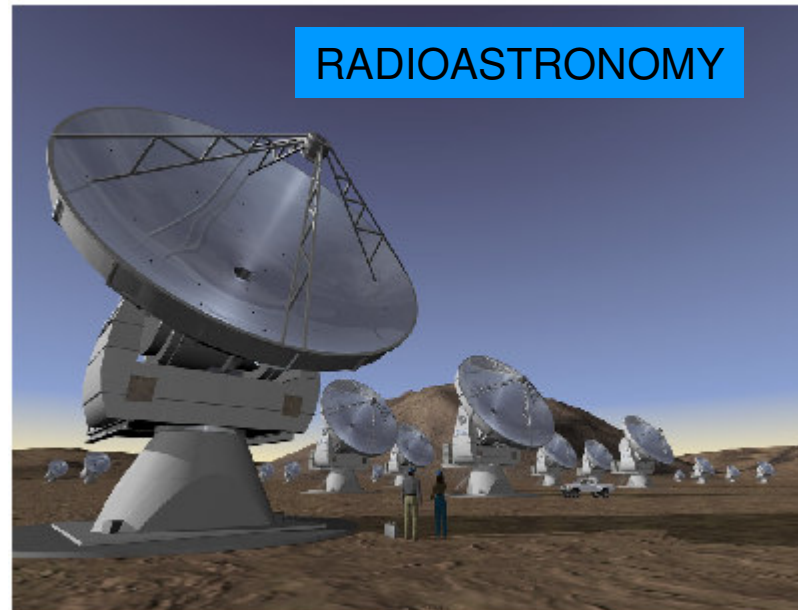
**** *Departamento de Telecomunicaciones
Instituto Superior Técnico José Antonio Echeverría (ISPJAE)
La Habana - Cuba***



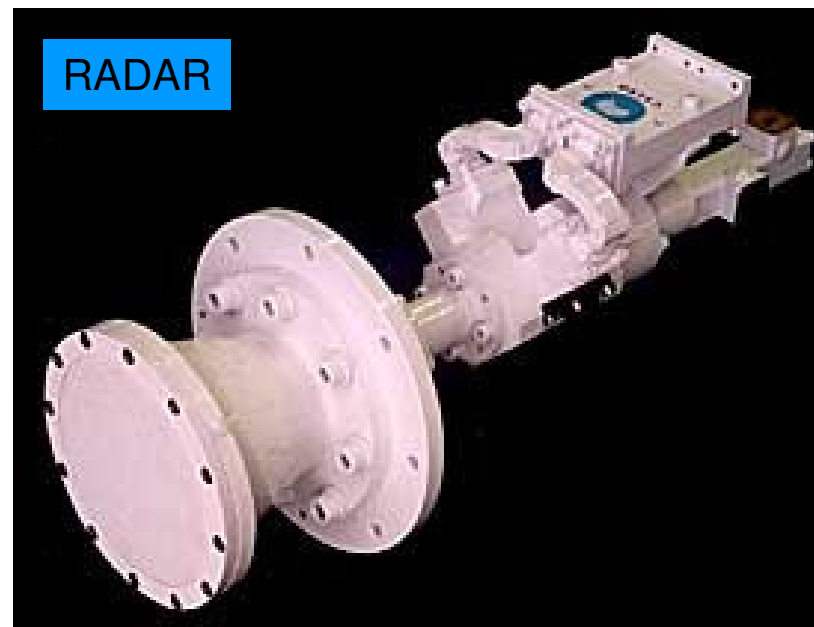
MULTIPLE FEED



RADIOASTRONOMY



RADAR



Bricolage also WORKS

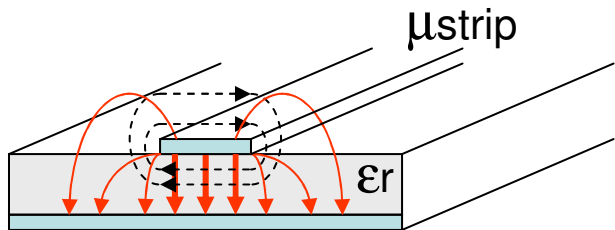
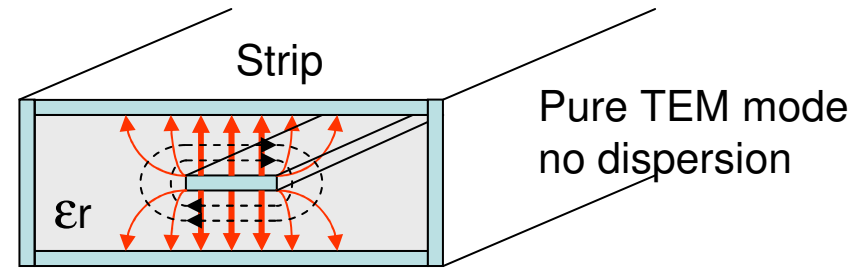
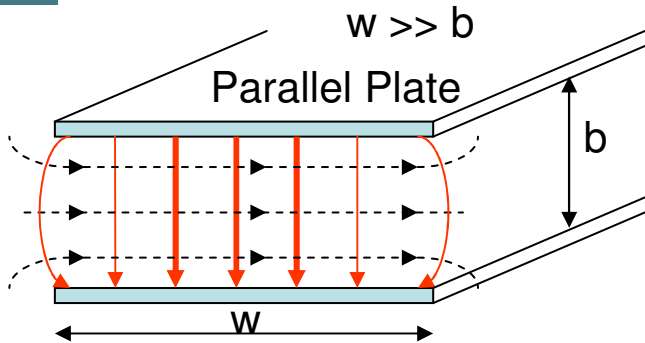


N type Connector



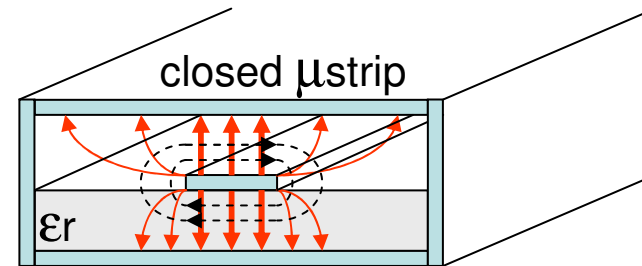
Circular Waveguide

“Planar” Transmission Lines

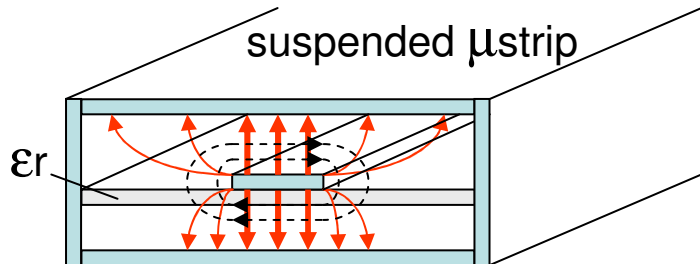


Important dispersion
Radiation Losses

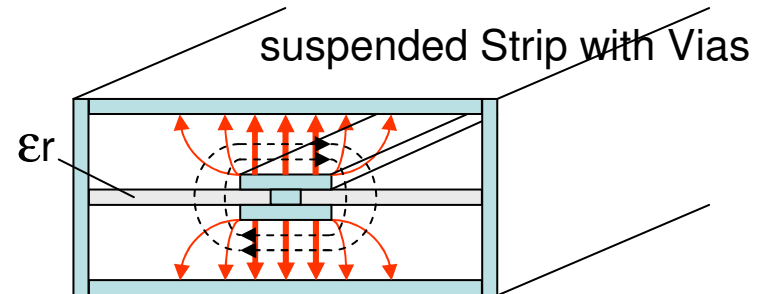
Propagate
TEM or
quasi-TEM



No radiation Losses
Waveguide modes could appear

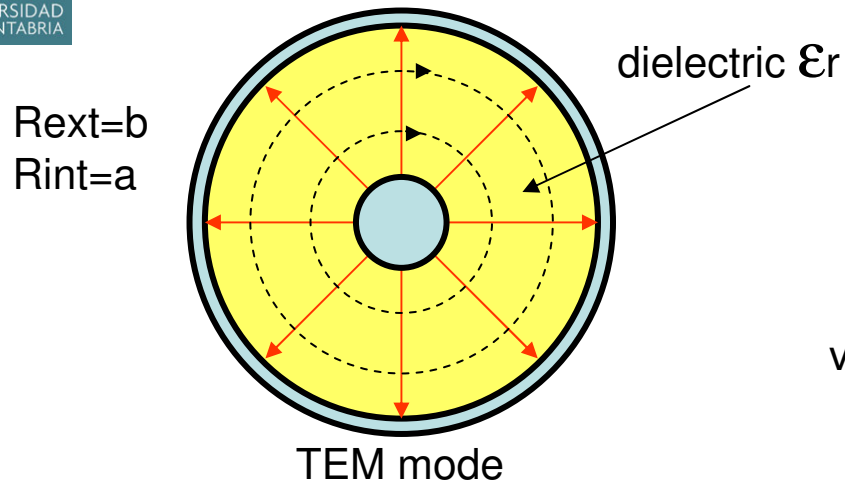


Small Losses
In the dielectric



No dielectric Losses
No dispersion

“Coaxial” Transmission Lines”



$$Z_0 = 60 \cdot (\mu_r / \epsilon_r)^{0.5} \cdot \ln(b/a)$$

$$v_p = c / (\mu_r \cdot \epsilon_r)^{0.5} \quad \longrightarrow \quad \lambda = \lambda_0 \cdot (v_p/c)$$

$$\text{general: } \lambda_g = \lambda_0 / (\epsilon_r)^{0.5}$$

Attenuation in dB/m: $\alpha = \alpha_c + \alpha_d$

$$\alpha_c = 13.6 \frac{\delta_s \cdot (\epsilon_r)^{0.5} \cdot [1 + b/a]}{\lambda_0 \cdot b \cdot \ln(b/a)}$$

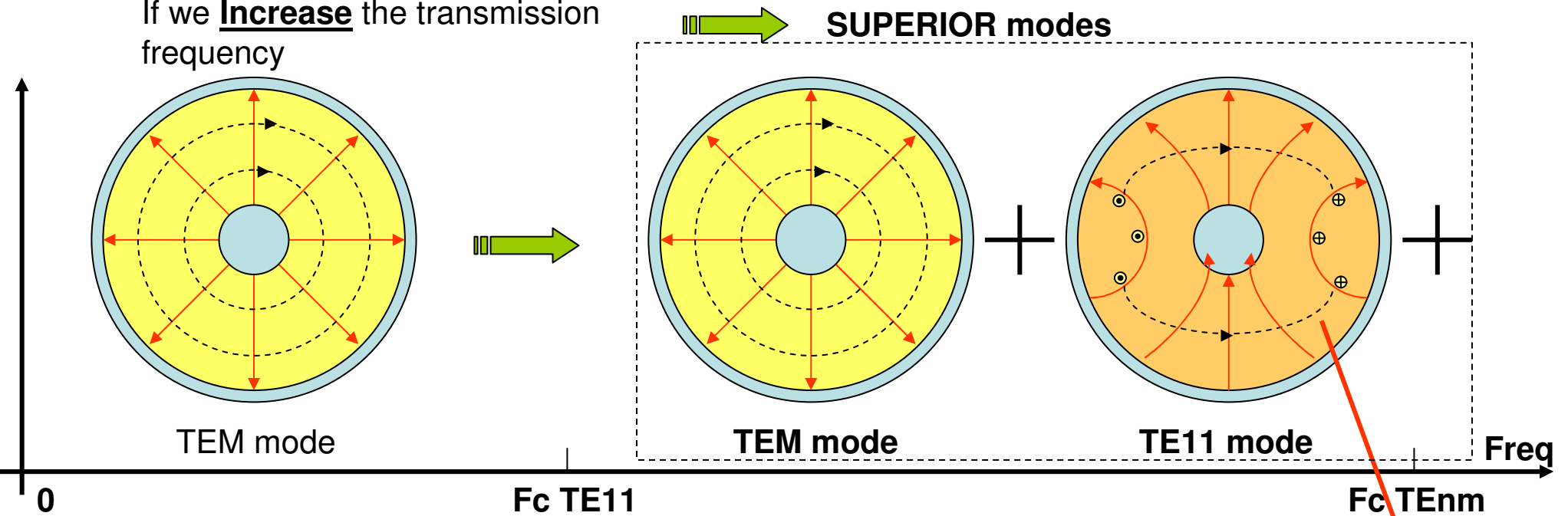
$$\alpha_d = 27.3 \frac{(\epsilon_r)^{0.5} \cdot \tan \delta}{\lambda_0}$$

in db/m

- δ_s : Skin effect
- $\tan \delta$: dielectric

Both values increase with Frequency

If we **Increase** the transmission frequency



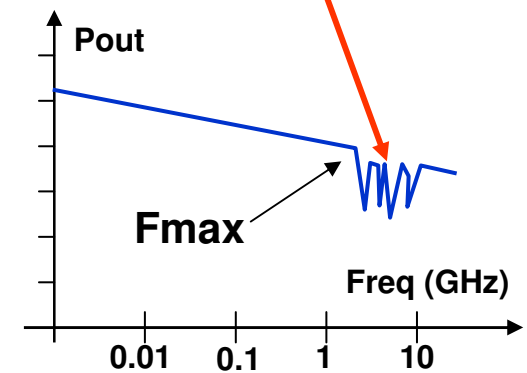
Nearest superior mode : TE11

(for $b/a < 7$) approximate $\lambda_c = \pi \cdot (a+b) \rightarrow F_c = \frac{c}{\pi (a+b) (\mu_r \cdot \epsilon_r)^{0.5}}$

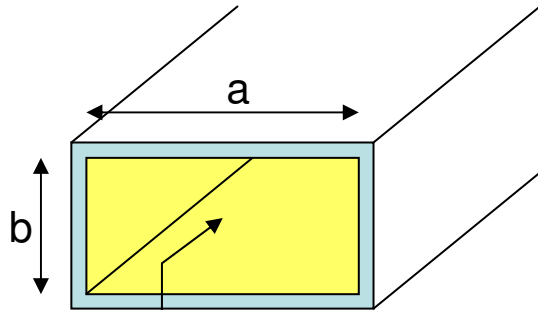
Example : SMA connector $2b=4.1\text{mm}$ $2a=1.26\text{mm}$ $\epsilon_r=2.0$

$\rightarrow Z_c=50\text{ohm}$

$F_c (\text{TE}_{11}) = 25 \text{ GHz}$



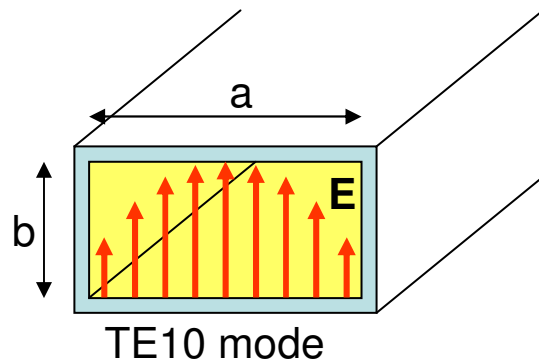
Safely: $F_{max}=0.9F_c$



Multiple Modes
TE_mn y TM_mn
Depending on the working
frequency
Usually a=2b

Standard Rectangular Waveguides

WR	BW TE ₁₀ (GHz)	F _c TE ₁₀ (GHz)	Power (MW)	Attn dB/33m	Dimensions axb (mm)	BAND
229	3.3-4.9	2.57	2	1	58.17x29.08	S
137	5.85-8.2	4.3	0.6	2.2	34.8x15.8	C
112	7.05-10.0	5.25	0.4	3	28.5x12.6	XI
90	8.2-12.4	6.55	0.25	4.8	22.86x10.16	X
62	12.4-18	9.48	0.12	5.4	15.8x7.9	KU
42	18-26.5	14.05	0.045	15	10.7x4.3	K
28	26.5-40	21.08	0.025		7.11x3.56	KA
22	33-50	26.34	0.016		5.7x2.8	Q
10	75-110	59.01	0.003		2.54x1.27	

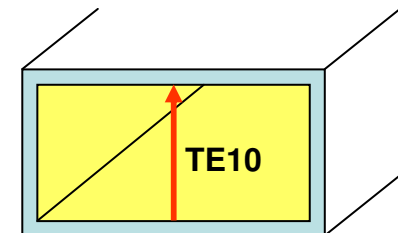


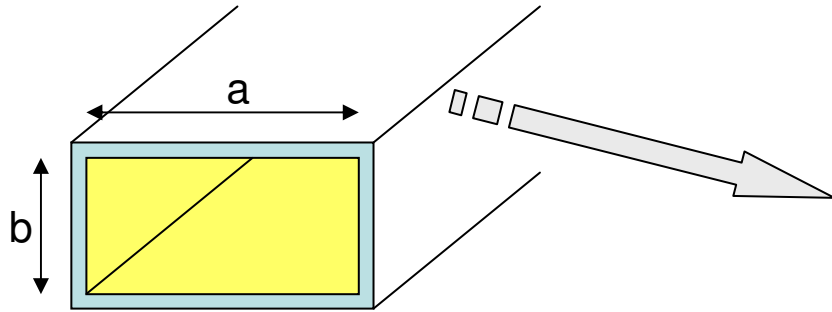
$$F_c = c/2 \cdot [(m/a)^2 + (n/b)^2]^{0.5}$$

for TE_mn on air

$$\text{BW TE}_{10}: 1.2F_{c\text{TE}_{10}} \text{ y } 1.9F_{c\text{TE}_{10}}$$

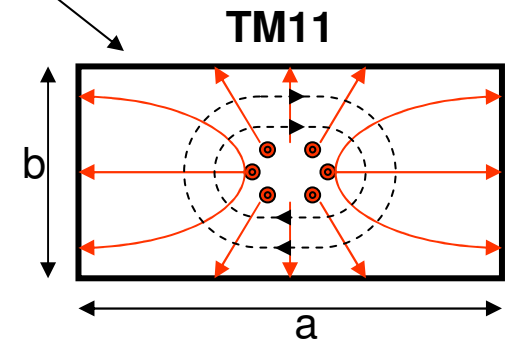
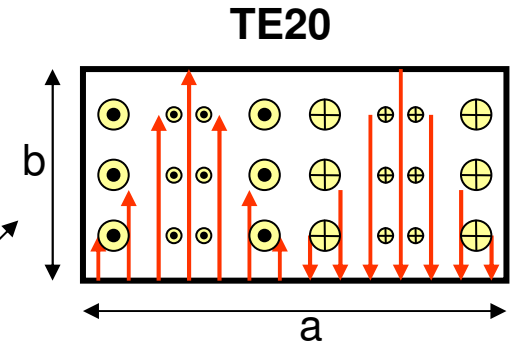
Cutoff Frequency TE_mn





Example: WR90 (X band)
 $a=22.86\text{mm}$
 $b=10.16\text{mm}$

Mode	$F_c(\text{GHz})$
TE10	6.557
TE20	13.114
TE01	14.753
TE11	16.145
TM11	16.145
TE30	19.671
TE21	19.739
TM21	19.739
TE31	24.589
TM31	24.589
TE40	26.228



$$F_c = c/2 \cdot [(m/a)^2 + (n/b)^2]^{0.5}$$

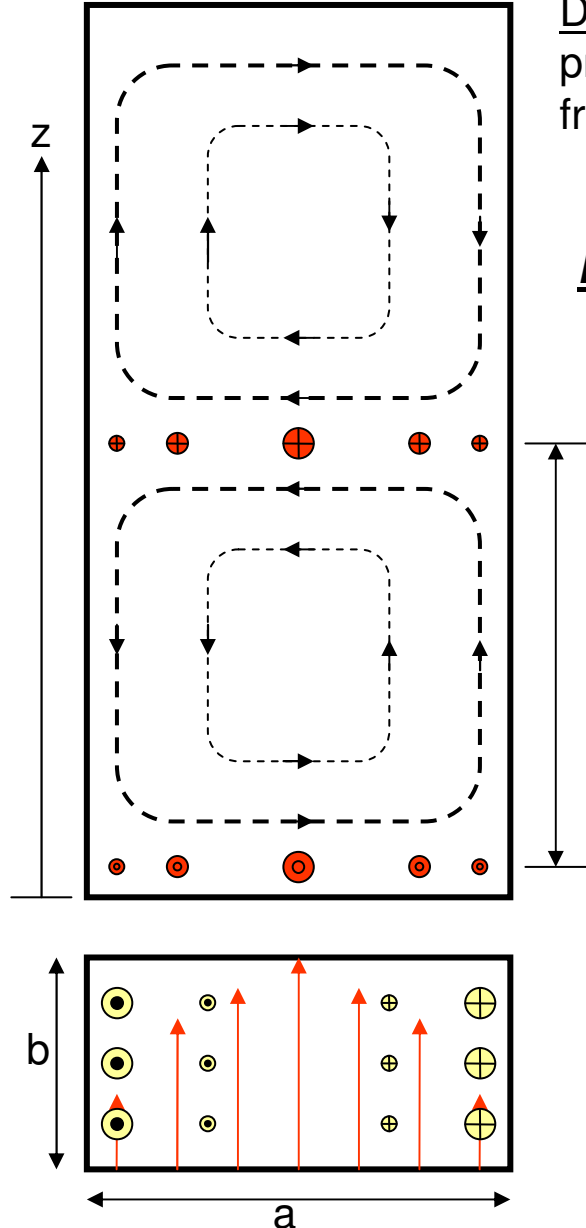
for TE_{mn}

Cutoff Frequency TE_{mn}

BW TE10: 1.2 F_{c10} y 1.9 F_{c10}

BW=33%

TE₁₀ mode



Dispersive world:
properties vary with frequency

Empty Waveguide

$$\lambda_c = c / F_c = 2.a$$

Cutoff wavelength

$$\lambda_g = \frac{\lambda_o}{[1 - (\lambda_o/\lambda_c)^2]^{0.5}}$$

Guided wavelength

$$\beta = 2\pi / \lambda_g$$

Prop. Constant

$$Z_c = 120\pi.(b/a).(\lambda_g/\lambda_o)$$

Z_c Power-Voltage

$\lambda_g/2$

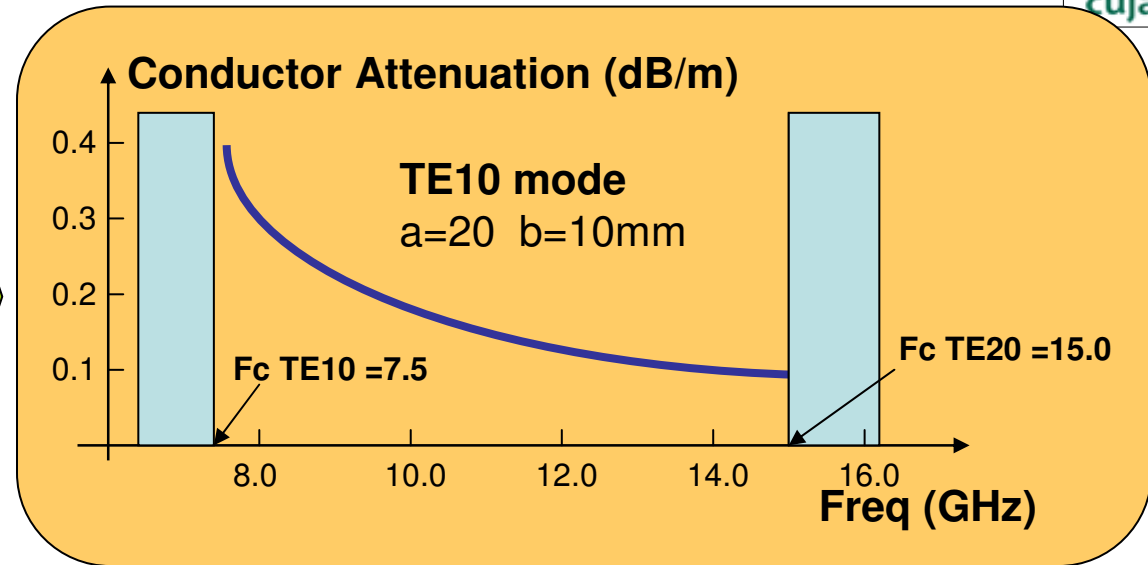
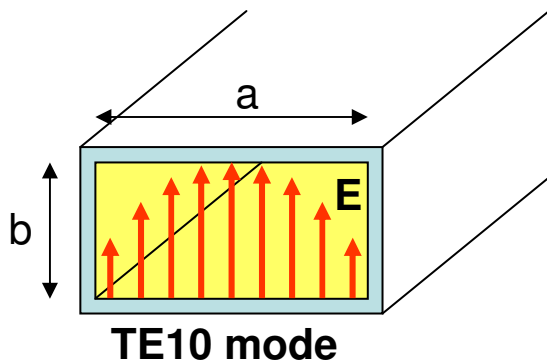
Waveguide Losses in dB/m:

$$\alpha_d = \frac{27.3 \tan\delta}{\lambda_o [1 - (F_c/F)^2]^{0.5}}$$

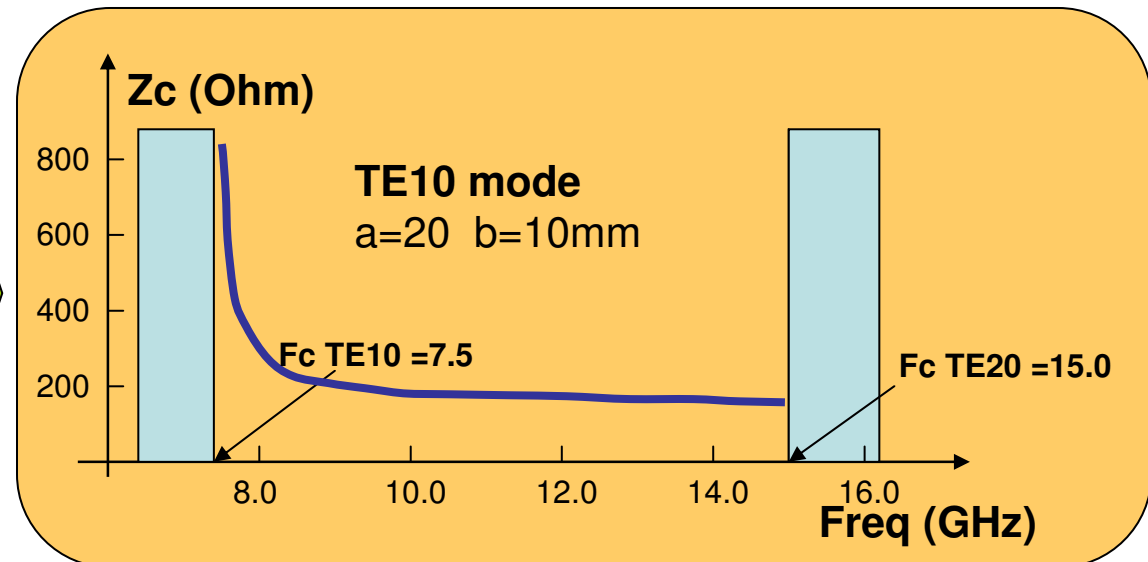
$$\alpha_c = \frac{27.3 \delta_s [1 + 2b/a.(F_c/F)^2]}{\lambda_o.b [1 - (F_c/F)^2]^{0.5}}$$

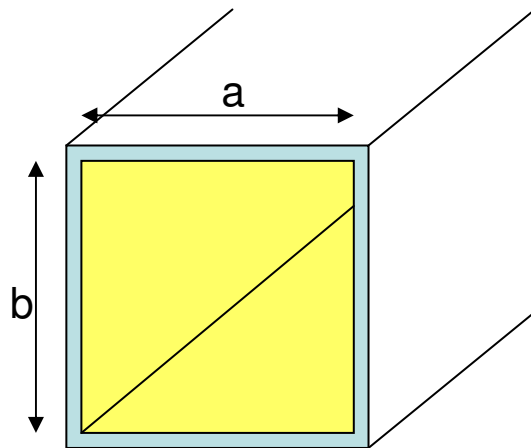
Empty Waveguide: only conductor losses, and they are Considerably lower with respect to a coaxial

Rectangular waveguide works like a **High-Pass FILTER**. Cutoff frequency is the mode cutoff.



Highly Dispersive Transmission Line





$$F_c = c/2 \cdot [(m/a)^2 + (n/b)^2]^{0.5}$$

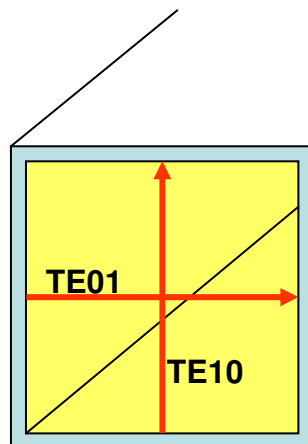
para TE_{mn}

Cutoff frequency TE_{mn}

$$a = b \rightarrow$$

$$F_{cTE_{mn}} = F_{cTE_{nm}}$$

$$F_{cTM_{mn}} = F_{cTM_{nm}}$$



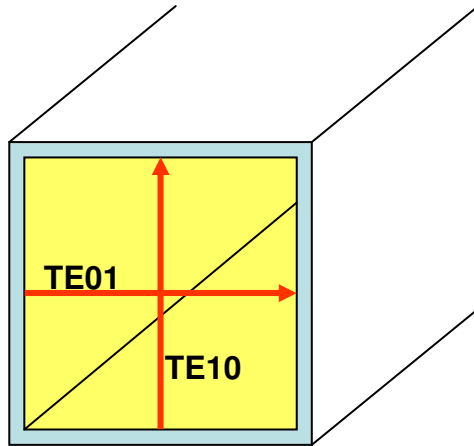
TE_{10} and TE_{01} are
Orthogonal modes

BW 10.26 y 14.5GHz

BW=17%

Example: $a = b = 14.6\text{mm}$

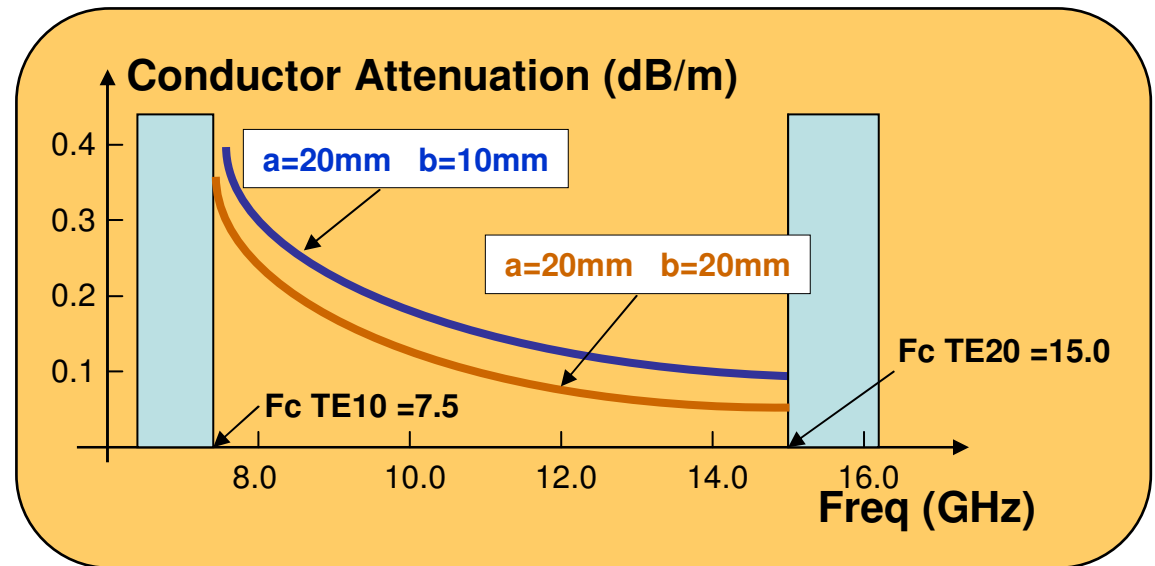
Mode	$F_c(\text{GHz})$
<u>TE₁₀</u>	<u>10.266</u>
<u>TE₀₁</u>	<u>10.266</u>
TE ₁₁	14.519
<u>TM₁₁</u>	<u>14.519</u>
TE ₂₀	20.533
<u>TE₀₂</u>	<u>20.533</u>
TE ₂₁	22.957
<u>TE₁₂</u>	<u>22.957</u>
<u>TM₂₁</u>	<u>22.957</u>
<u>TM₁₂</u>	<u>22.957</u>

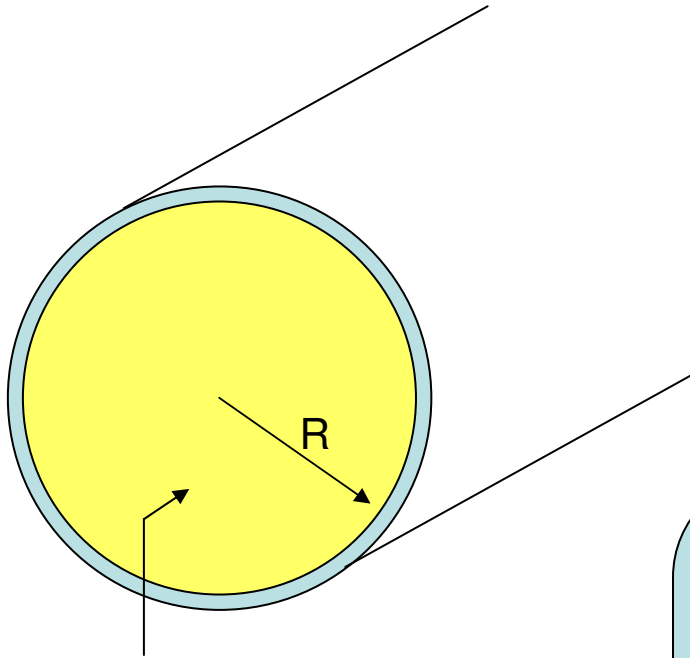


TE10 and TE01 are orthogonal modes

Conductor attenuation in **SQUARE** waveguide is lower than in **RECTANGULAR** waveguide

TE10 mode





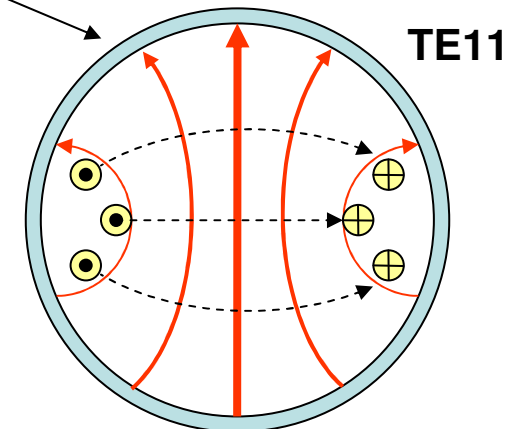
Multiple Modes
TE_{mn} y **TM_{mn}**
depending on the working
frequency.

BW=13%

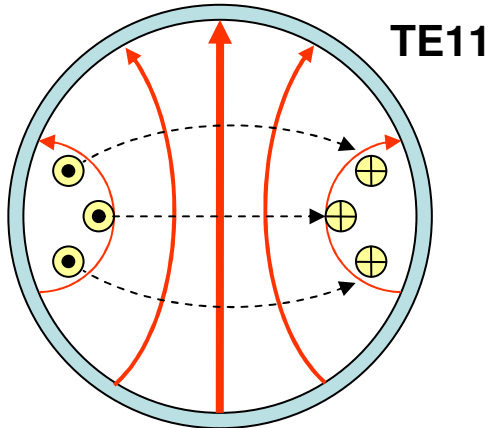
- Cutoff Frequencies: BESSEL functions
- Lower mode **TE₁₁**: $\lambda_c = 3.412 R$
- immediate superior mode **TM₀₁** : $\lambda_c = 2.612 R$
- Can support DUAL polarization: Two orthogonal TE₁₁ modes

Example: R=11mm : C97

Mode	F _c (GHz)
TE₁₁	7.98 ●
TM ₀₁	10.43 .
TE ₂₁	13.25 .
TE ₀₁	16.62 .
TM ₁₁	16.62 .
TE ₃₁	18.22 .



CIRCULAR Waveguides

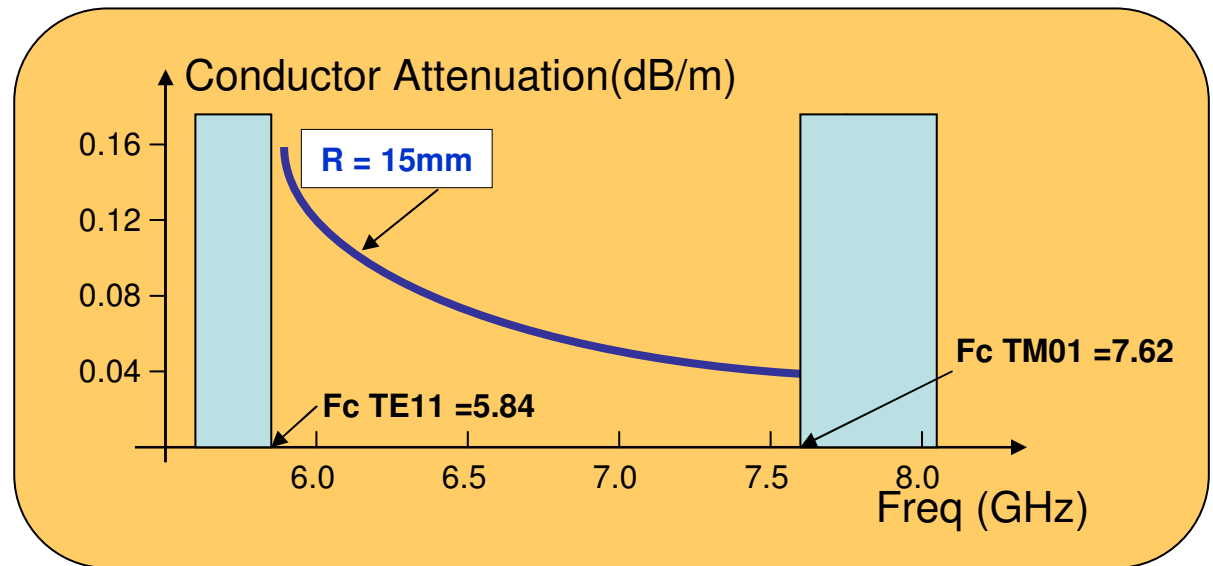


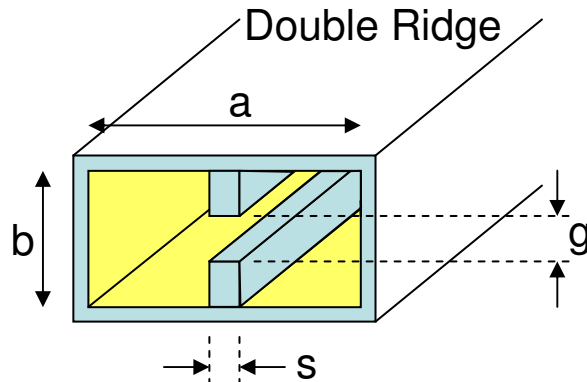
Losses are really lower than RECTANGULAR waveguides



TE11 mode

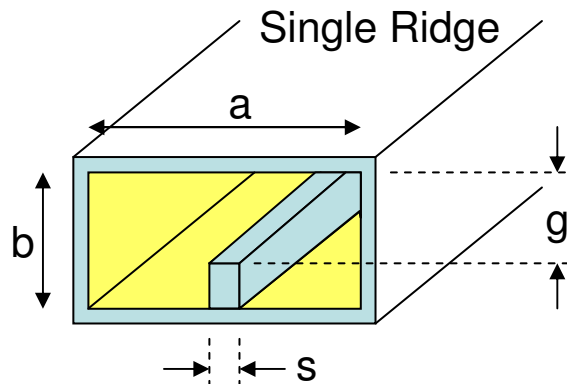
Very interesting for
Antenna feed systems





When using a ridge (single or double), the fundamental mode TE₁₀ cutoff decreases much more than the cutoff frequency of the next propagating mode TE₂₀.

→ Very broadband MONOMODE operation



Example: Rectangular

$a=22.86\text{mm}$ $b=10.16\text{mm}$ (WR90)

$F_{c\text{TE}10} = 6.56\text{GHz}$

$F_{c\text{TE}20} = 13.11\text{GHz}$



BW=33%

Example: Single Ridge

$a=22.86\text{mm}$ $b=10.16\text{mm}$ (WR90)

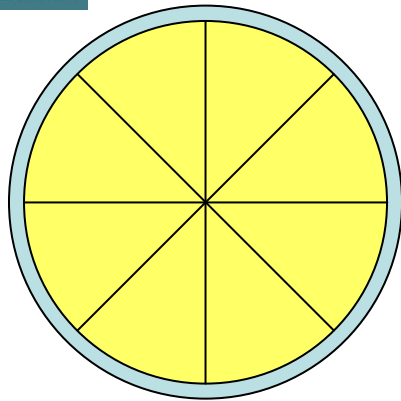
$s=9.1\text{mm}$ $g=2\text{mm}$

$F_{c\text{TE}10} = 3.125\text{GHz}$

$F_{c\text{TE}20} = 10.95\text{GHz}$



BW=56%

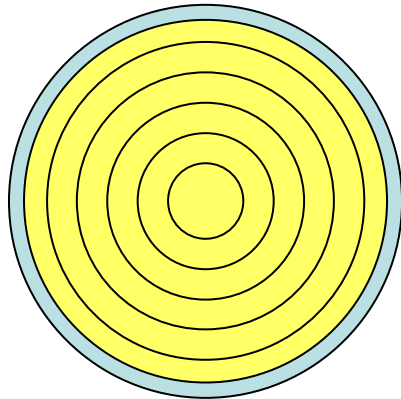


Circular Waveguide

Radial Wires :

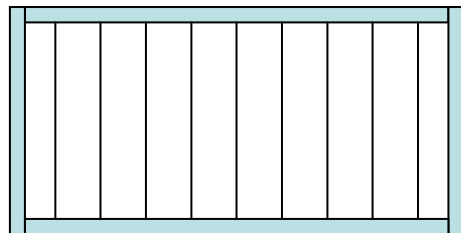
- Total reflection for the fundamental TE₁₁ and all of TM
- Does not affect the circular modes TE₀₁, TE₀₂, ... TE_{0n}

- A given mode PASS if its **E** field is normal to the wires.
- If we want avoid reflection: Resistive elements



Circular wires supported by "foam":

- Total reflection for all the TE_{mn} modes
- Does not affect the immediate superior TM₀₁ mode

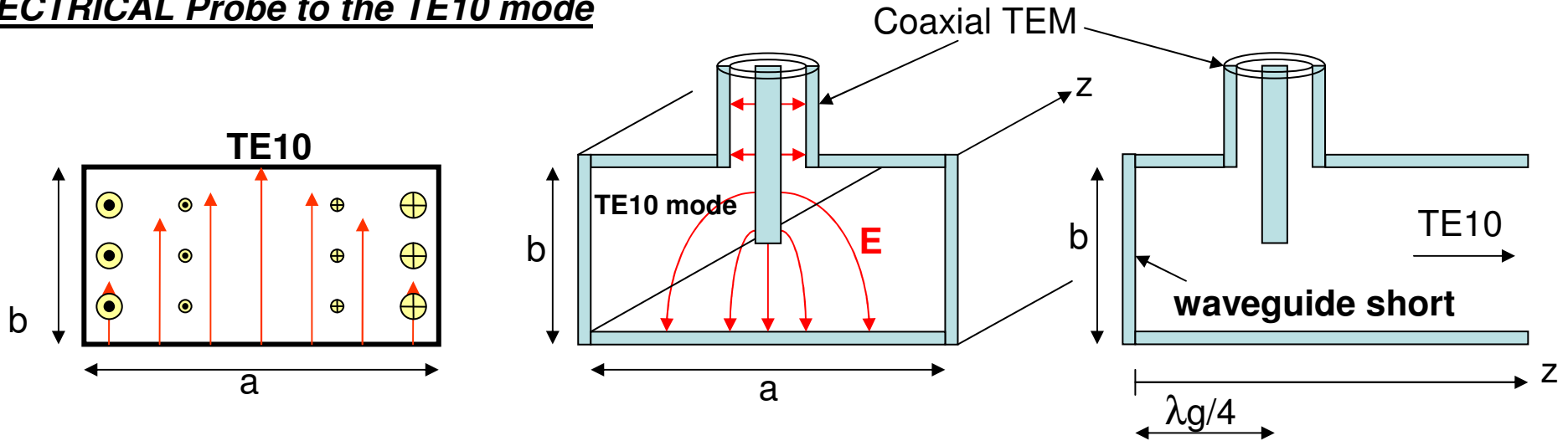


Rectangular Waveguide

Transversal wires :

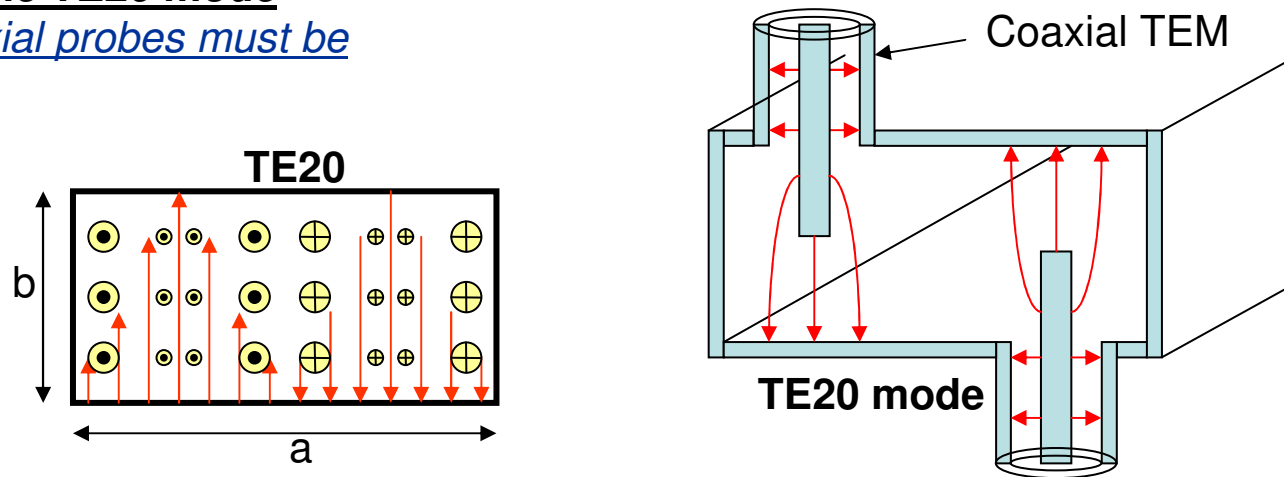
- Total reflection for the fundamental TE₁₀
- Total reflection for TE₁₁ and all the TM modes
- Does not affect the possible TE₀₁ mode.

ELECTRICAL Probe to the TE₁₀ mode



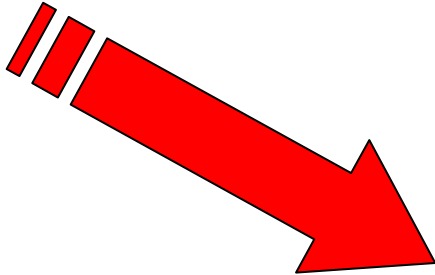
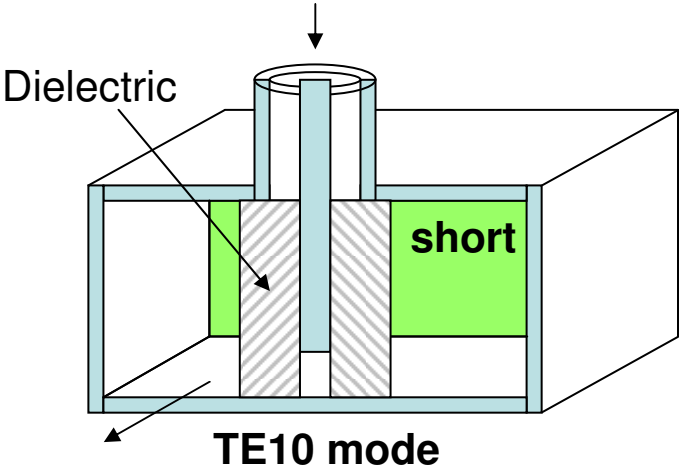
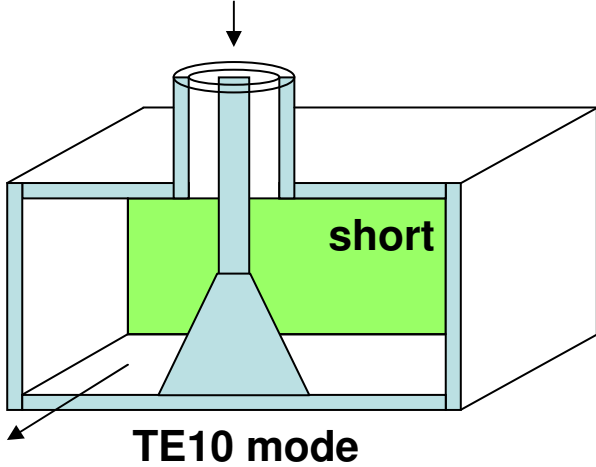
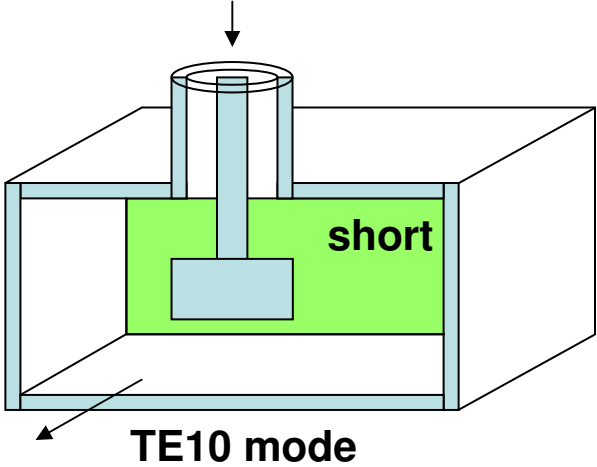
Electrical Probes to the TE₂₀ mode

Signals in the two coaxial probes must be in phase.



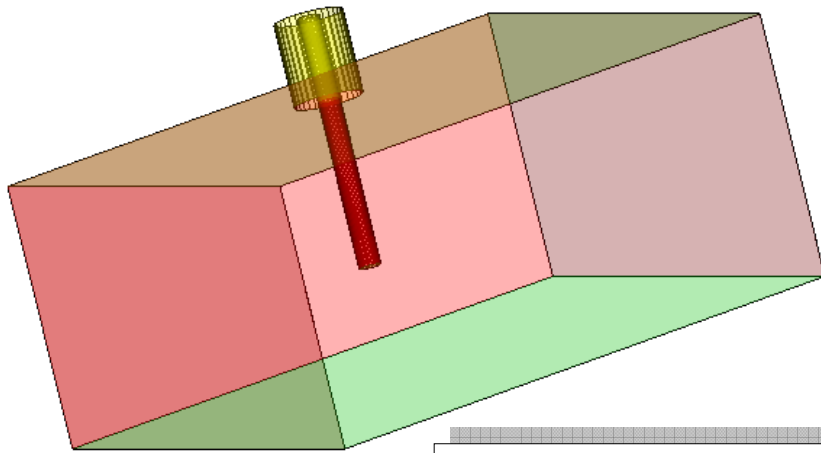
Rectangular-to-Coaxial Transducer

Different Improvements

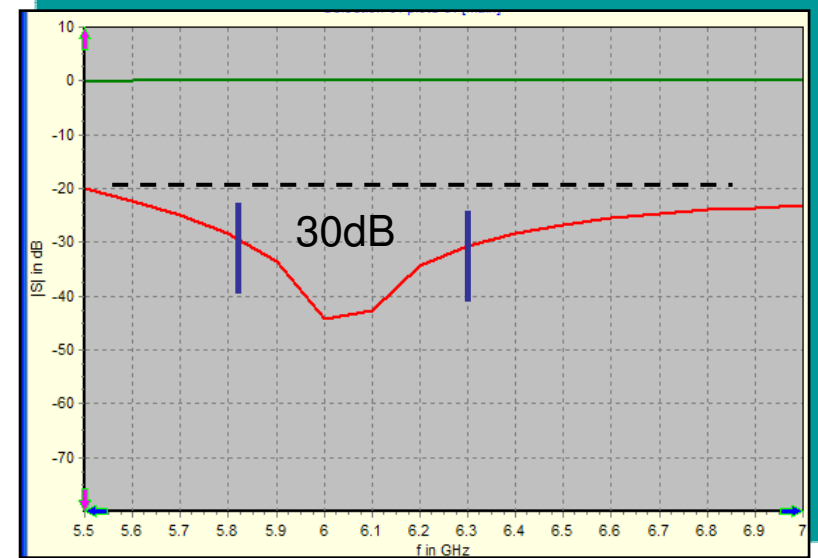
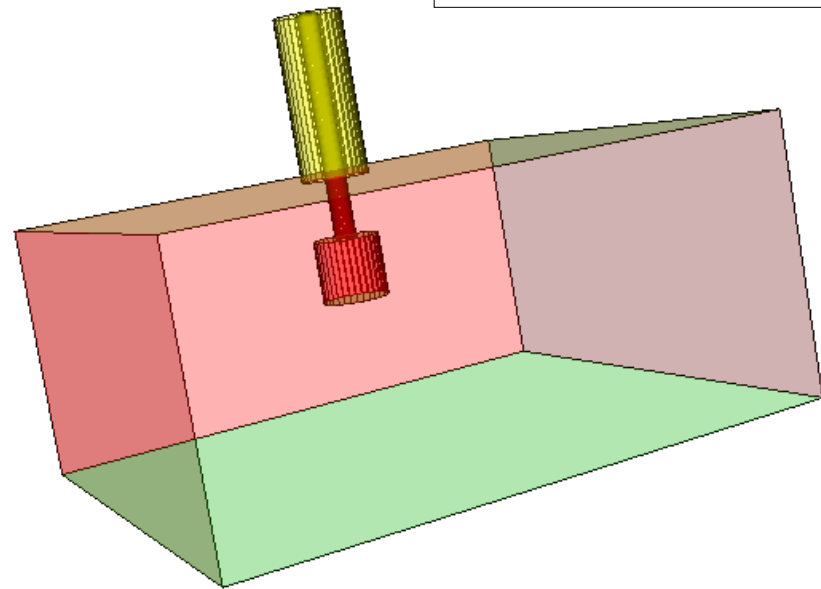
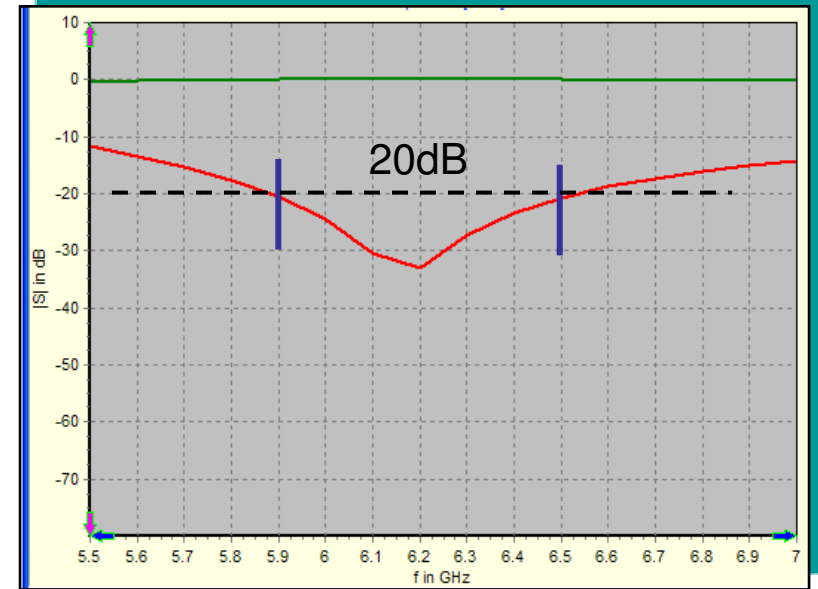


Broader Bandwidth

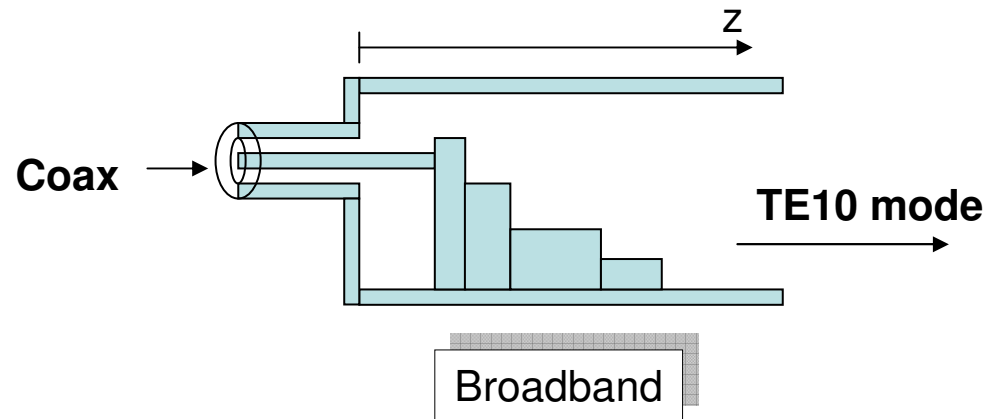
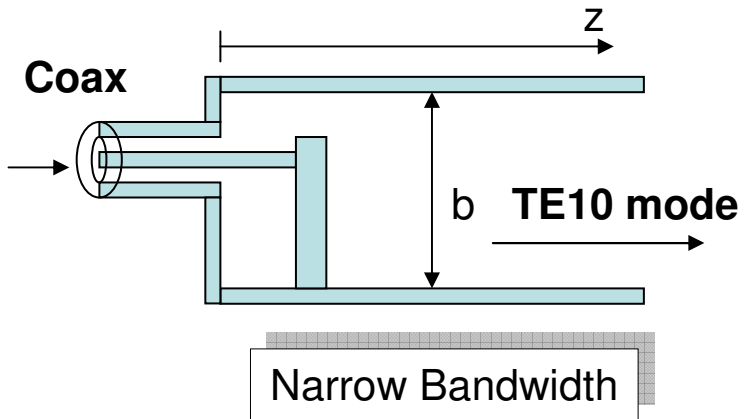
Rectangular-to-Coaxial Transducer



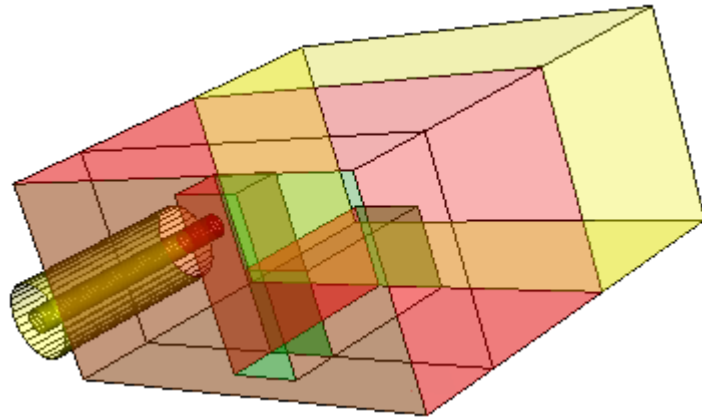
WR137: $a=34.8$ $b=15.8$ mm
TE₁₀: 5.5 a 8.1 GHz



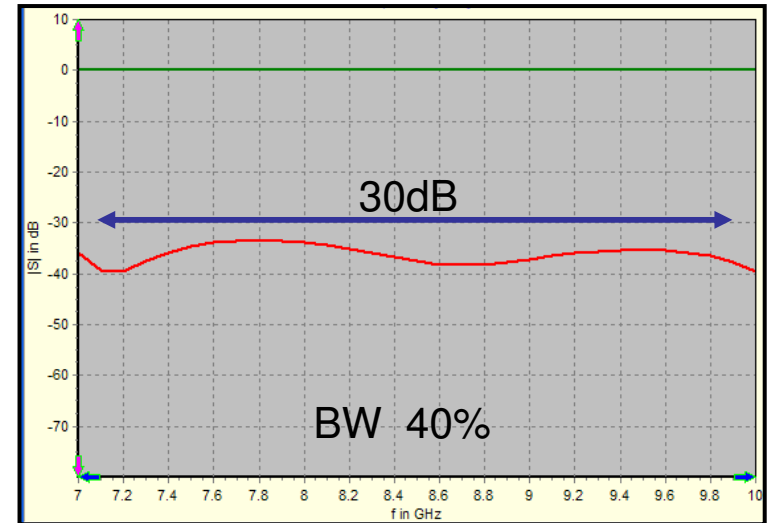
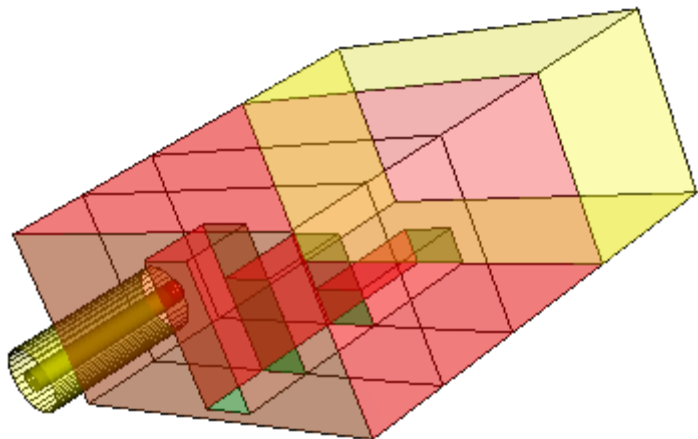
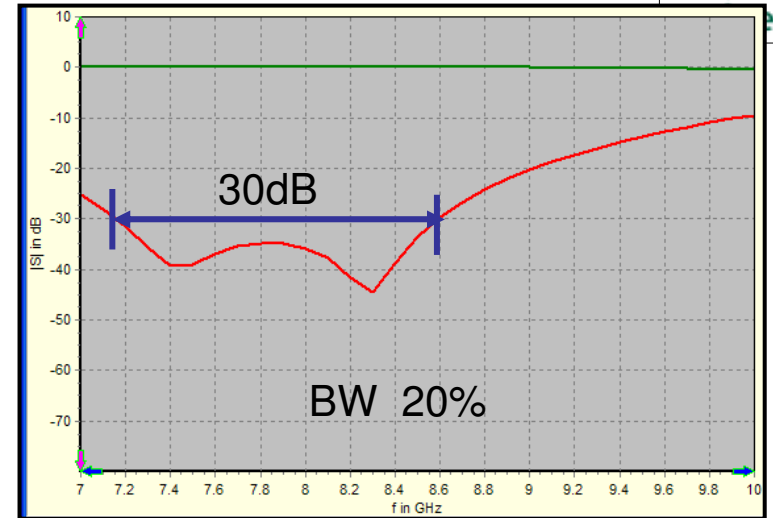
MAGNETIC Probe to the TE₁₀



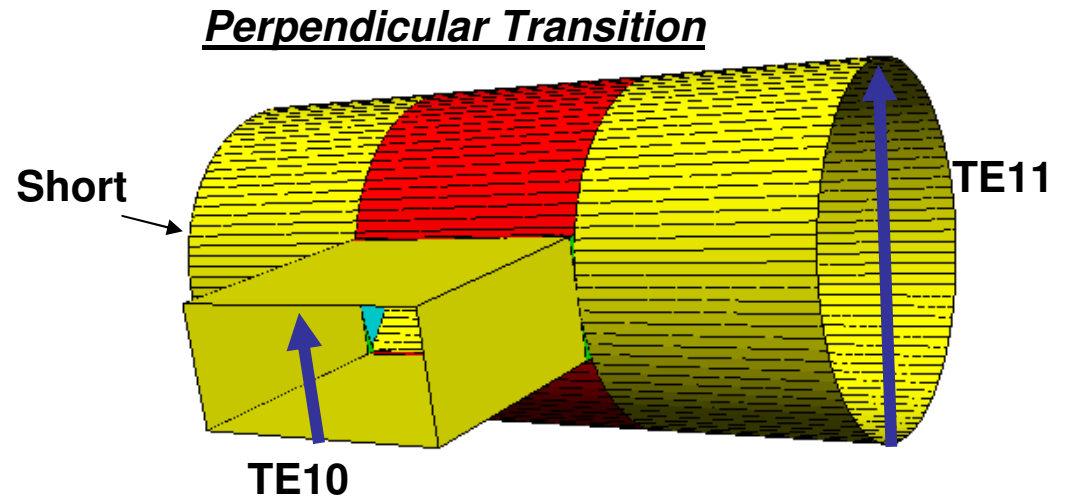
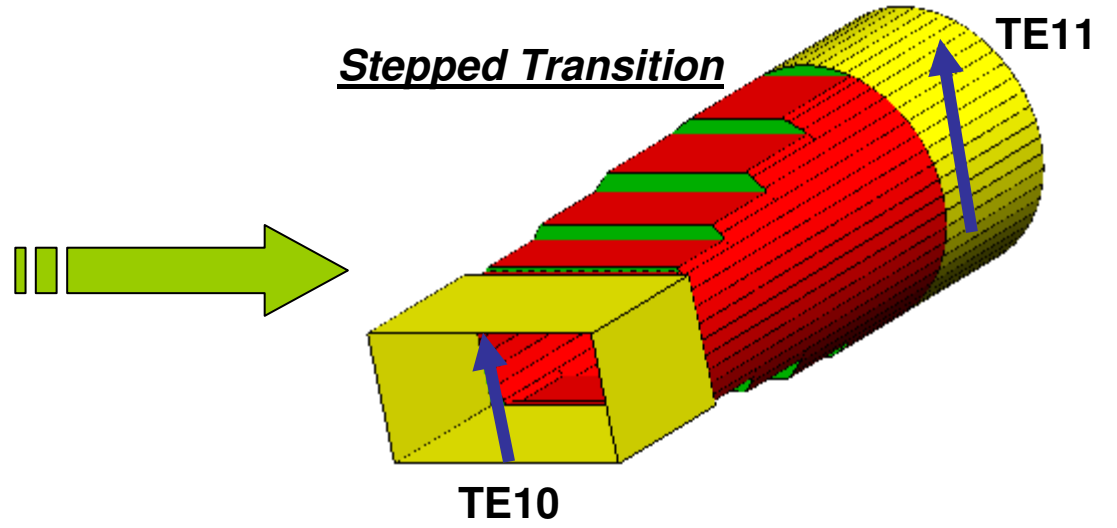
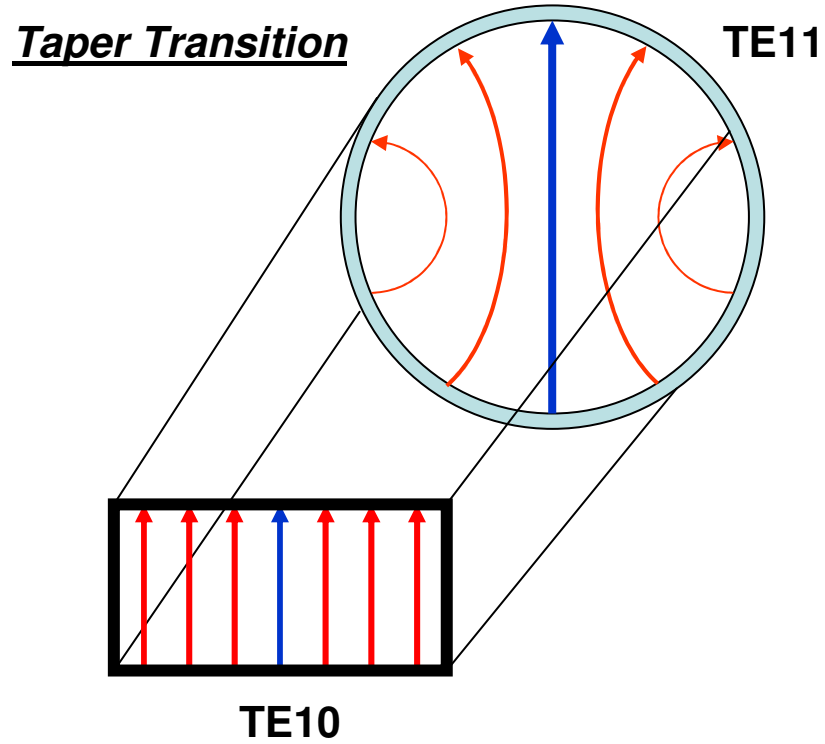
Rectangular-to-Coaxial Transducer

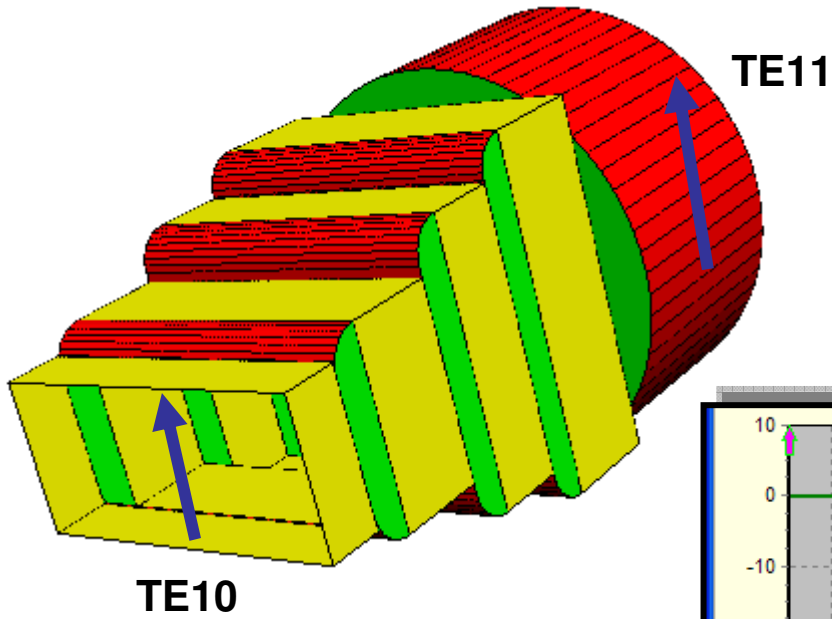


WR112: $a=28.5$ $b=12.6$ mm
TE₁₀: 6.5 a 10 GHz



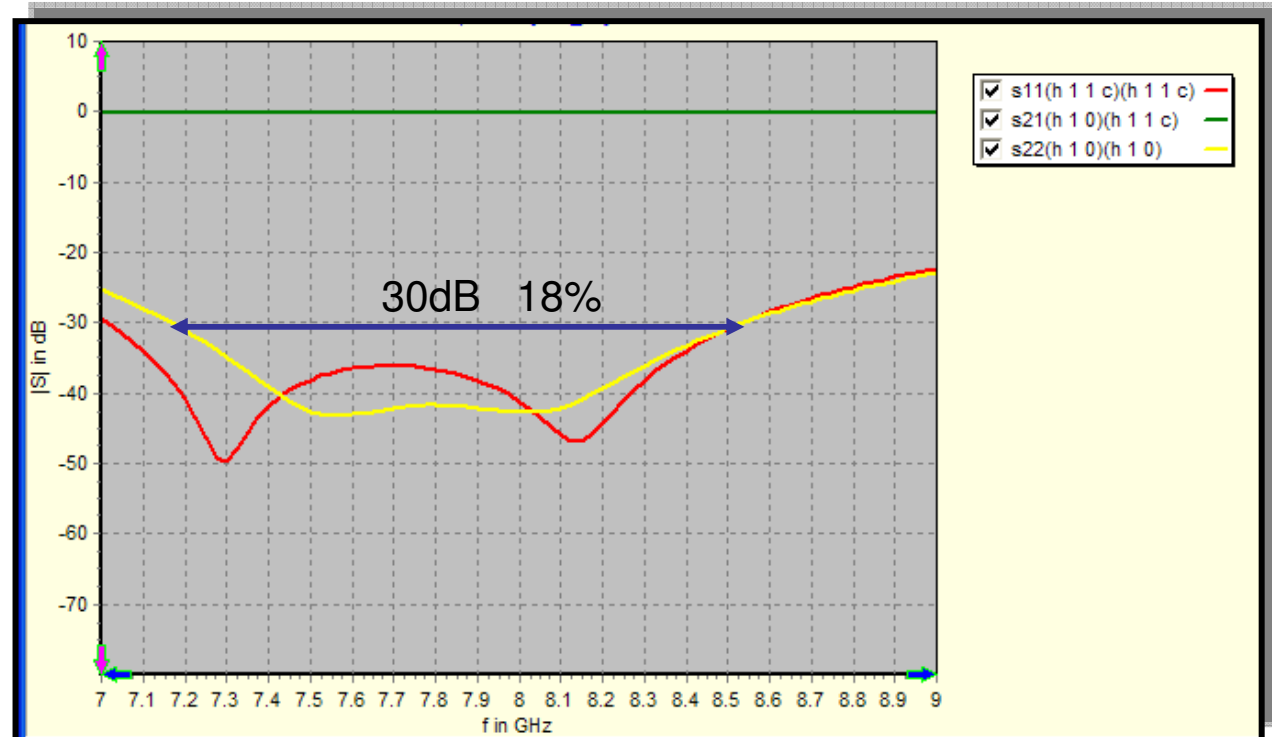
Rectangular-to-Circular Transducer

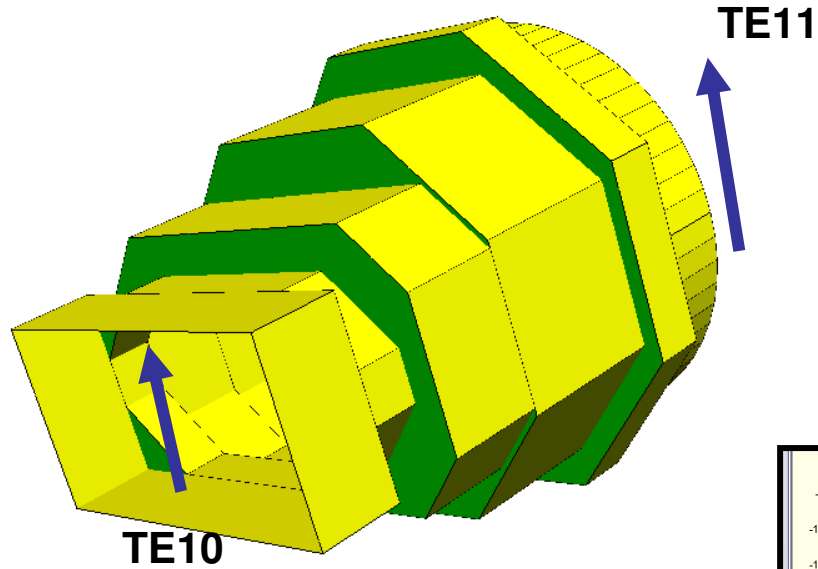




WR112: a=28.5 b=12.6mm
TE10: 6.5 a 10 GHz
BW@30dB : 18%

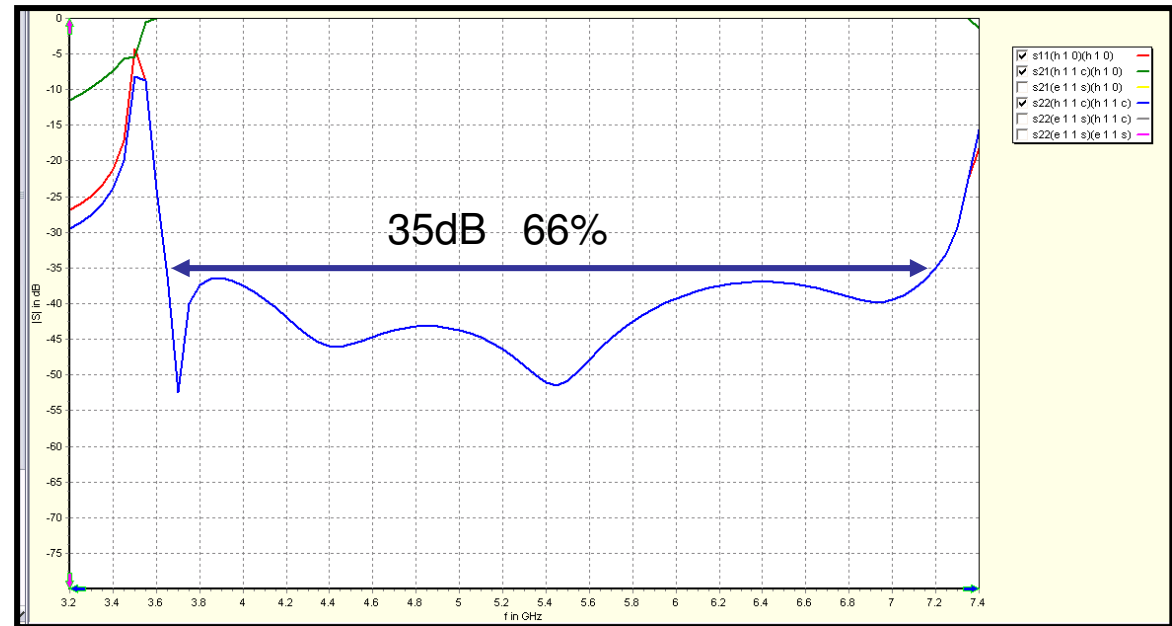
Stepped Transition

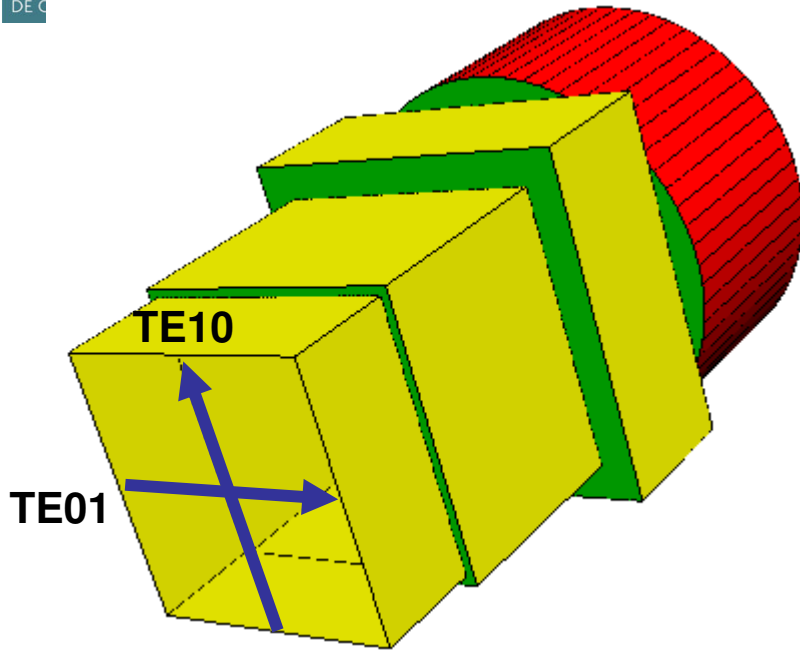




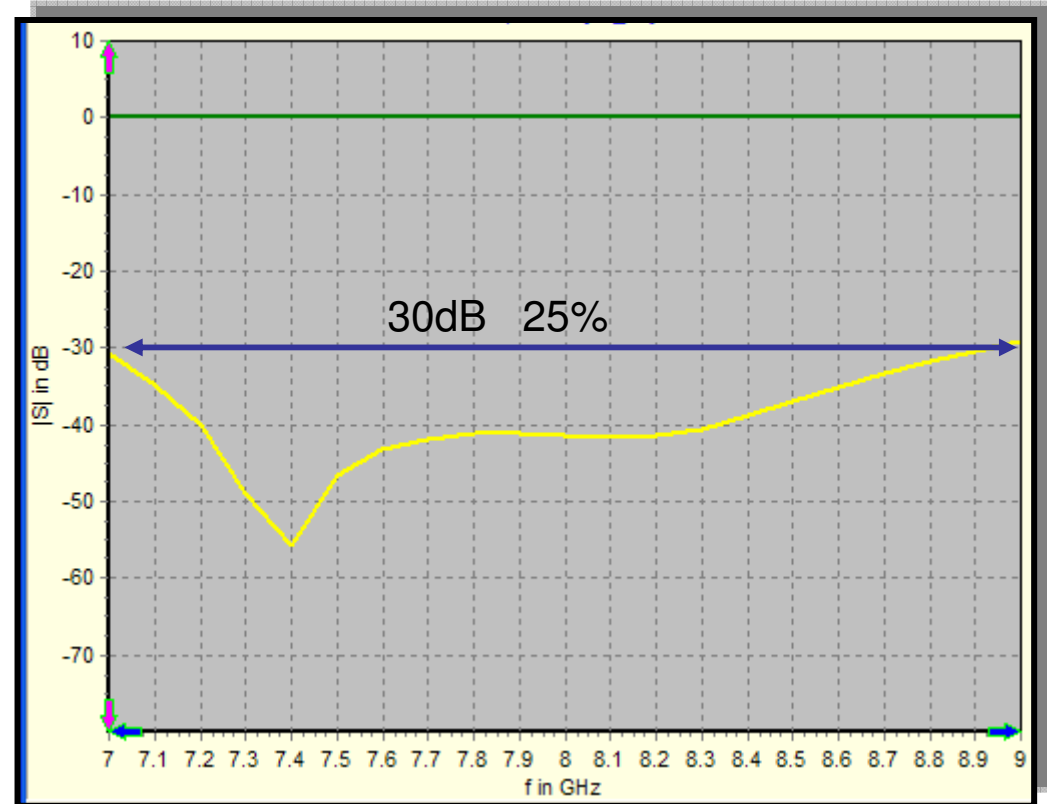
WR229: a=42.8 b=21.4mm
TE10: 3.6 a 7.2 GHz
BW@30dB : **66%**

Stepped Transition
Using Intermediate Octagons

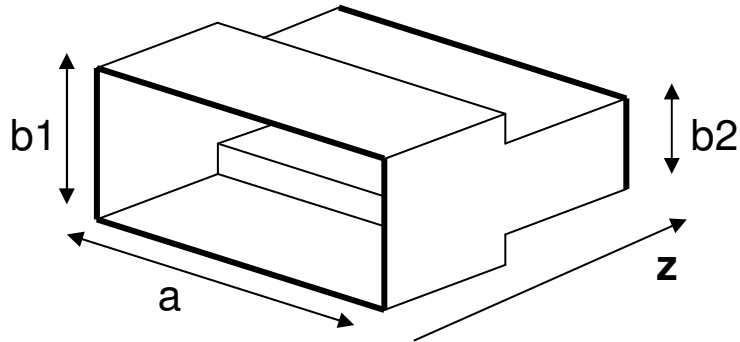




BW@30dB : 25%

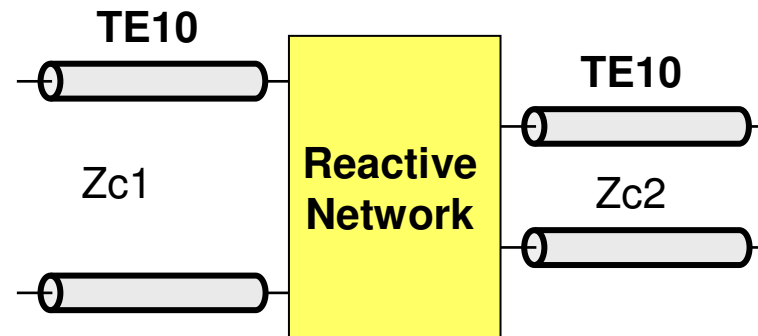
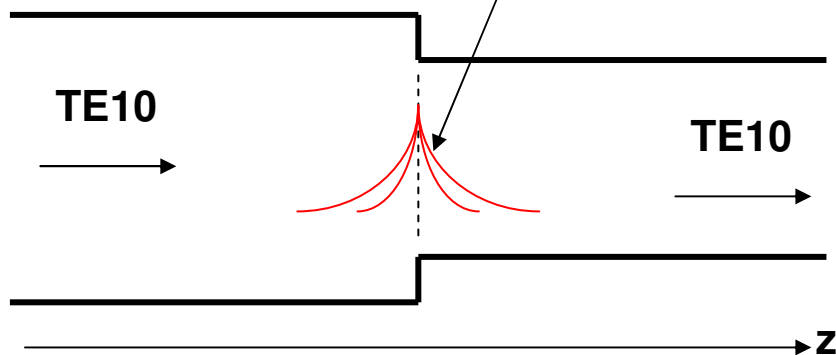


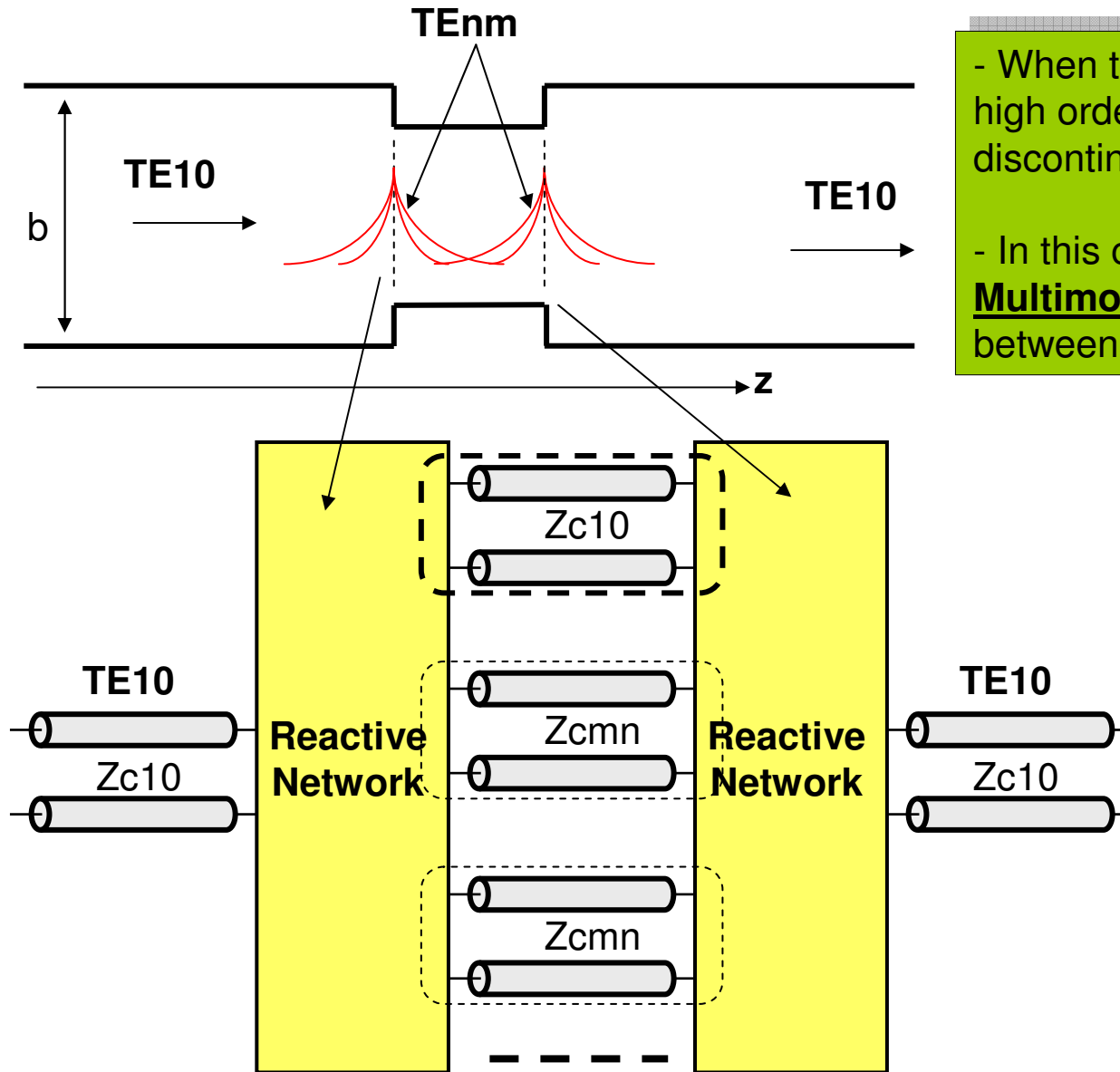
Step in Height



- We suppose to be operating in a frequency band where the **only propagating mode** is the fundamental one TE₁₀
- At the discontinuity, high order modes are excited but they cannot propagate energy → They **store energy** acting as capacitors, inductors or combinations.
- They create a **reactive network**.

High Order modes TE_nm

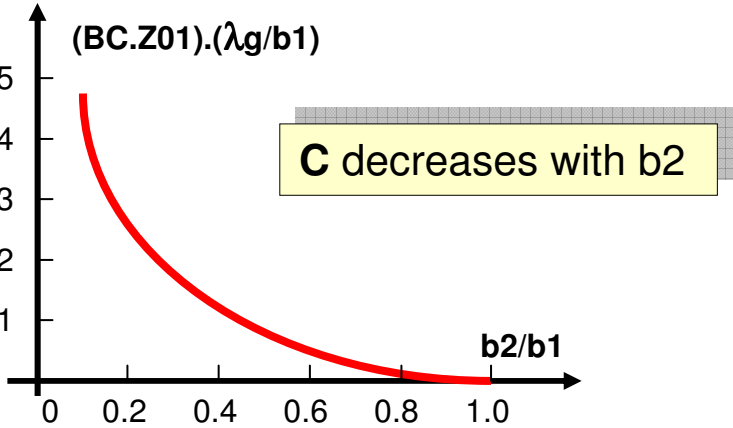
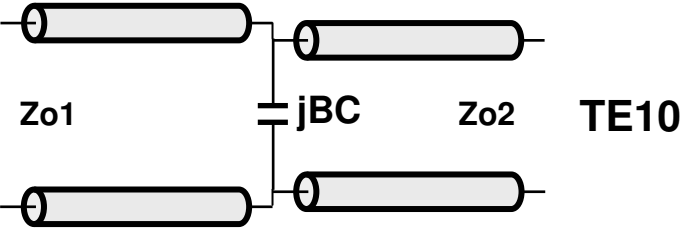
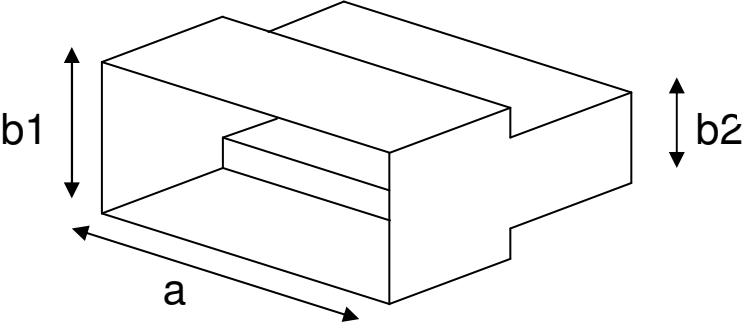




- When two discontinuities are close enough, high order modes may **“touch”** the second discontinuity.
- In this case, the reactive networks are **Multimode** with mode-transmission-lines between both multi-ports.

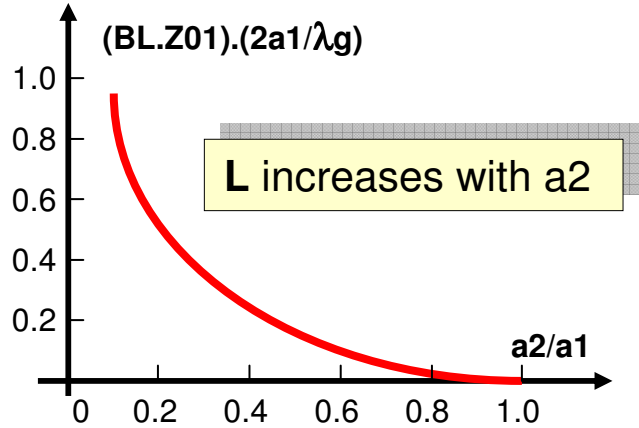
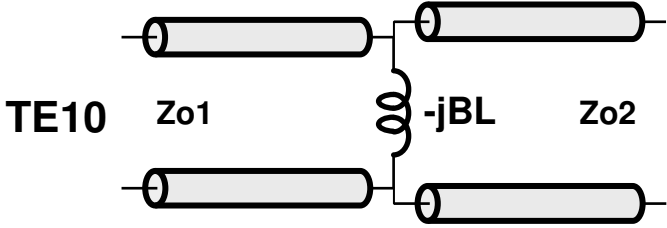
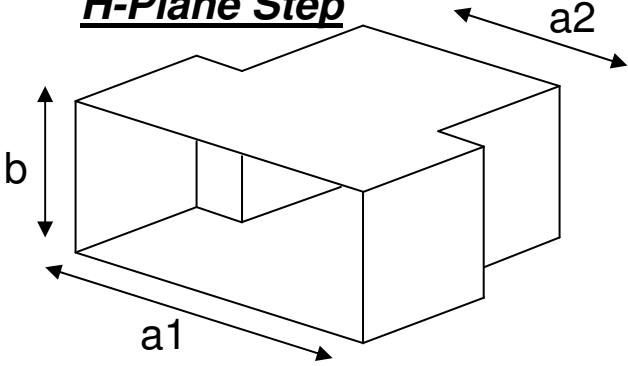
Discontinuities in Rectangular Waveguides

E-Plane Step

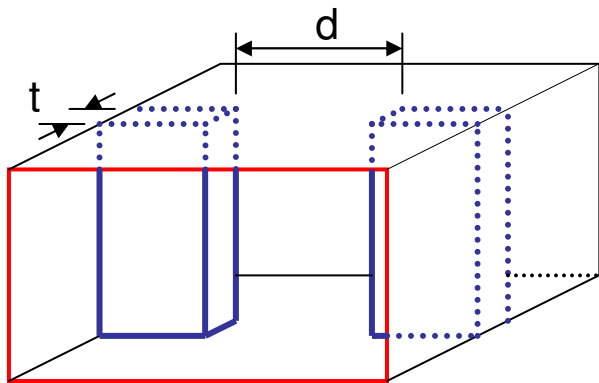


Steps are Useful
for waveguide
circuits

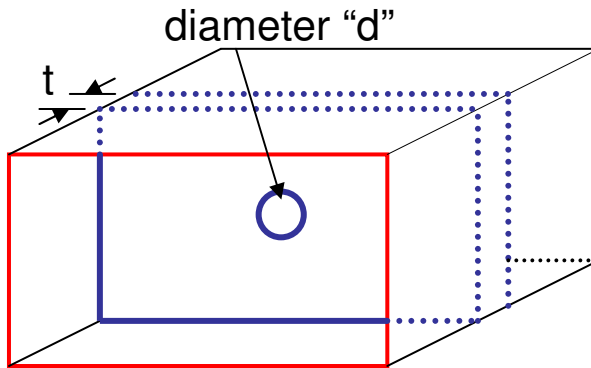
H-Plane Step



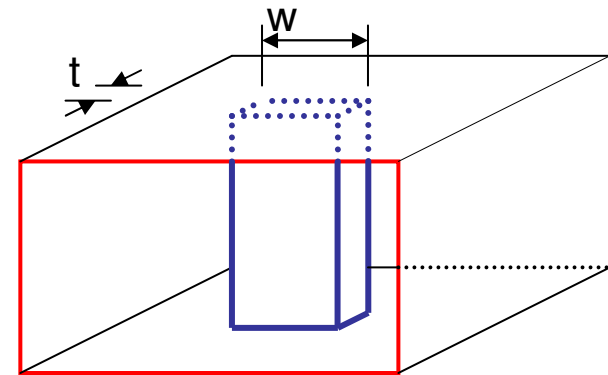
Discontinuities in Rectangular Waveguides



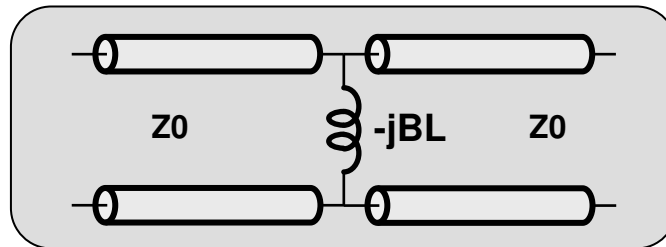
Iris-H symmetrical



Iris-circular

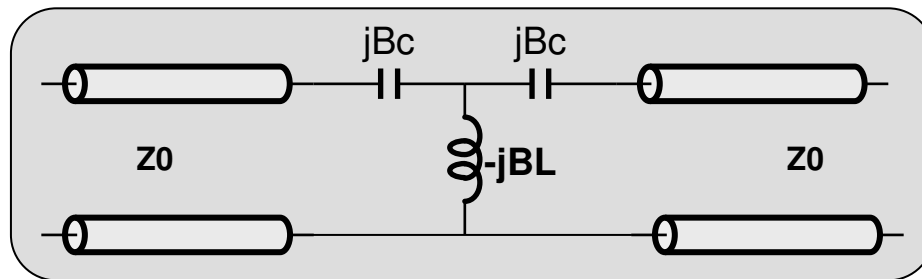


Fin-H plane

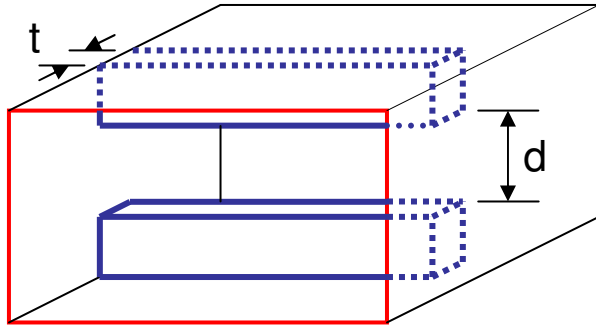


For small values of $t \rightarrow (t \ll a)$

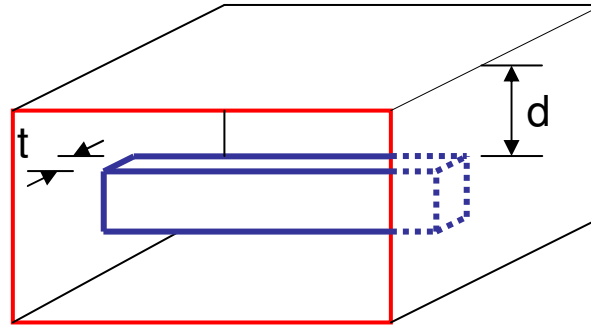
Useful for creating
Waveguide Circuits



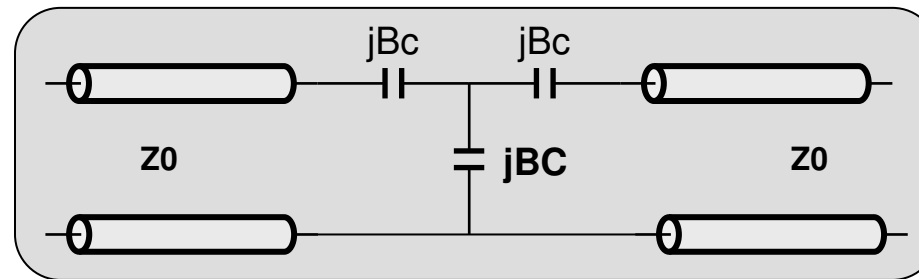
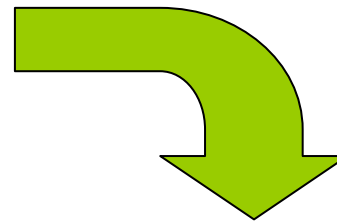
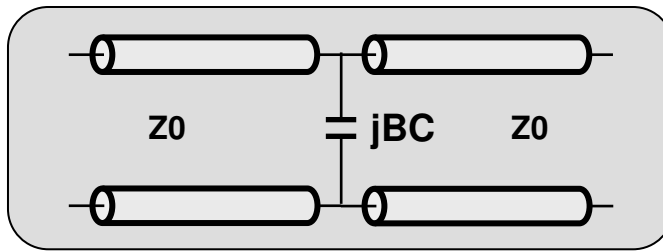
Additional Capacitors for
higher values of "t"



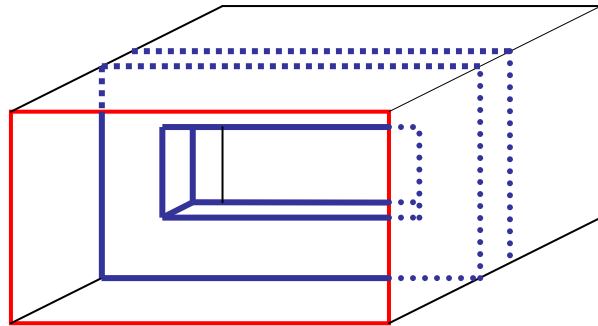
Iris-E symmetrical



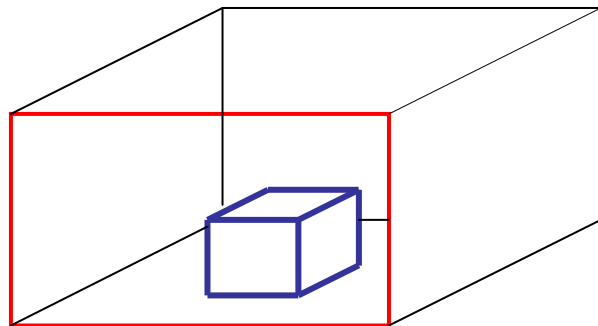
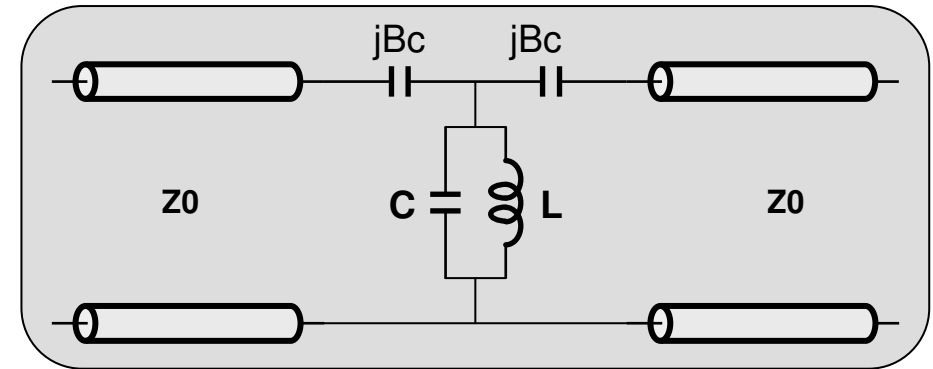
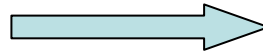
Fin-E plane



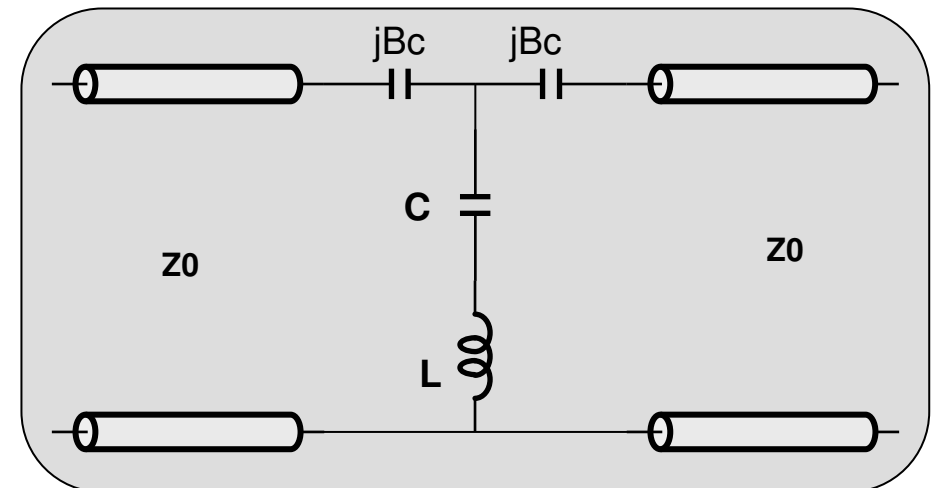
**Useful for creating
Waveguide Circuits**



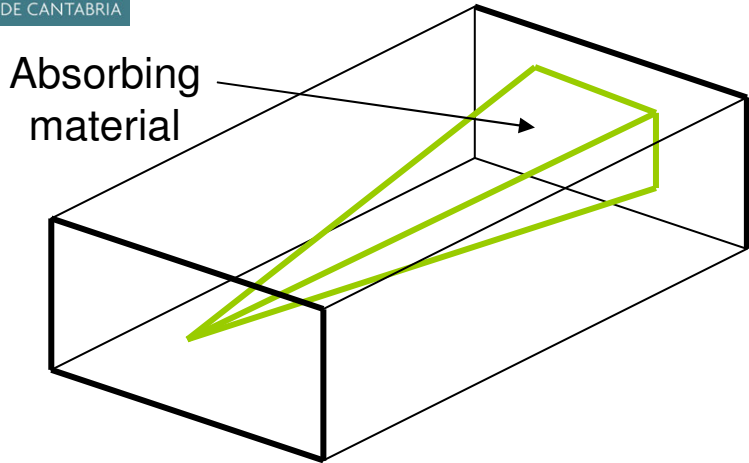
Resonant Iris



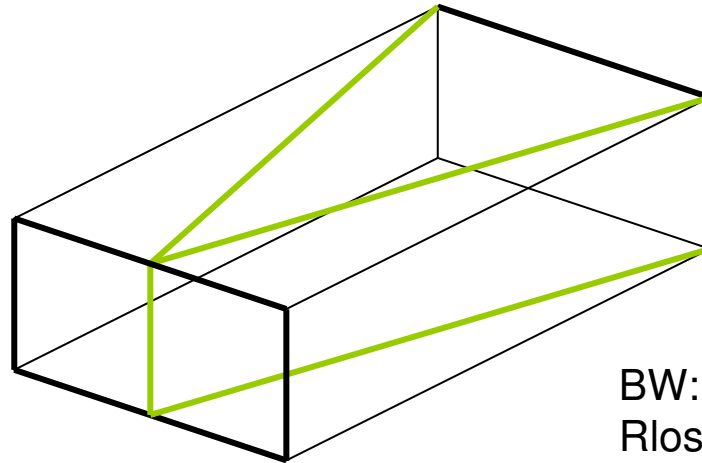
**Post of variable height
(square or circular)**



Matched Loads and Variable Shorts

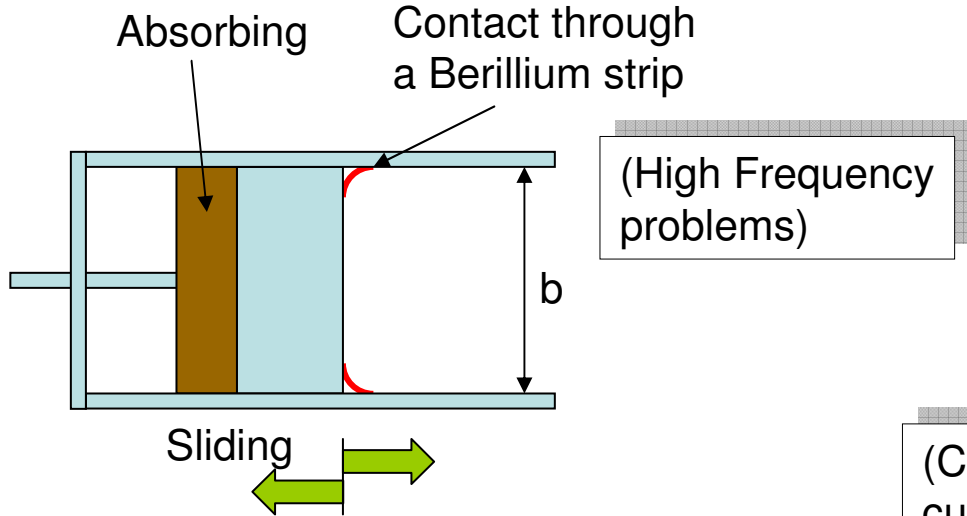


Termination for "low VSWR"

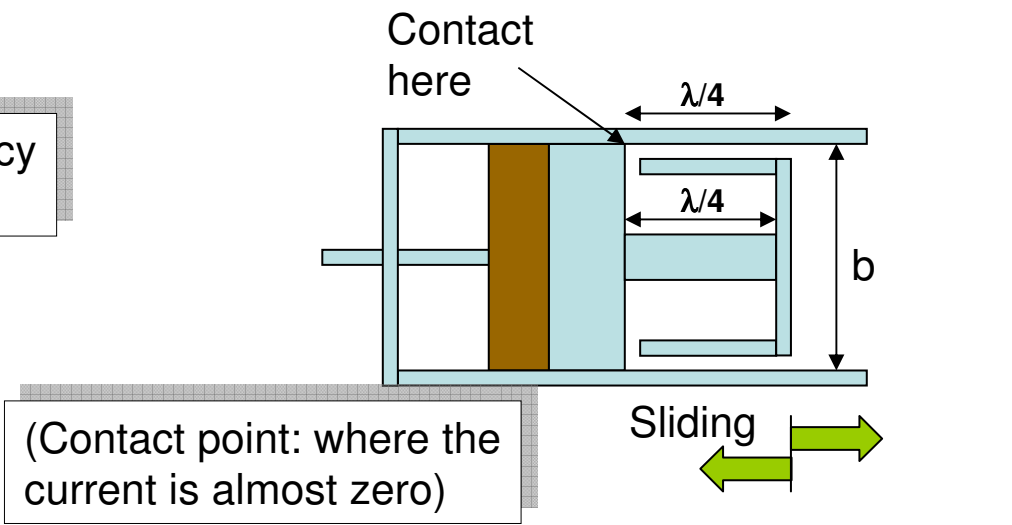


BW: Full band
Rloss 30-40dB

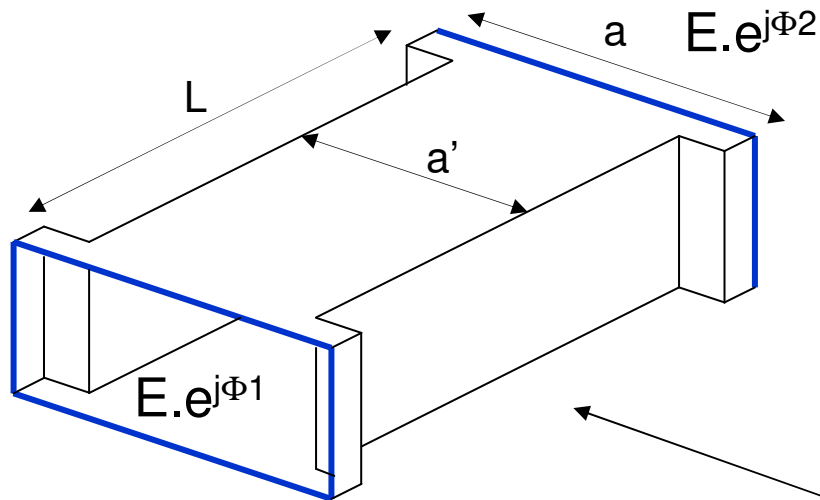
Termination for "High Power"



"Contacting" variable Short



"Non-contacting" variable Short



DPS by narrowing "a"

- En un tramo de guía vacío "L" la diferencia de fase $\Phi_{o2} - \Phi_{o1}$ es $\Delta\Phi_v = -\beta_v.L$ y varía con la frecuencia.
- Ahora queremos construir un circuito de forma que su $\Delta\Phi_d$ (variable con la frecuencia) sea tal que al compararlo con la guía vacía resulte en un diferencial:
 $\Delta\Phi_d - \Delta\Phi_v = \text{cte} = \Delta\Phi$ deseada (tip. $45^\circ, 90^\circ, 180^\circ$)

Una forma evidente es ensanchar ò estrechar la guía puesto que la constante de propagación β varía con "a"

$$\Delta\Phi = [\beta_v - \beta_d].L = [2\pi/\lambda_{gv} - 2\pi/\lambda_{gd}].L$$

TE10 mode

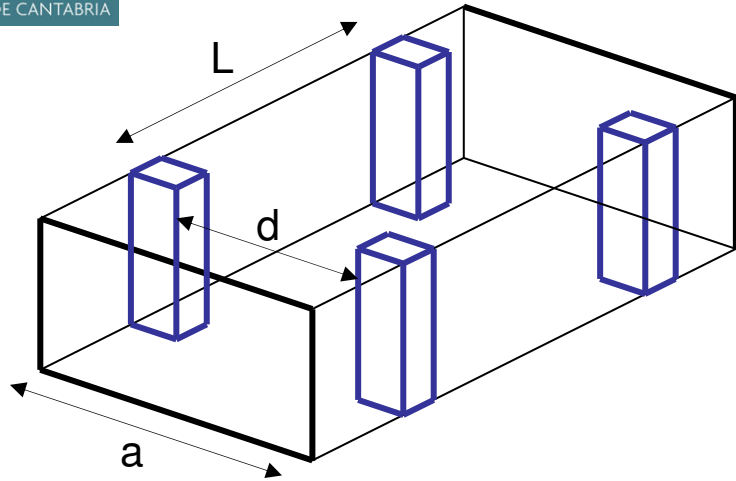
$$\lambda_c = c / F_c = 2.a$$

$$\lambda_g = \frac{\lambda_o}{[1 - (\lambda_o/\lambda_c)^2]^{0.5}}$$

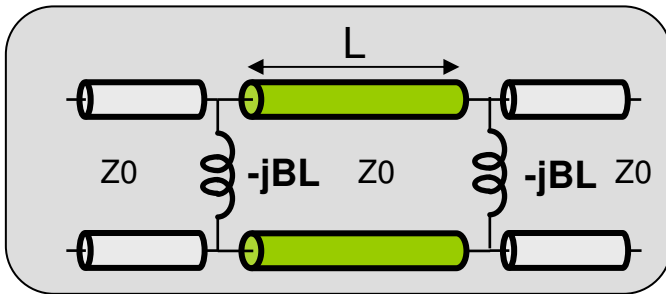
$$\beta = 2\pi / \lambda_g$$

Detalles:

- Al reducir la guía cambiamos su $F_c \rightarrow$ el ancho de banda de trabajo se restringe.
- El salto entre guías afectará a la adaptación del desfasador
- El cambio de fase deseado se verificará en un **BW estrecho** ya que $\Delta\Phi$ varía con la frecuencia.



Desfasador con doble discont.



- Al contrario ocurre si introducimos reactancias capacitivas.
- Circuito de **banda estrecha** y sensitivo con la frecuencia

Una forma alternativa consiste en introducir reactancias en la guía vacía. Si el diseño es correcto, las reflexiones debidas a estos elementos se cancelan mientras que sus efectos de fase son aditivos

Si llamamos **BL_n** al valor normalizado de BL: $BL_n = BL \cdot Z_0$ entonces la matriz ABCD normalizada de la red es:

$$\begin{pmatrix} A_n & B_n \\ C_n & D_n \end{pmatrix} = \begin{pmatrix} 1 & 0 \\ -jBL_n & 1 \end{pmatrix} \begin{pmatrix} \cos(\beta L) & j\sin(\beta L) \\ j\sin(\beta L) & \cos(\beta L) \end{pmatrix} \begin{pmatrix} 1 & 0 \\ -jBL_n & 1 \end{pmatrix}$$

Si la impedancia de entrada norm. $Z_{in_n} = (A_n + B_n) / (C_n + D_n)$ debe ser unidad para que exista adaptación, y ya que $A_n = D_n$ entonces necesitamos $C_n = B_n$ por lo que:

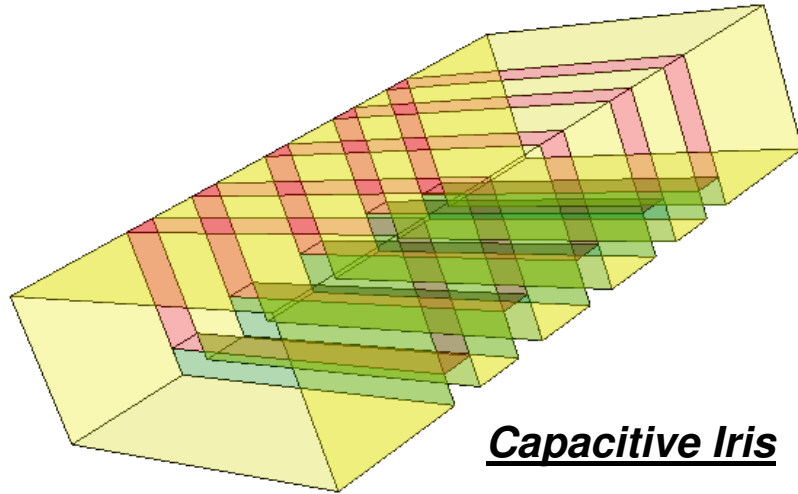
$$\beta \cdot L = \pi/2 + \arctan(BL_n/2)$$

Por otro lado, el cambio de fase diferencial es:

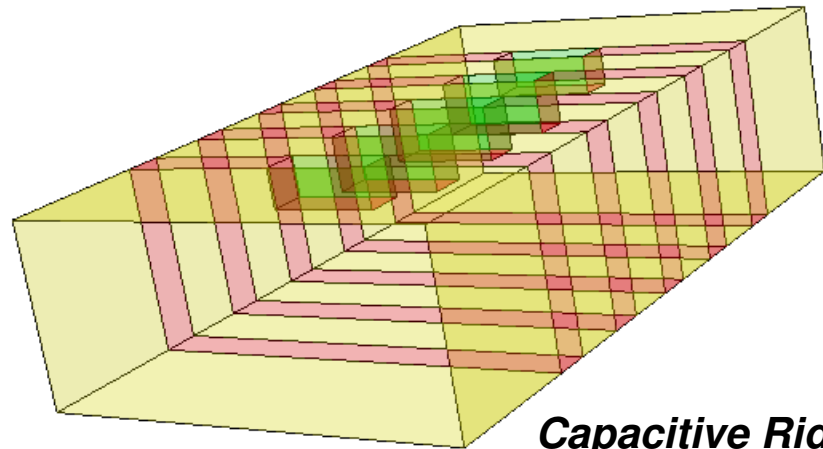
$$\Delta\Phi = \beta \cdot L - [\pi/2 - \arctan(BL_n/2)]$$

$$\Delta\Phi = 2 \cdot \arctan(BL_n/2)$$

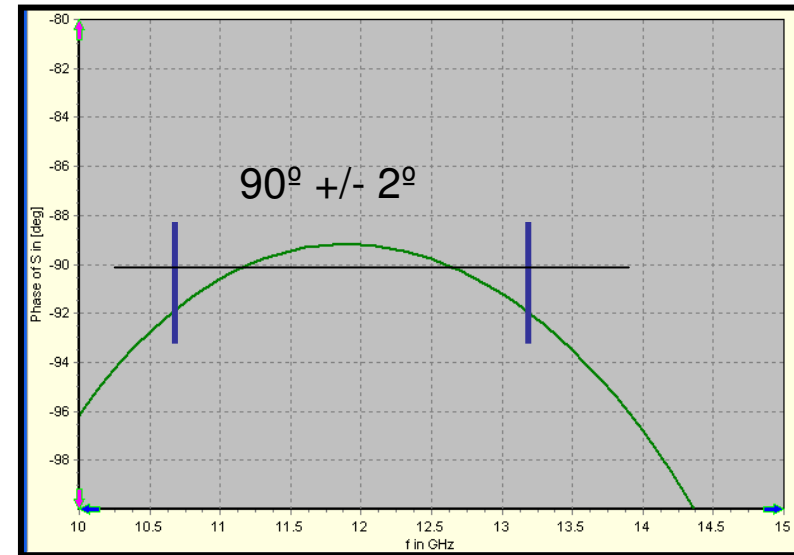
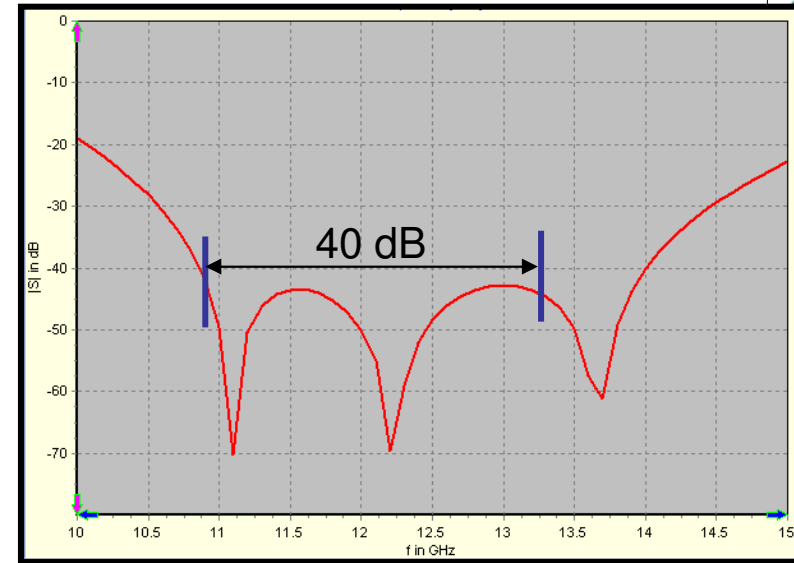
Low-Pass type

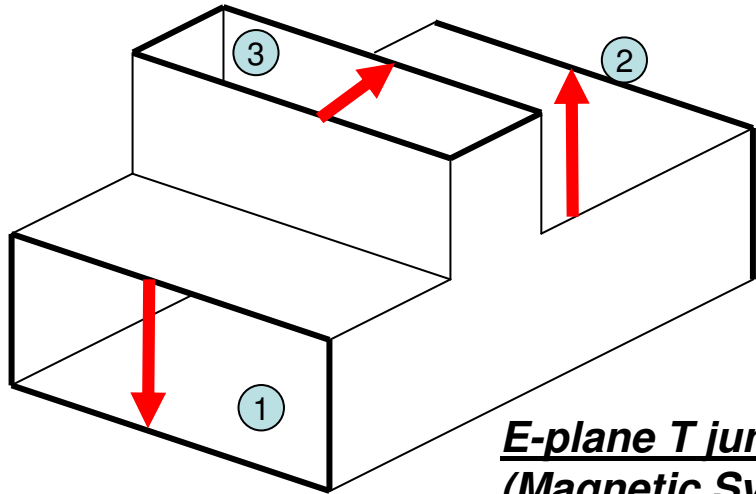


Capacitive Iris

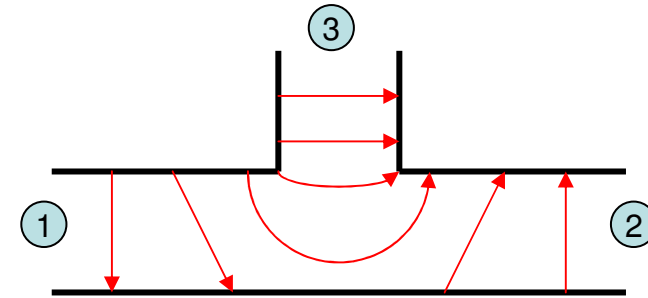


Capacitive Ridge

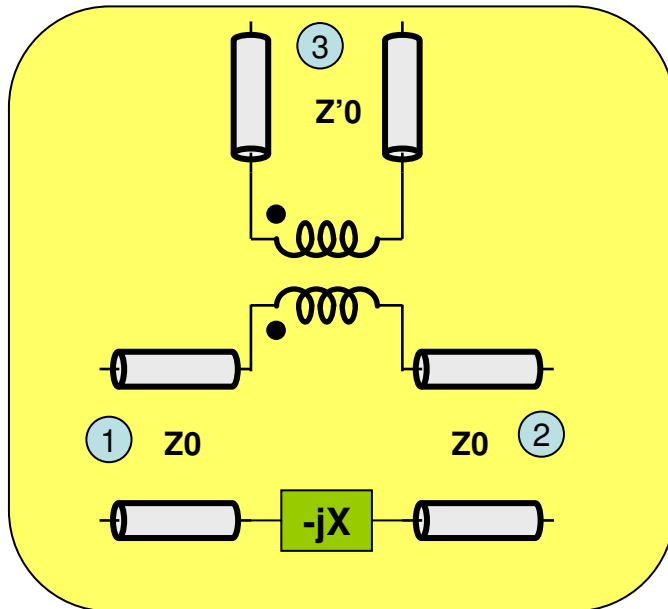




E-plane T junction
(Magnetic Symmetry)

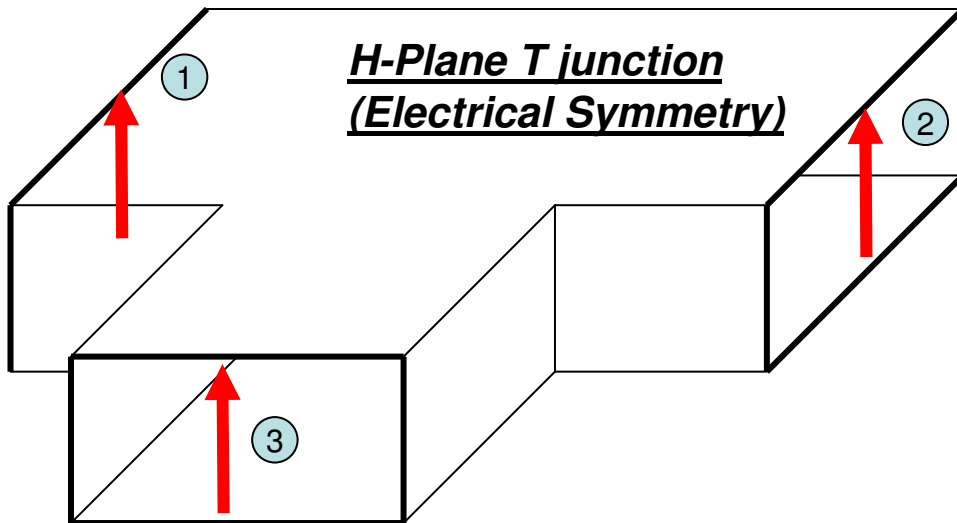


Port 3 **Splits the input signal in 180°**



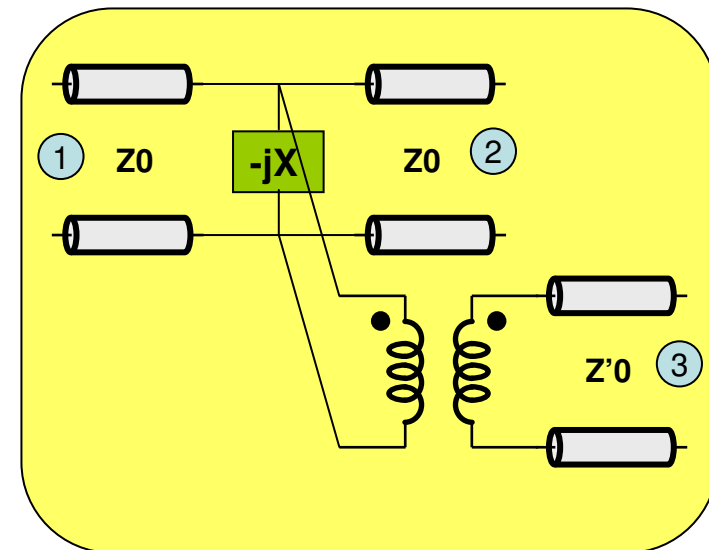
Equivalent Circuit: **Series connection**

- The THREE ports cannot be matched simultaneously.
- Port 3 splits power in **phase opposition 180°**, but power splitting is not 3db due to mismatching.
- If port 3 is matched, power splitting is 3dB but S11 and S22 will have 6dB return loss.

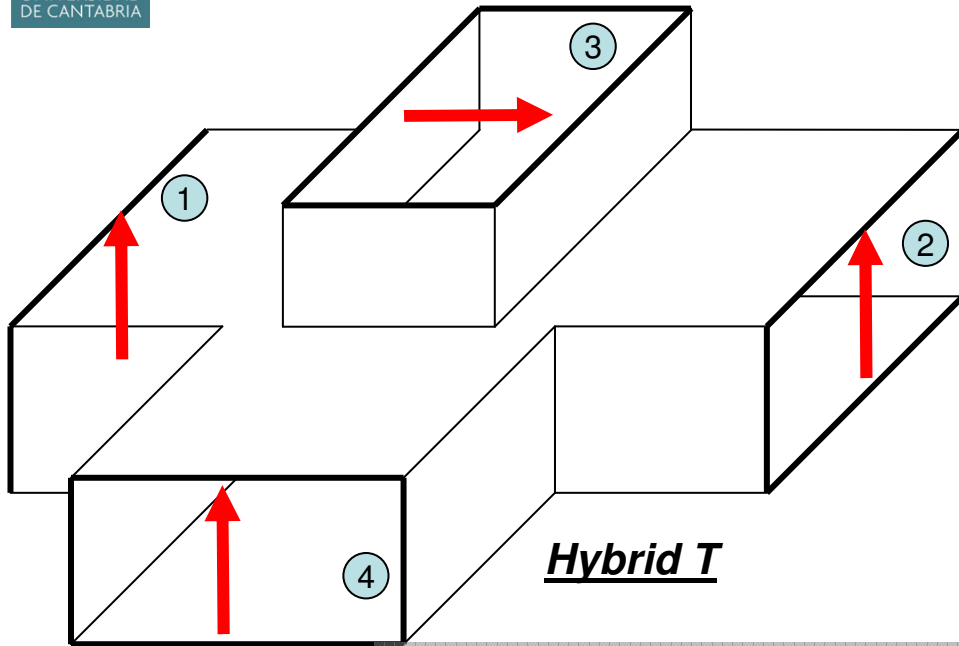


Port 3 Splits the input signal in 0°

- The THREE ports cannot be matched simultaneously.
- Port 3 splits power in **phase 0°**, but power splitting is not 3db due to mismatching.
- If port 3 is matched, power splitting is 3dB but S11 and S22 will have 6dB return loss.



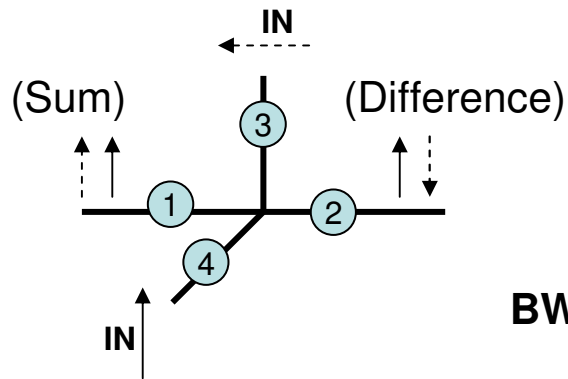
Equivalent Circuit: Parallel connection



Hybrid T

Useful as Power Divider
or Power Combiner 0° to 180°

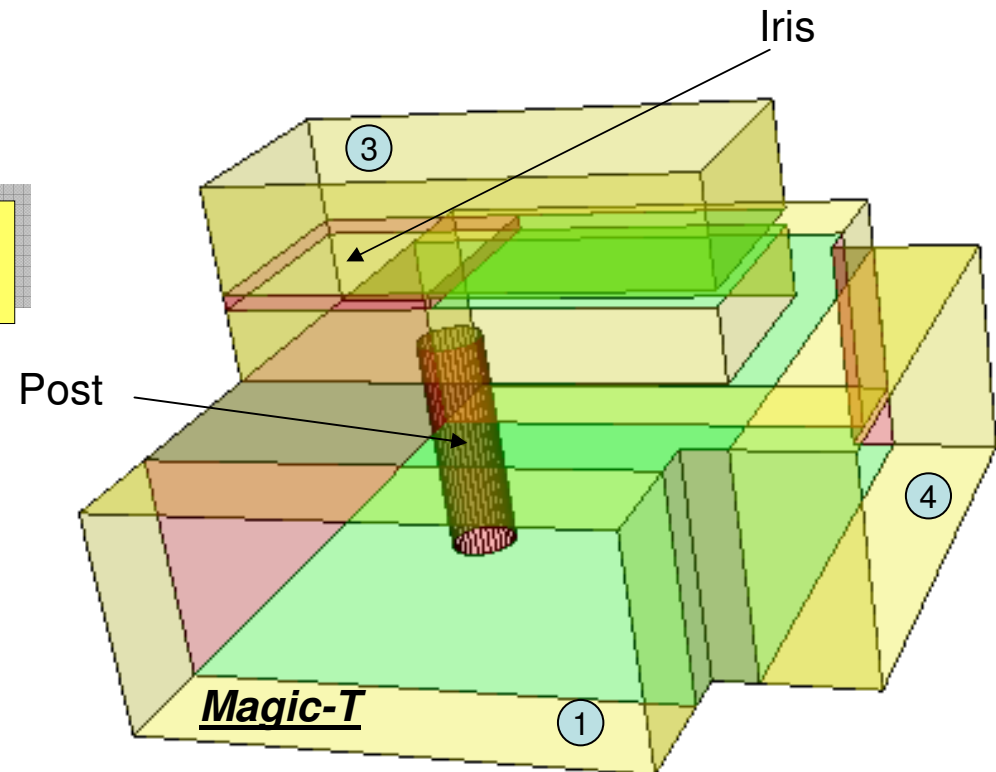
Example:



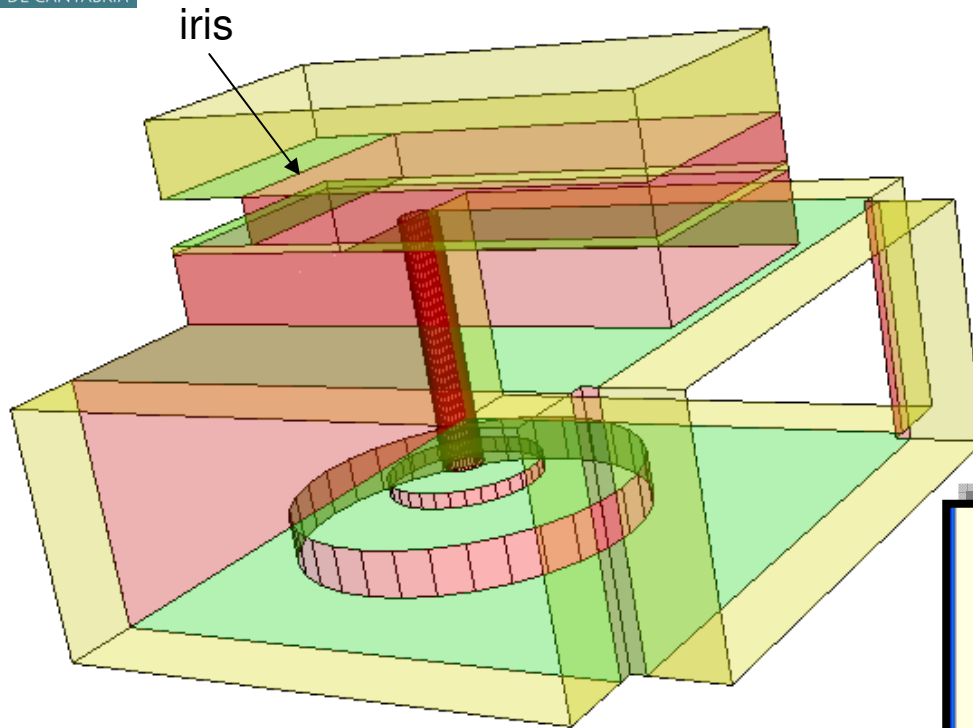
BW: 10-20%

- Ports 1 and 2 decoupled
- Ports 3 and 4 decoupled
- Power splitting in 0° and 180°

Magic-T. - Completely matched Hybrid T.
It is necessary to introduce some discontinuities
In the junction.
- In this case, power splitting is always **3dB**.



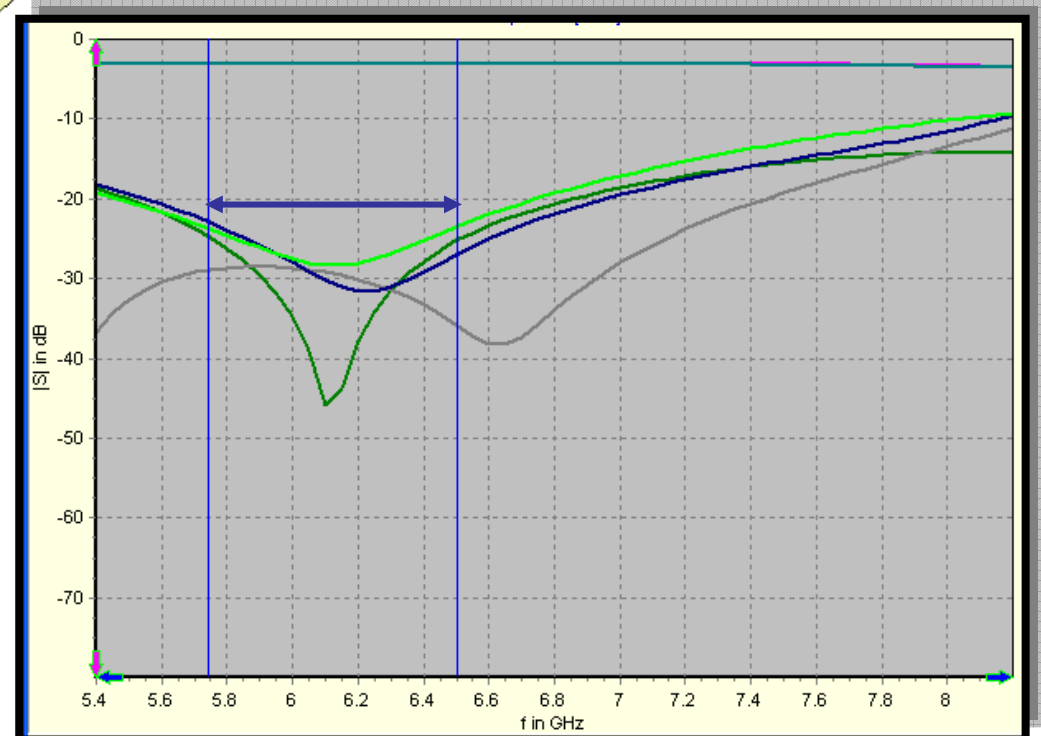
Magic-T

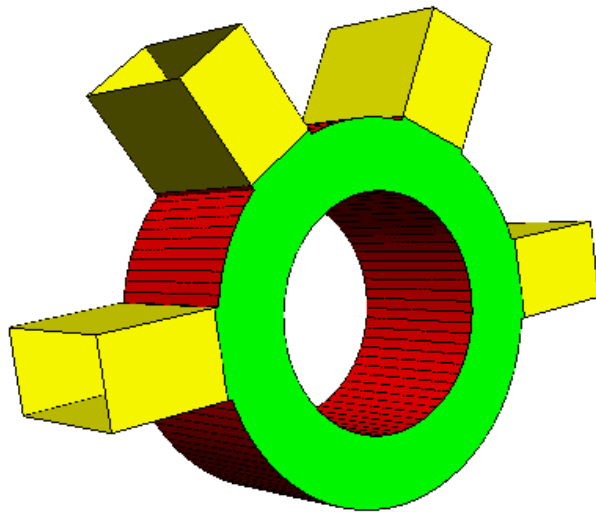


Useful as Power Divider
or Power Combiner 0° to 180°

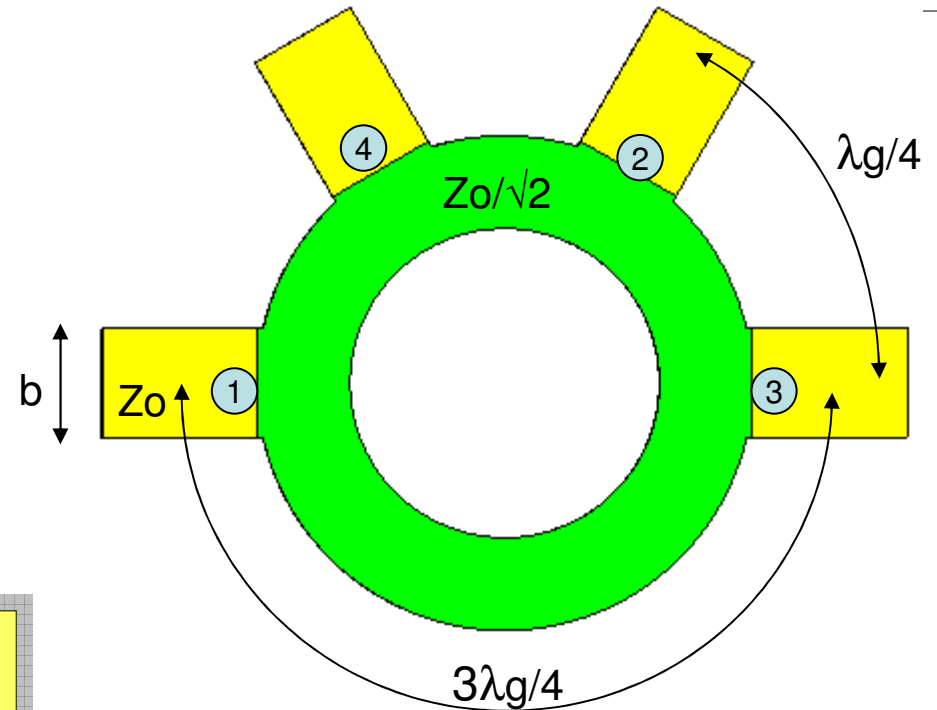
Optimized Magic-T

BW : 12%





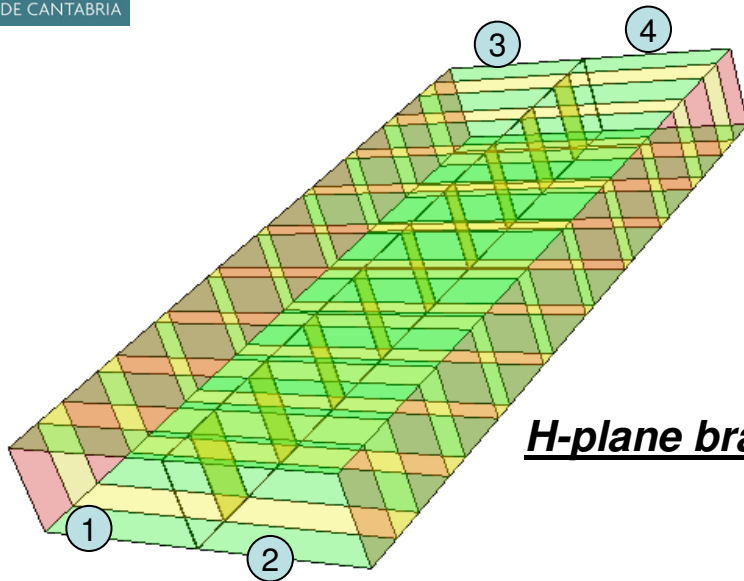
Useful as Power Divider
or Power Combiner 0° to 180°



BW: 10%

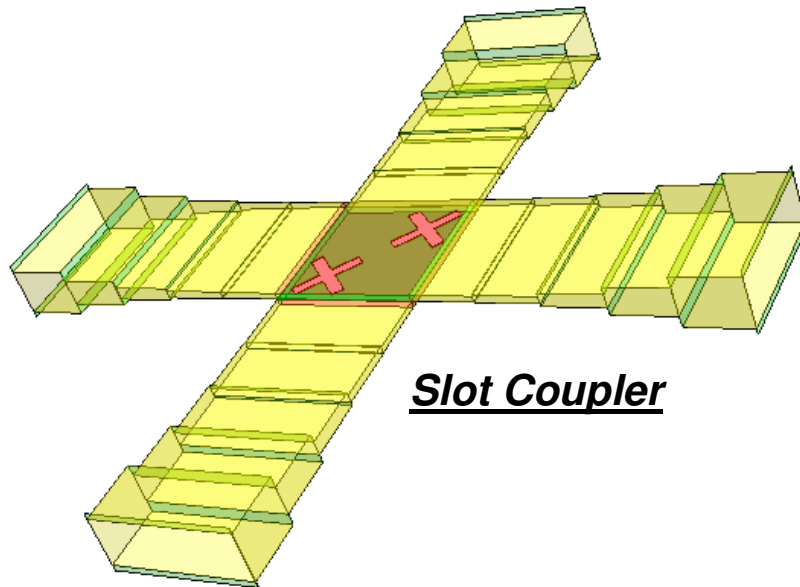
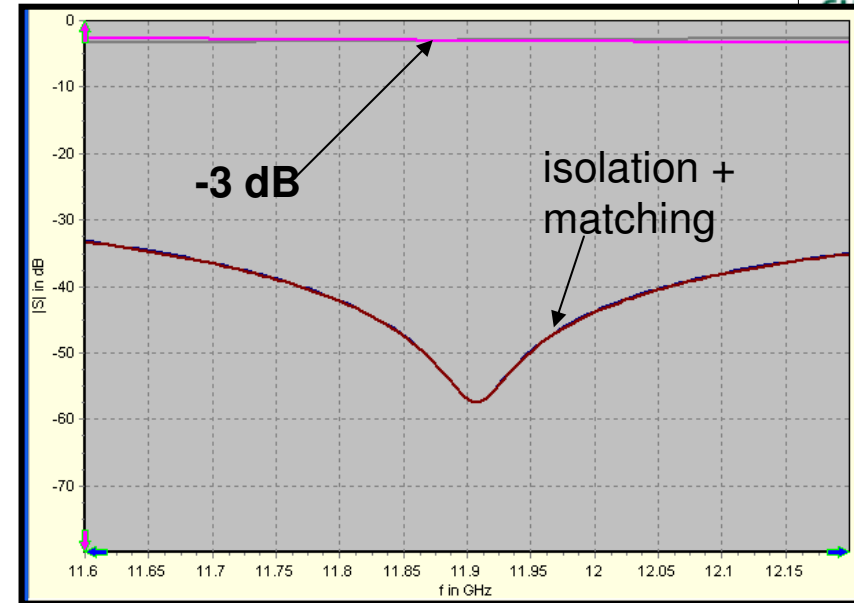
- Ports 1 and 2 decoupled
- Ports 3 and 4 decoupled
- (1) splits toward (3) and (4) in phase opposition (3dB).
- (4) splits toward (1) and (2) in phase (3dB).

} Path differences



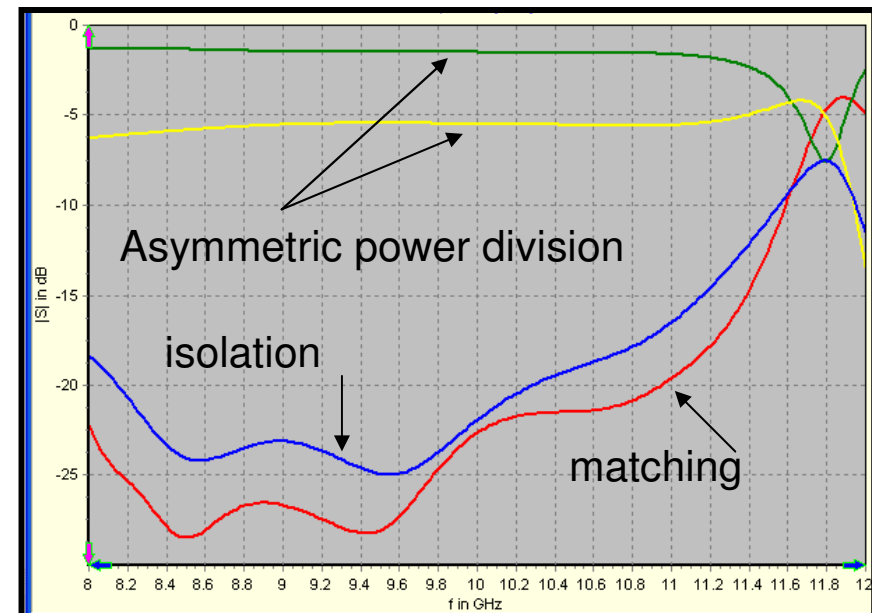
H-plane branch coupler

BW: 10%

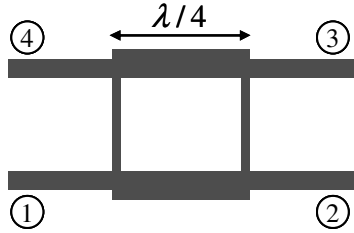
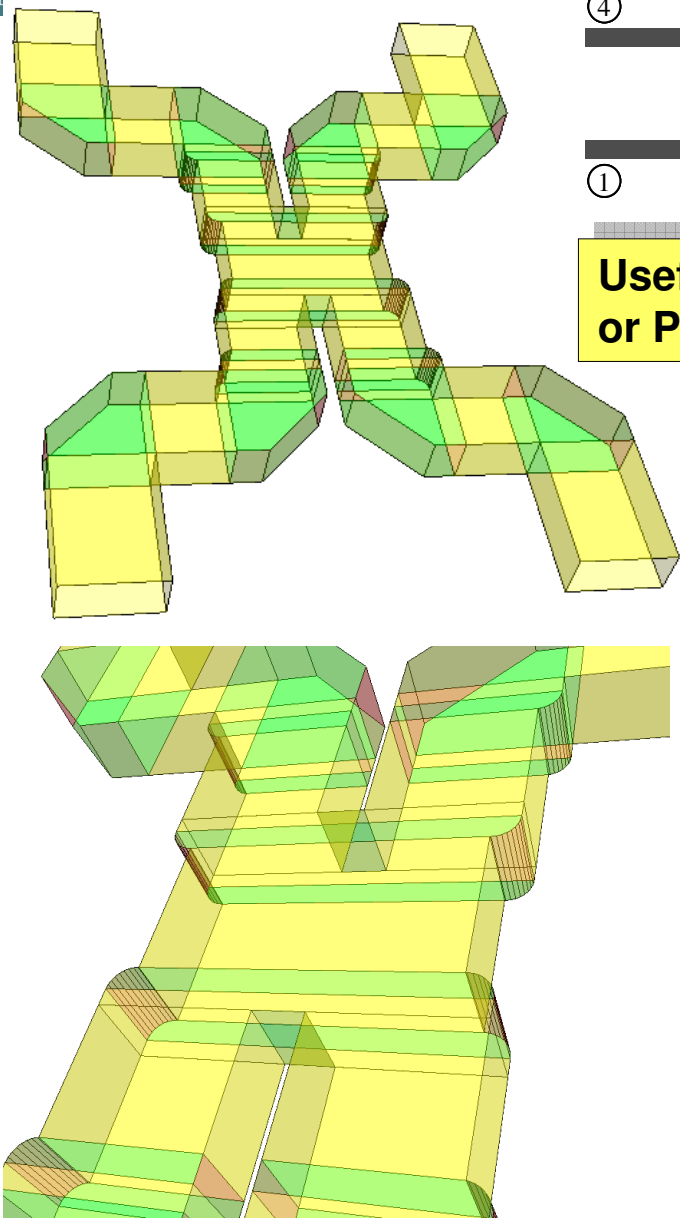


Slot Coupler

BW: 20%



3dB – 90° Couplers



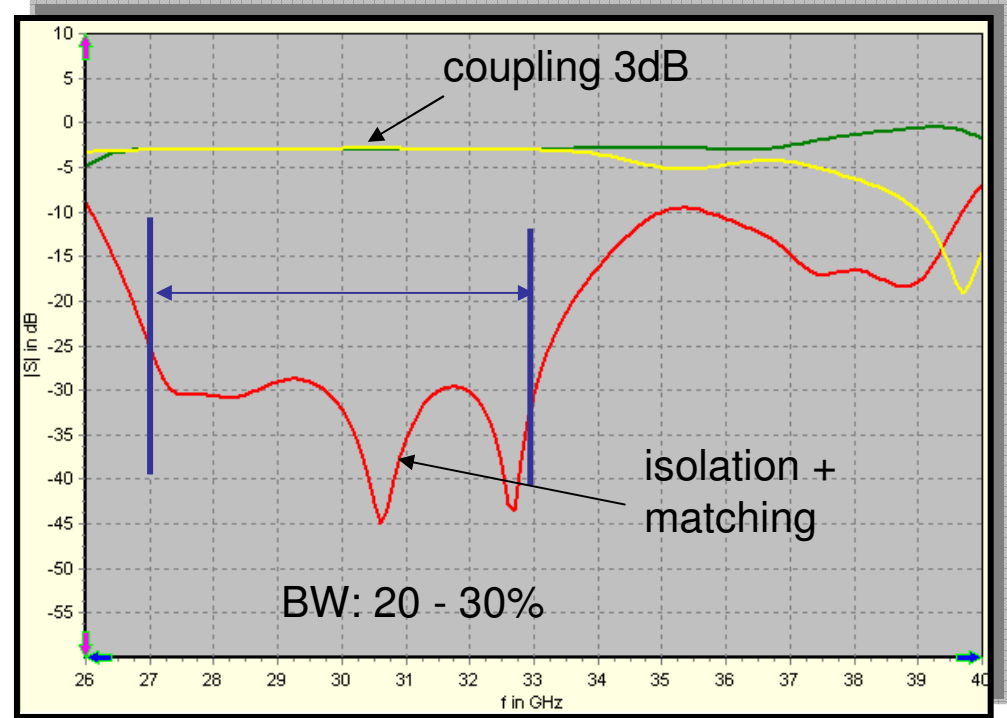
Homonym in
microstrip

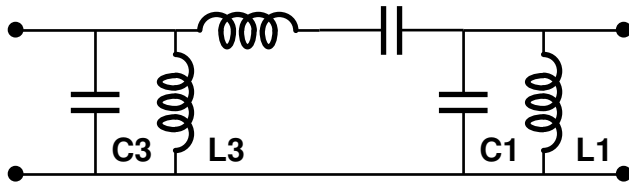
**Useful as Power Divider
or Power Combiner 90°**

3dB Ribblet coupler

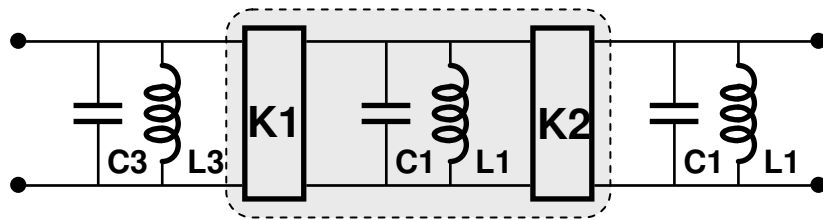
Phase shift : 90°

BW: 20%

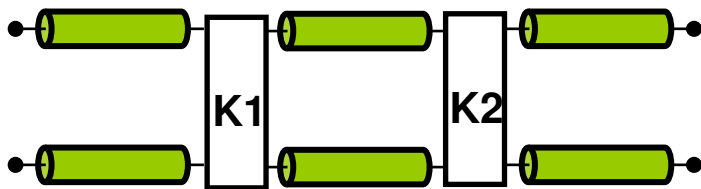




Discrete Pass-Band circuit



Using Inverters



Inverters + waveguide sections

Some examples for Inverters

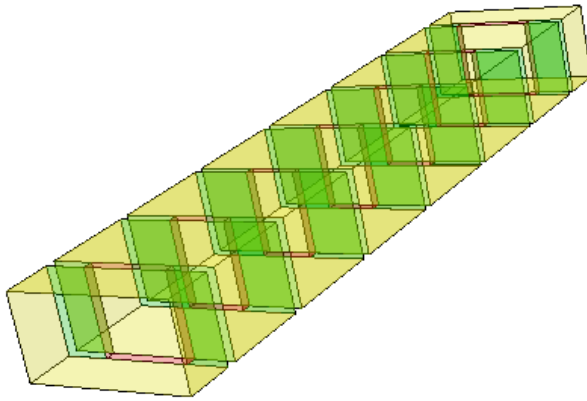
(a)

$\lambda_{g0}/4$
 Z_c, Y_c
 $K = Z_c$
 $J = Y_c$
 Z_{in}, Y_{in}
 Z_L
 $Z_{in} = Z_c^2/Z_L @ F_0$
 $Y_{in} = Y_c^2/Y_L @ F_0$

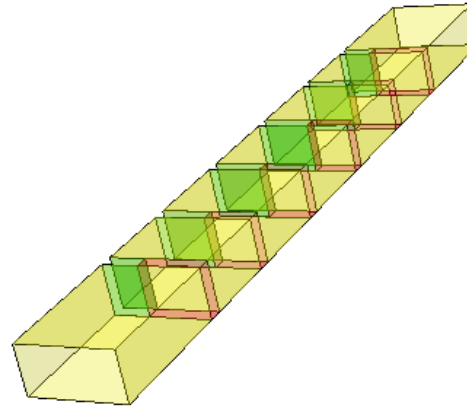
(b)

K Inverters
 $X = K / [1 - (K/Z_c)^2]$
 $\theta = 1/2 | \text{ATN}(2X/Z_c) |$
 $X = LW$
 $X = -1/CW$

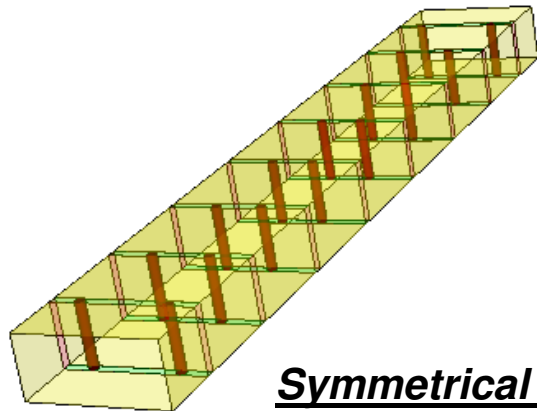
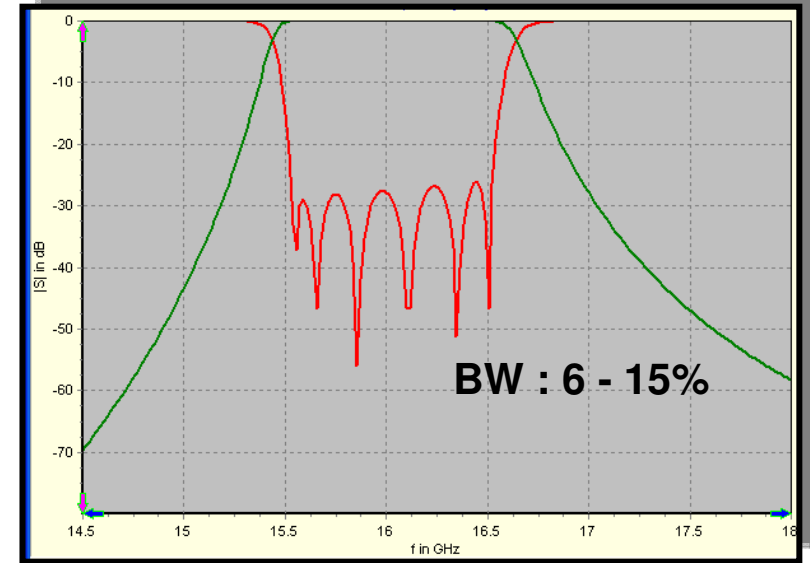
J Inverters
 $B = J / [1 - (J/Y_c)^2]$
 $\theta = 1/2 | \text{ATN}(2B/Y_c) |$
 $B = -1/LW$
 $B = CW$



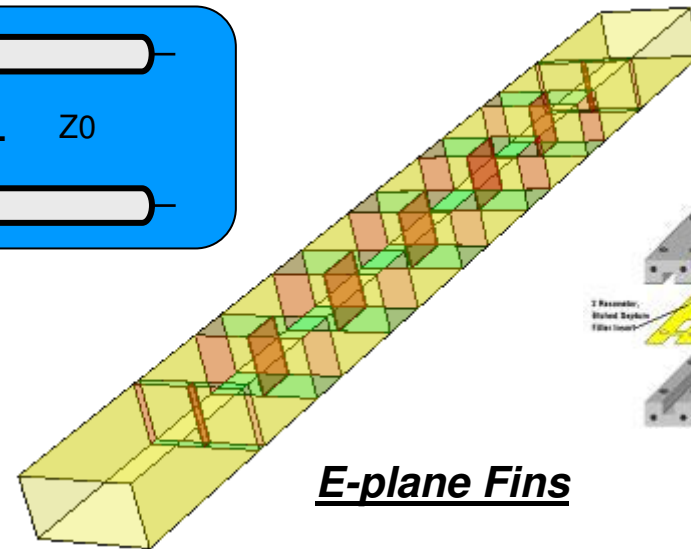
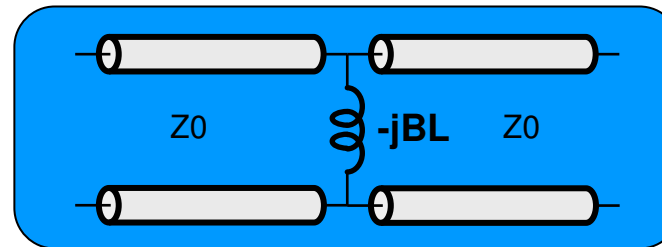
Symmetrical Iris



Asymmetrical Iris

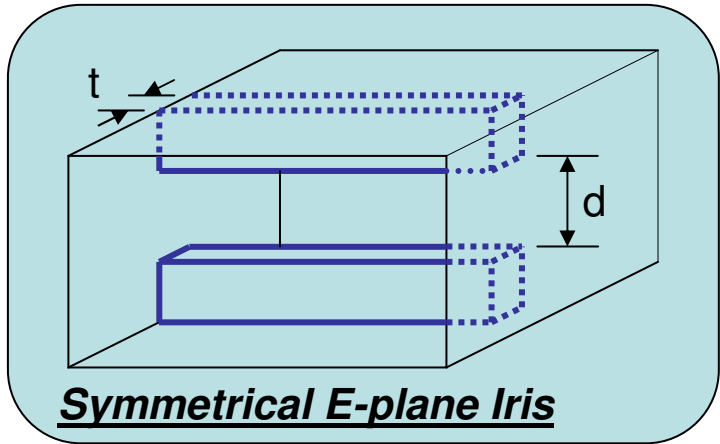
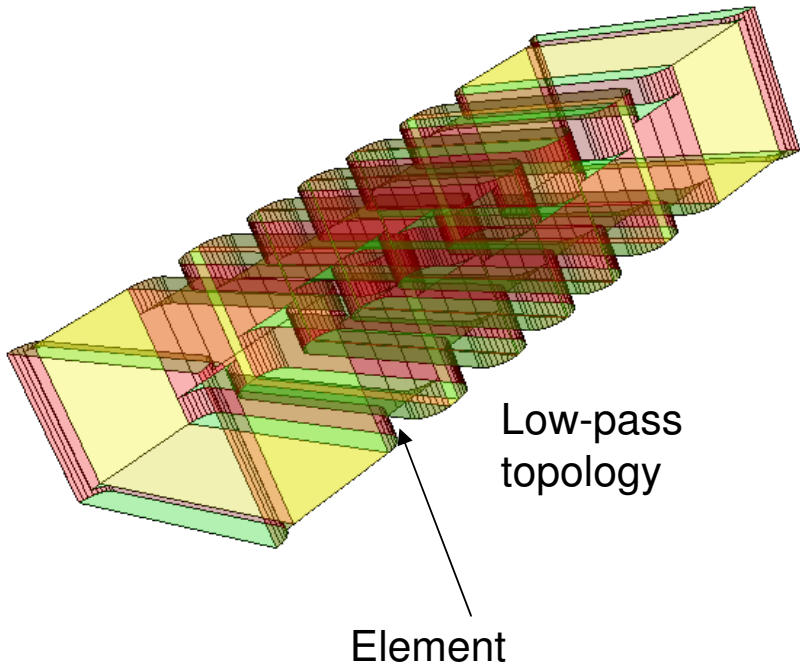


Symmetrical pairs of Posts

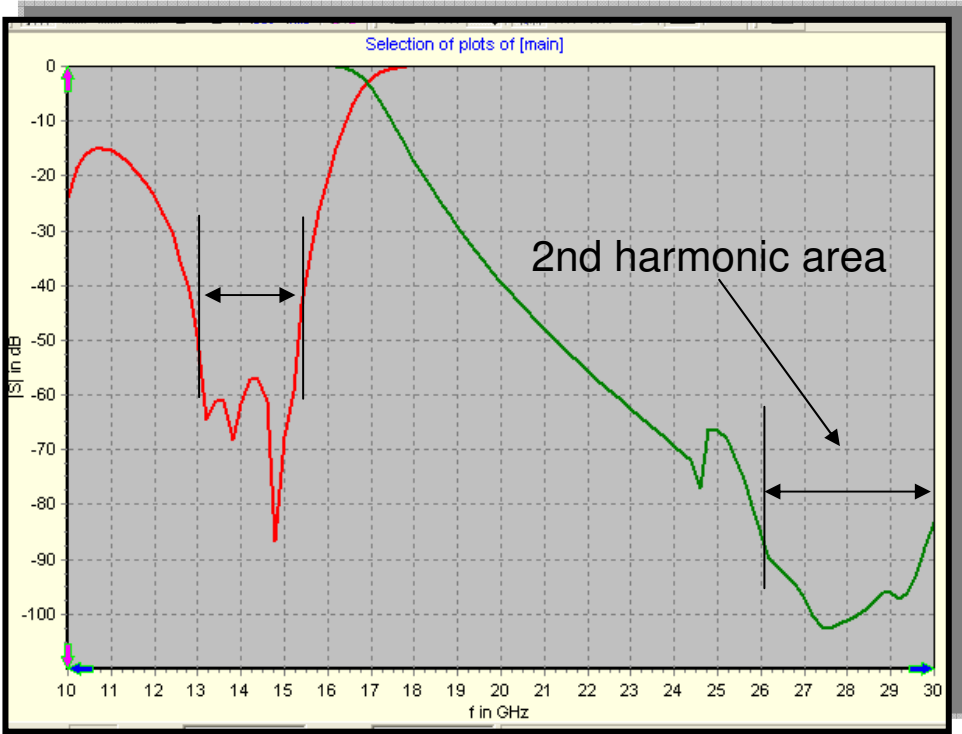


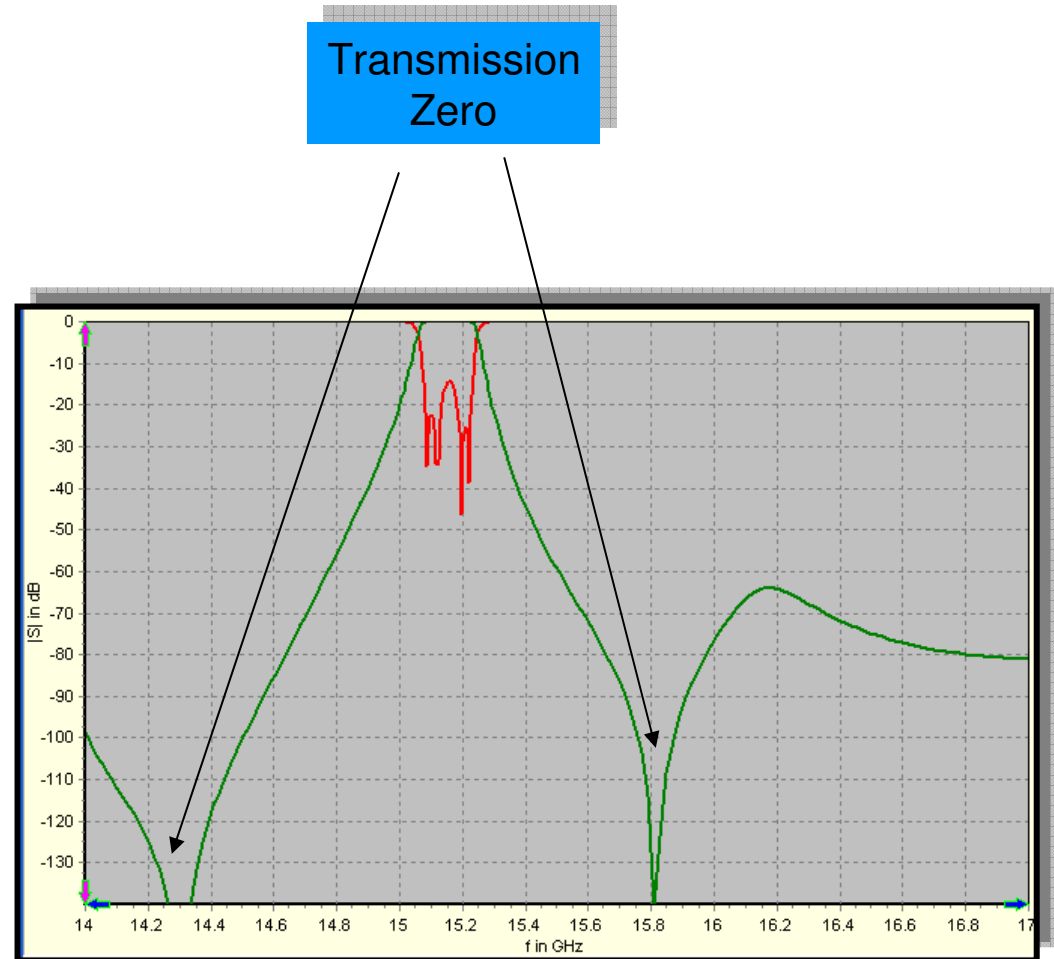
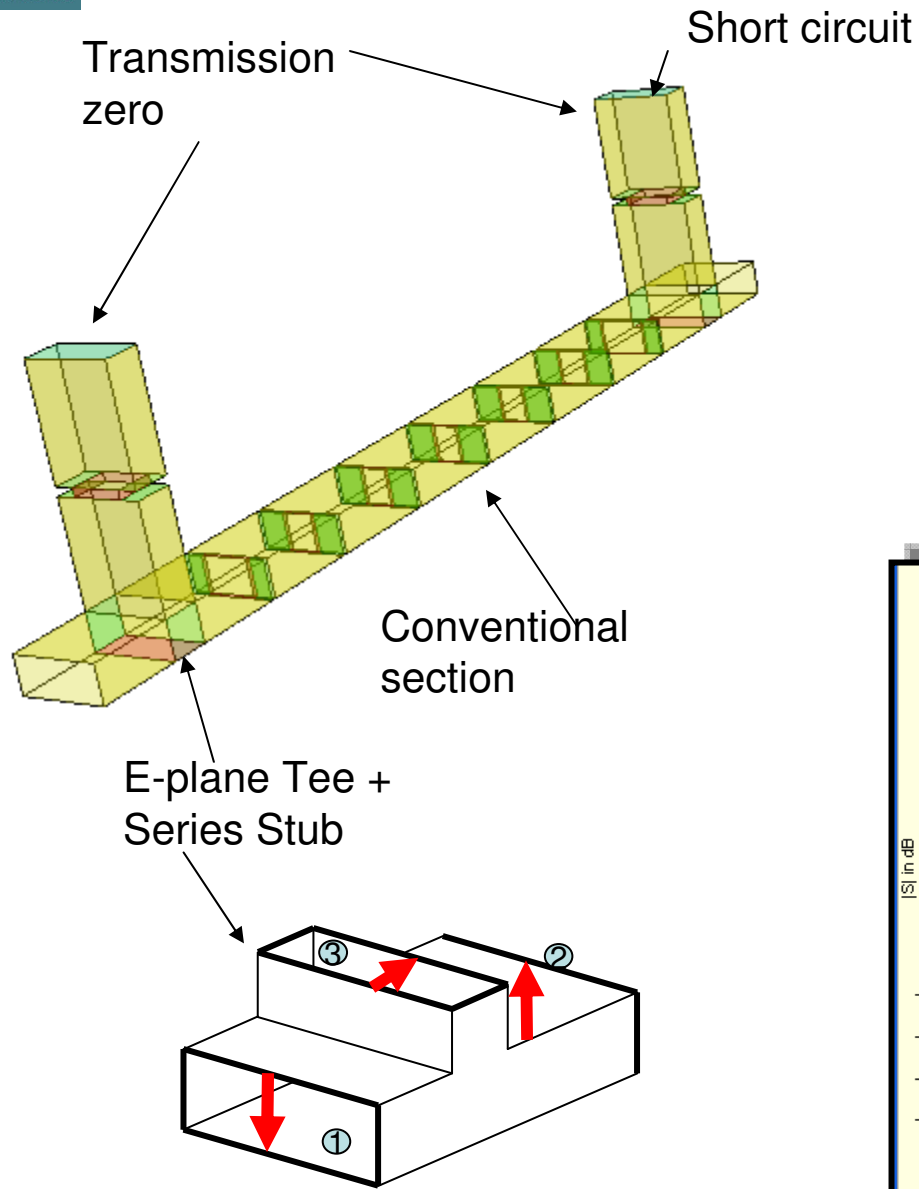
E-plane Fins

Low-Pass Waveguide Filters

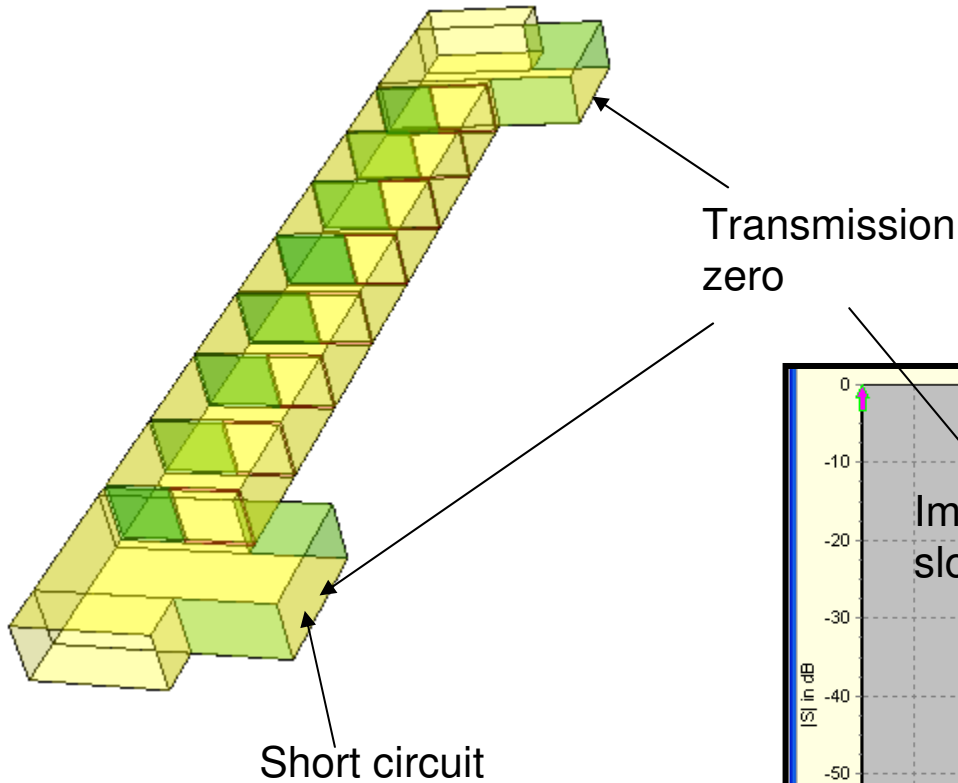


Destroys 2nd Harmonic in Microwave transmitters

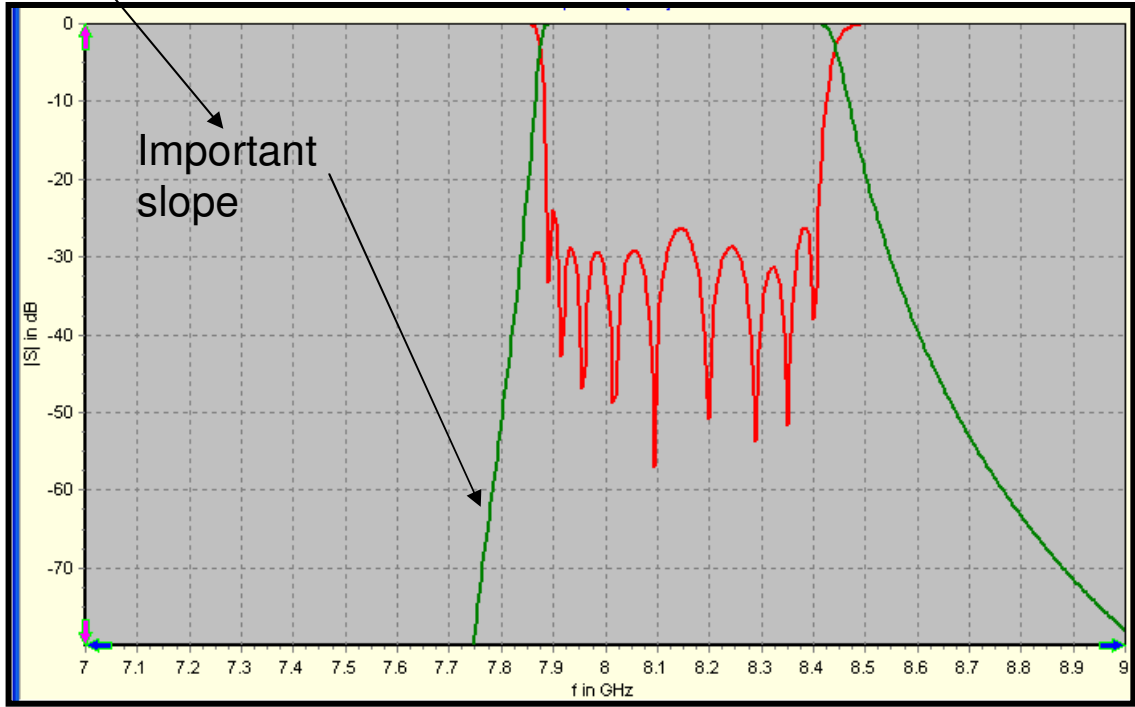


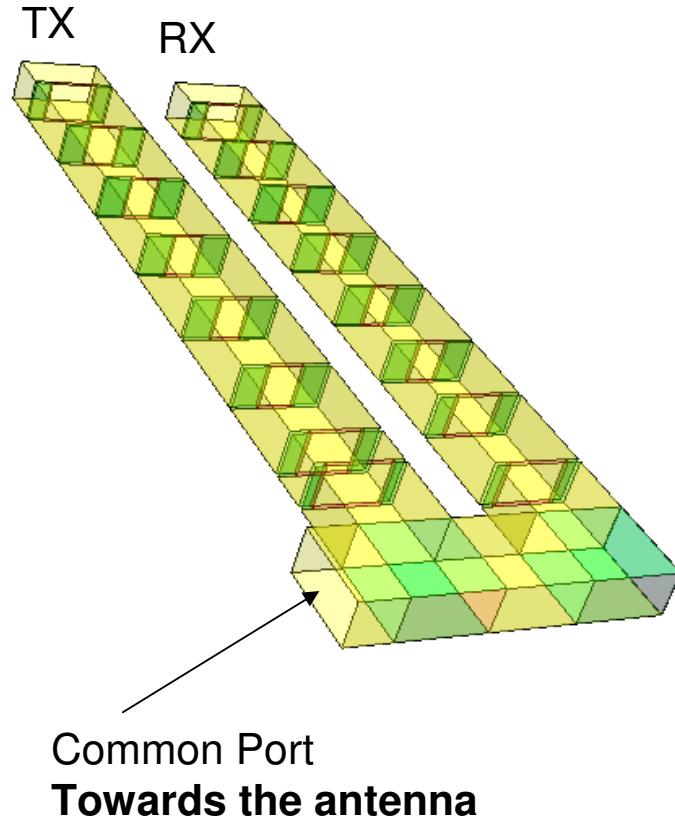


Elliptic Waveguide Filters

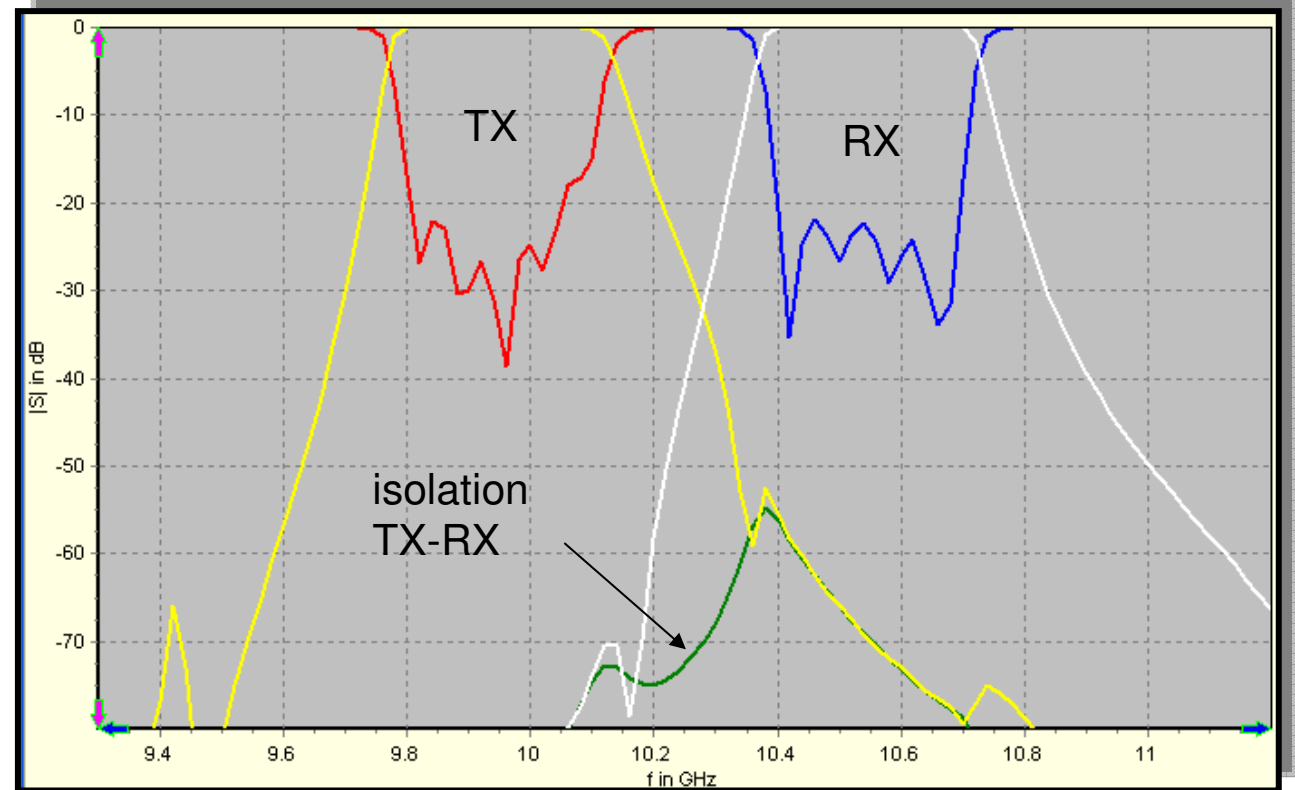


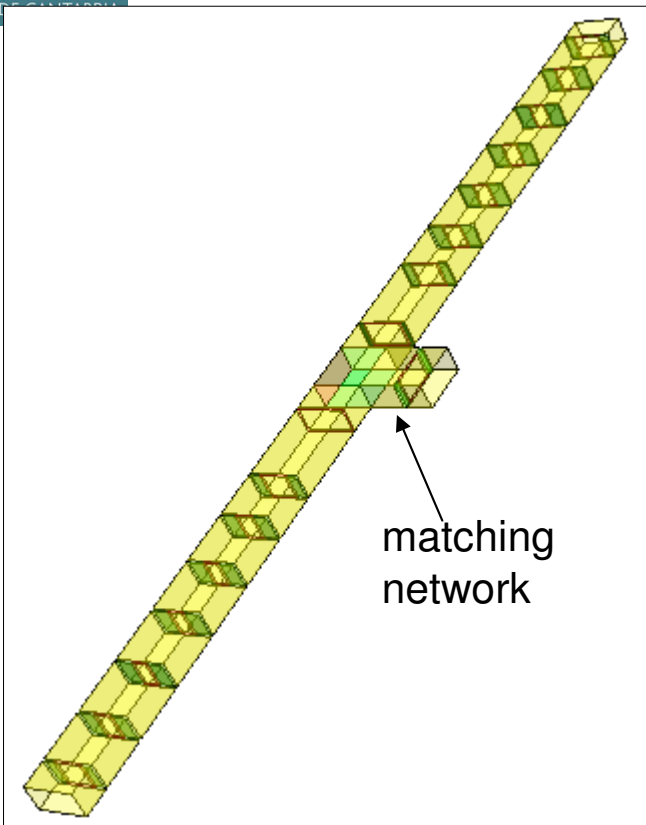
Supplementary Rejection
at one side of the filter



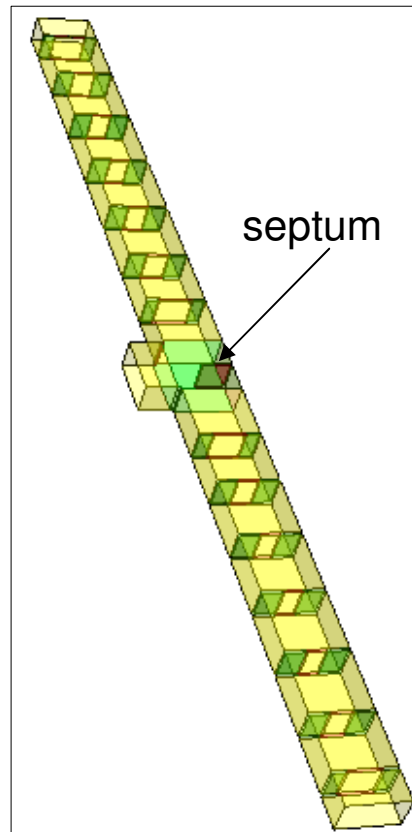


To select two different frequency bands
(in theory completely isolated)

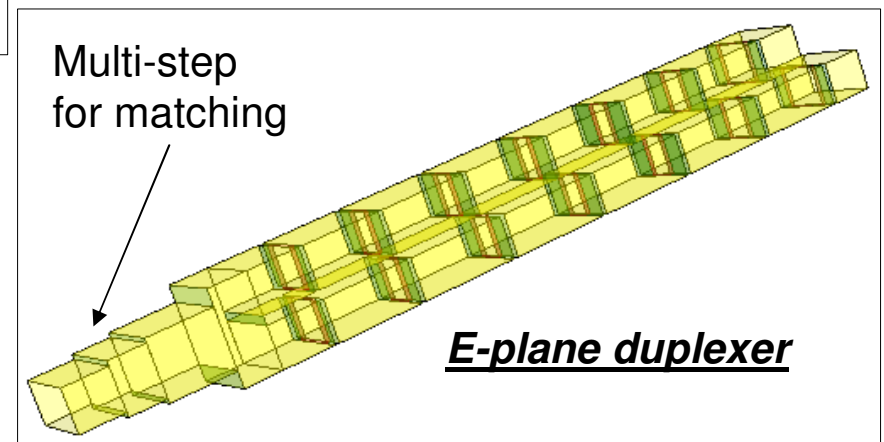




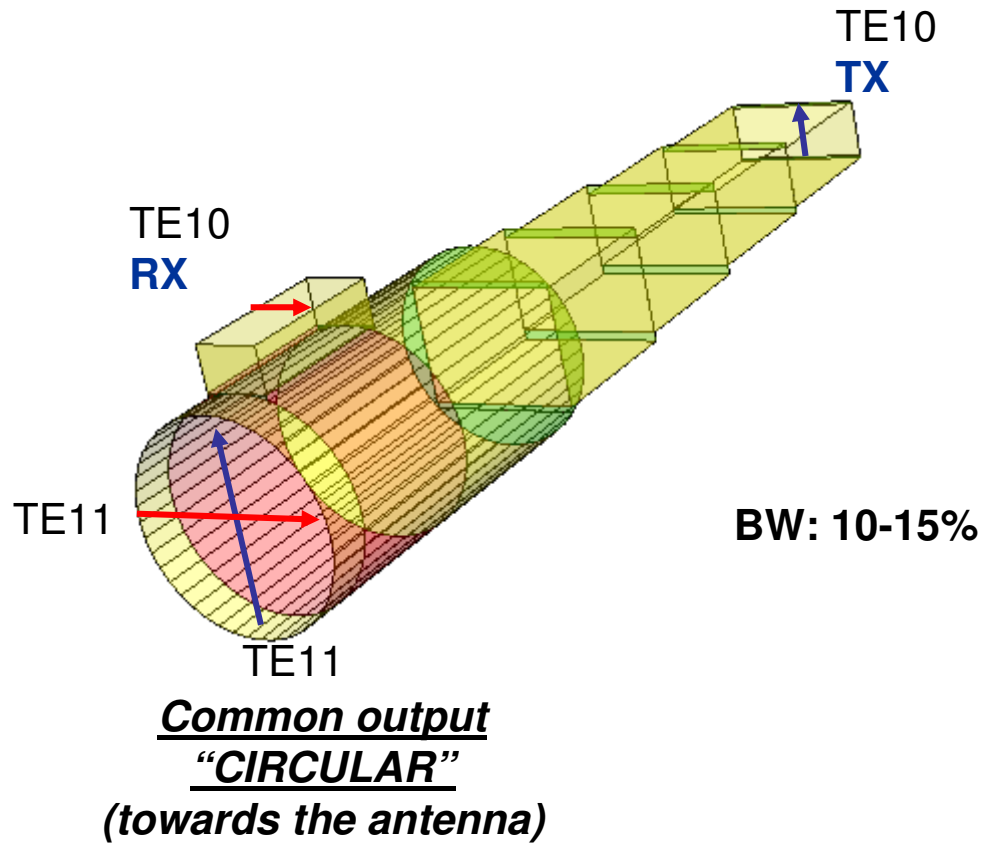
H-plane duplexer
(matched T)



H-plane duplexer
(septum)

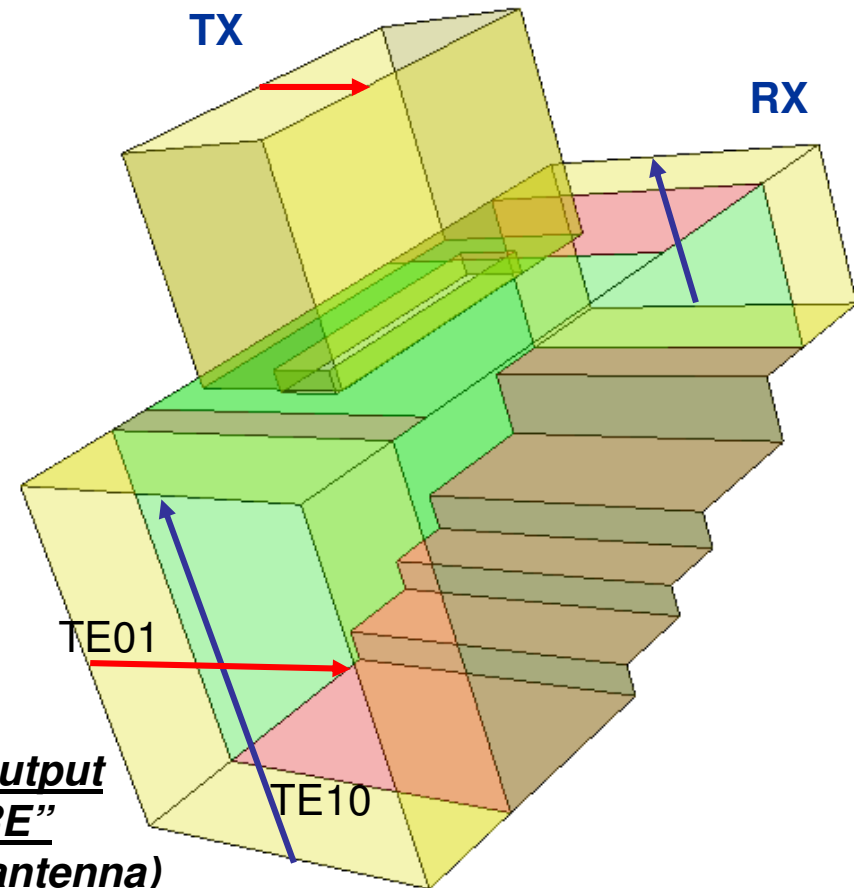


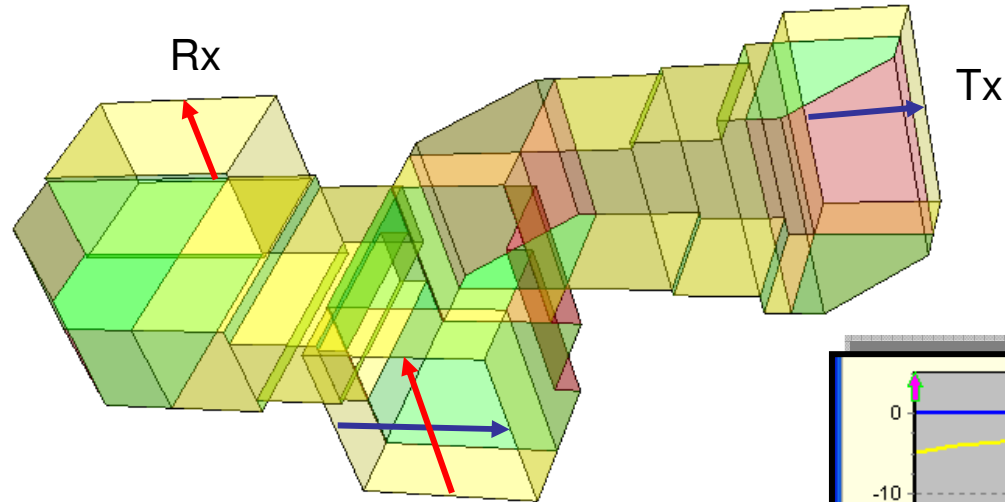
E-plane duplexer



- In the common waveguide TX and RX are orthogonal: infinite isolation.
- Operation in the same band or in different frequency bands

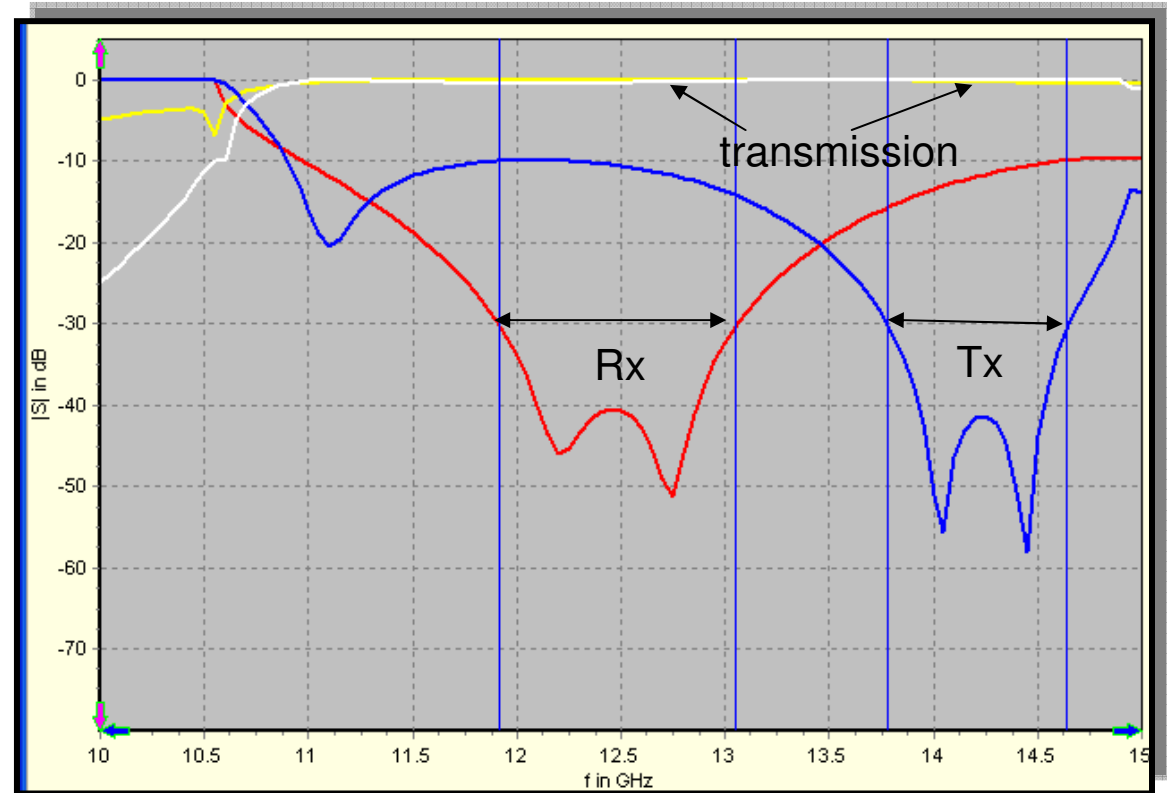
Common output
"SQUARE"
(towards the antenna)

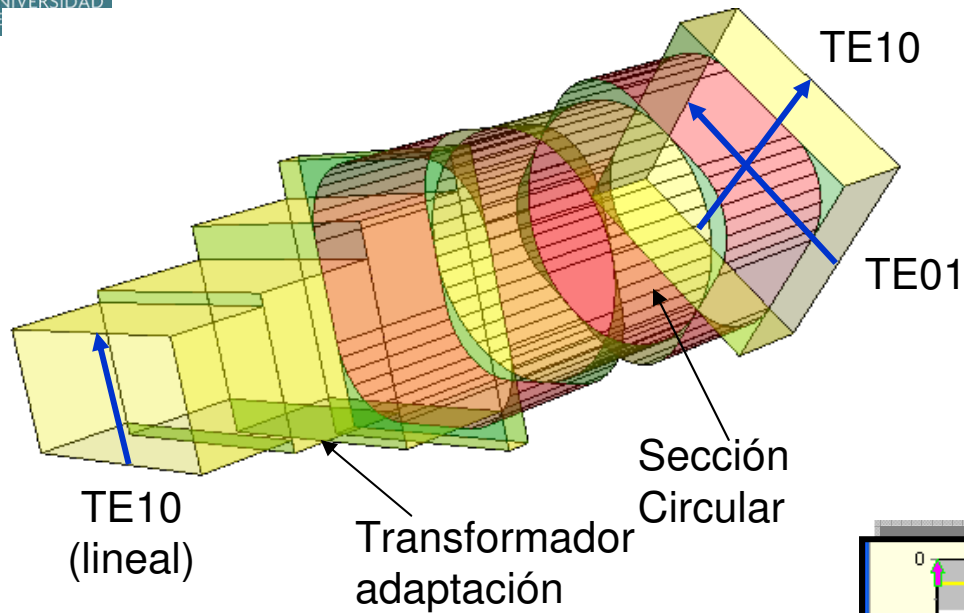




WR75: Ku band

Common output
“SQUARE”
(towards the antenna)





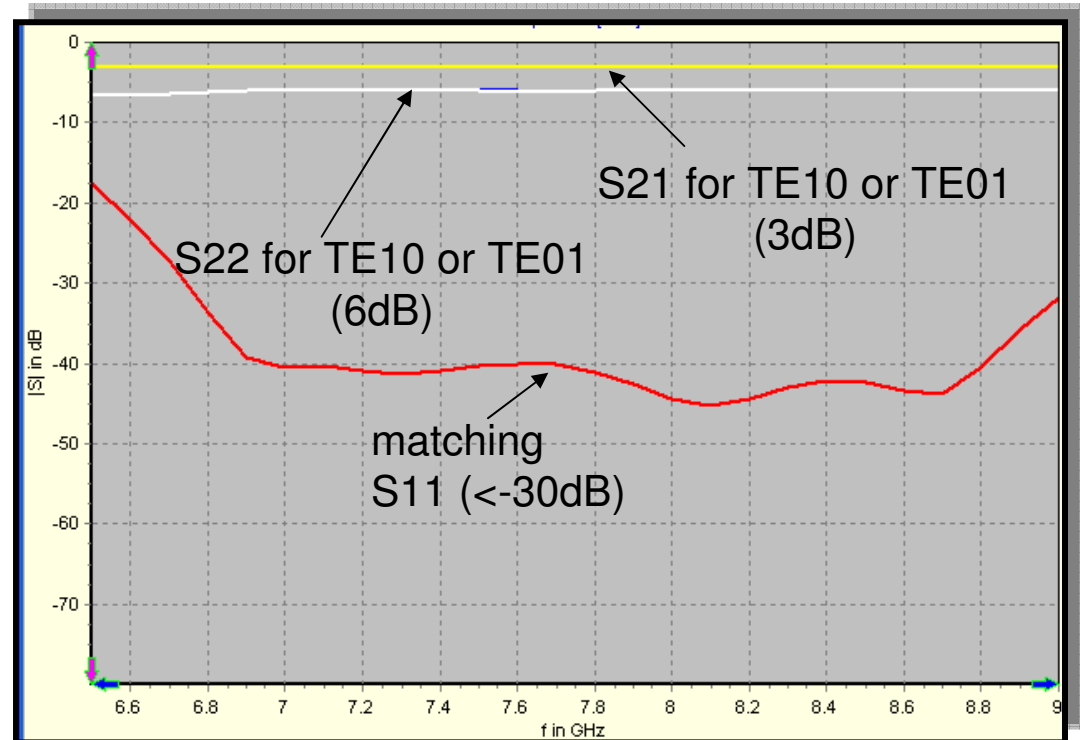
Phase shift between
TE10 and TE01 is
ZERO°

BW: 40%

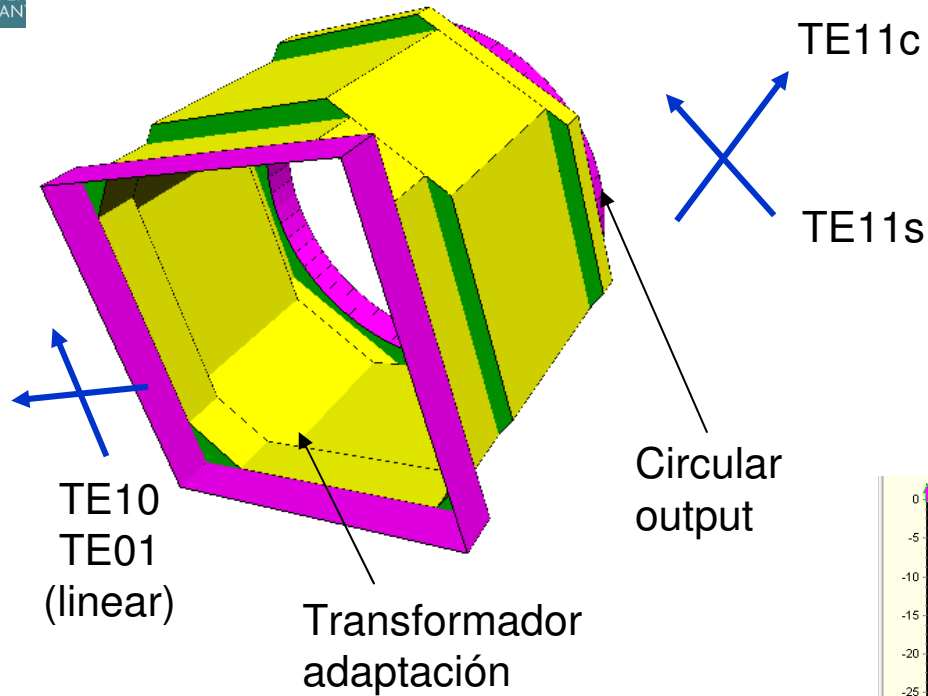
-To convert a LINEAR polarization to a CIRCULAR polarization:

1°.- Split the input signal TE10 into two orthogonal modes TE10 and TE01 through the use of a square waveguide rotated 45°

2°.- Delay one mode with respect to the other by 90°.

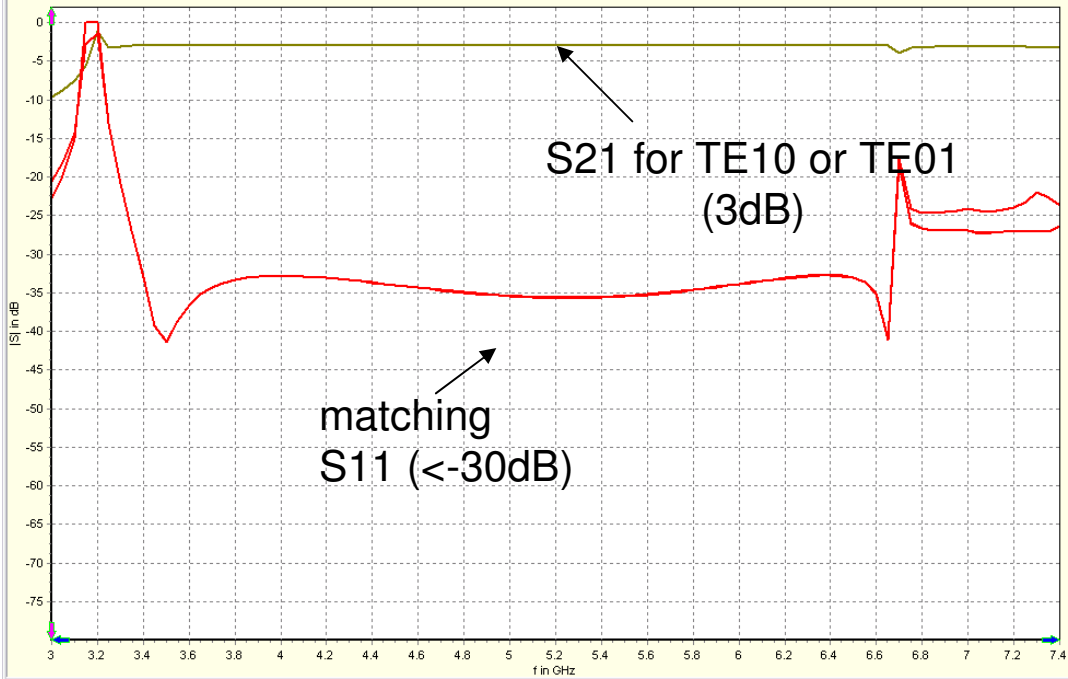


POLARIZERS for Circular Polarization



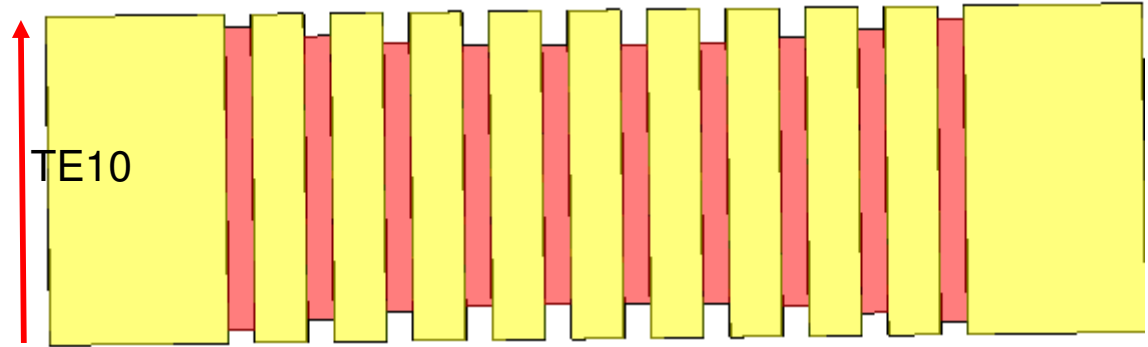
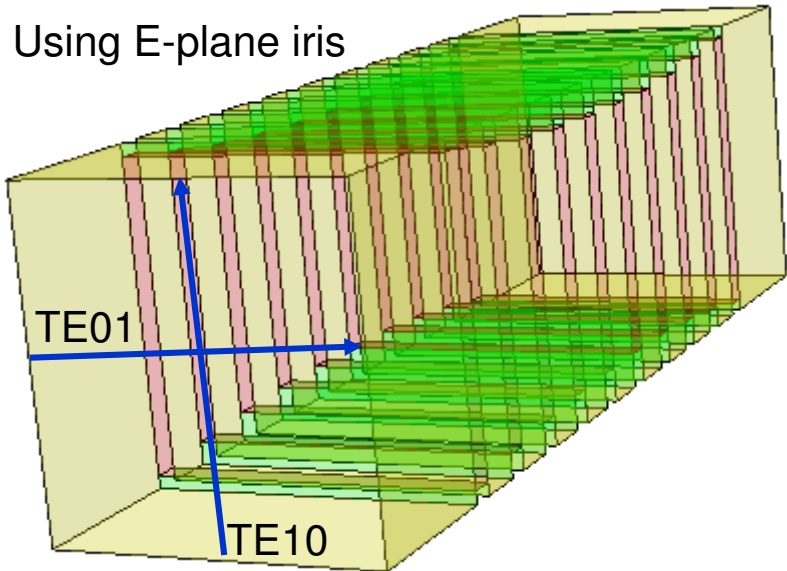
- Same idea but using octagonal sections

Phase shift between TE10 and TE01 is ZERO°
BW: 66%

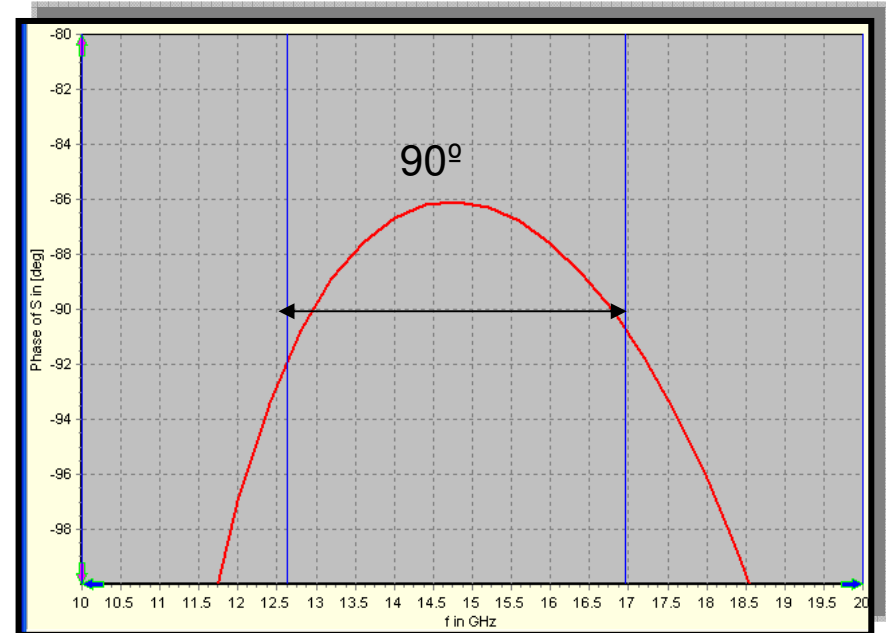
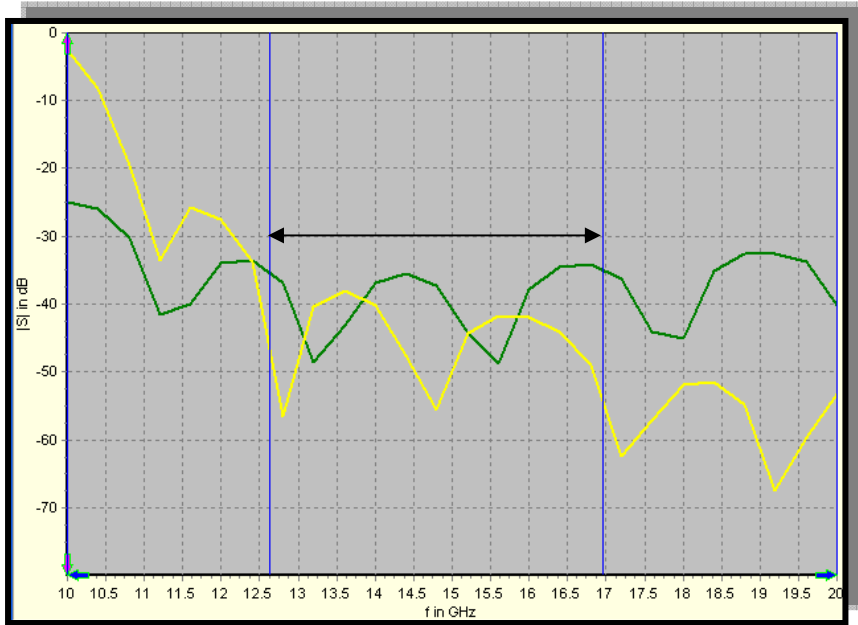


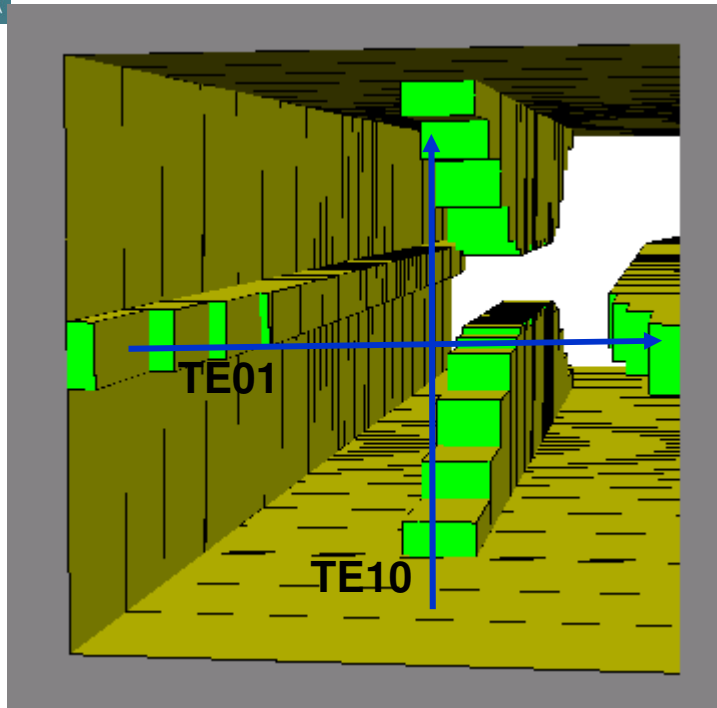
POLARIZERS for Circular Polarization

Using E-plane iris



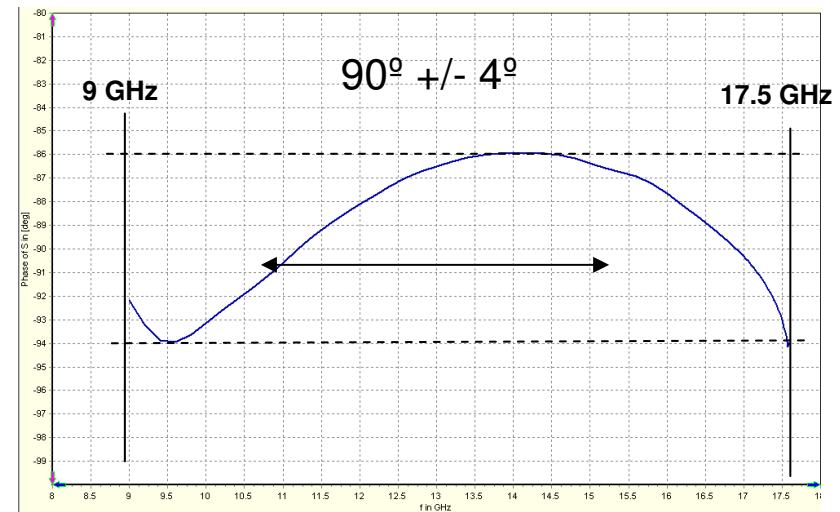
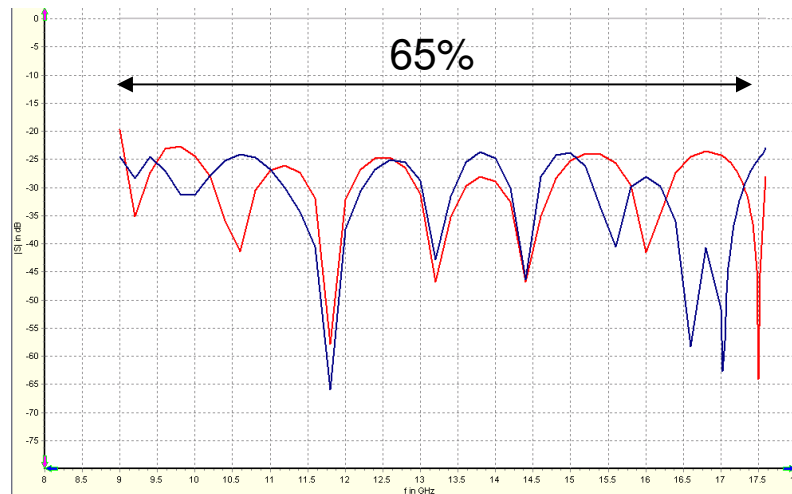
TE10 mode is delayed 90° with respect to TE01 mode



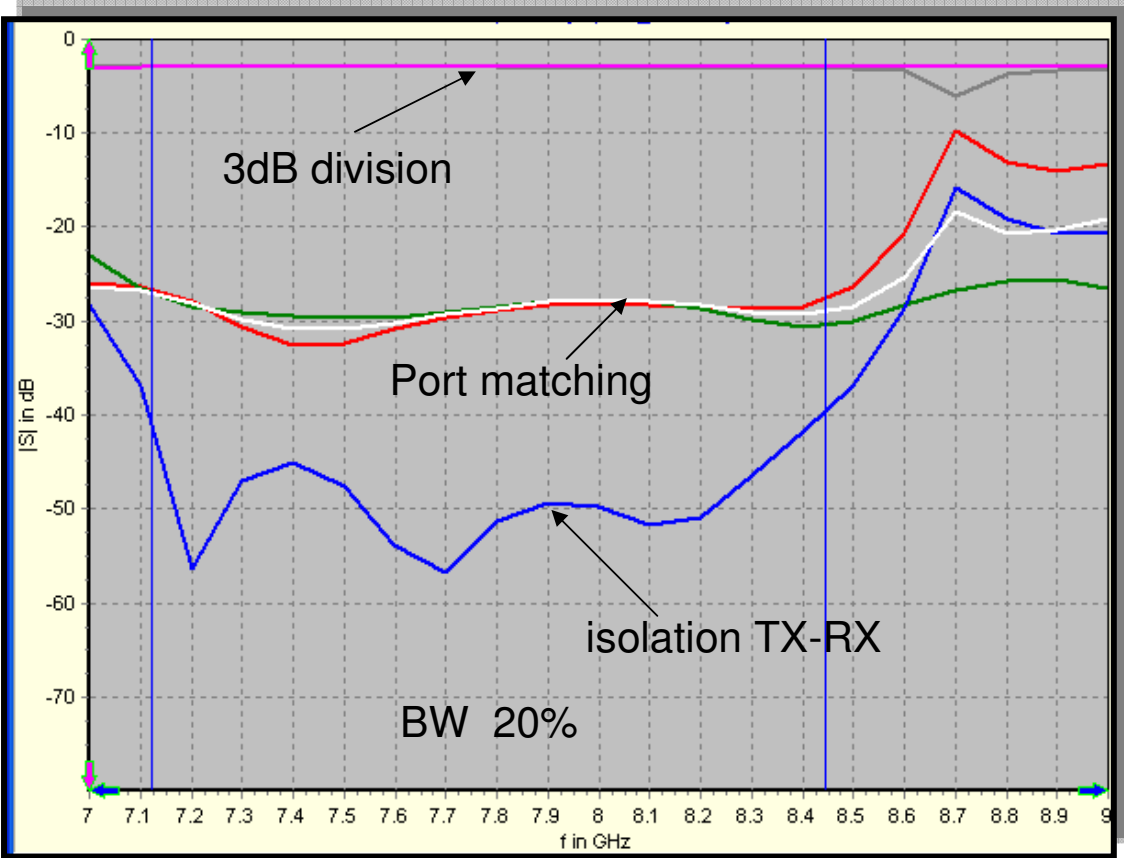
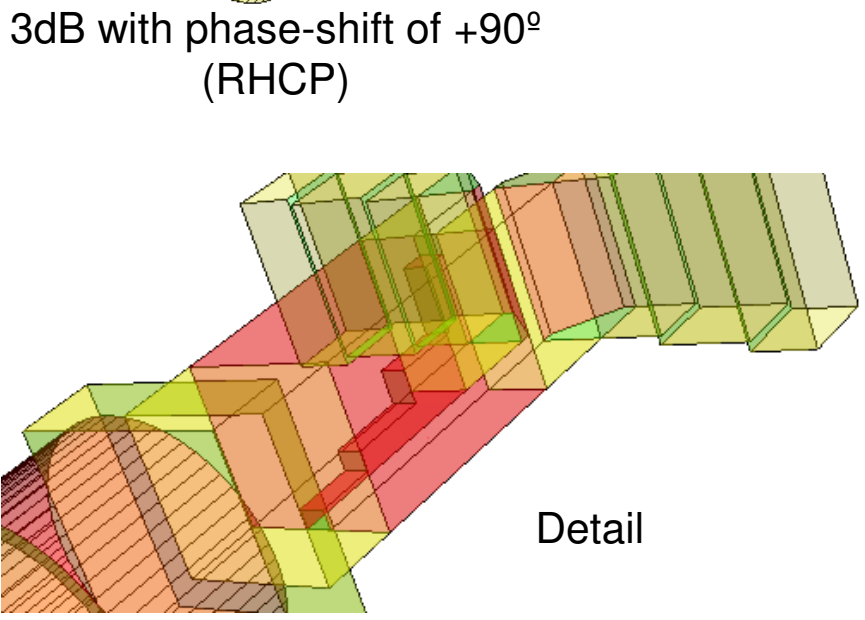
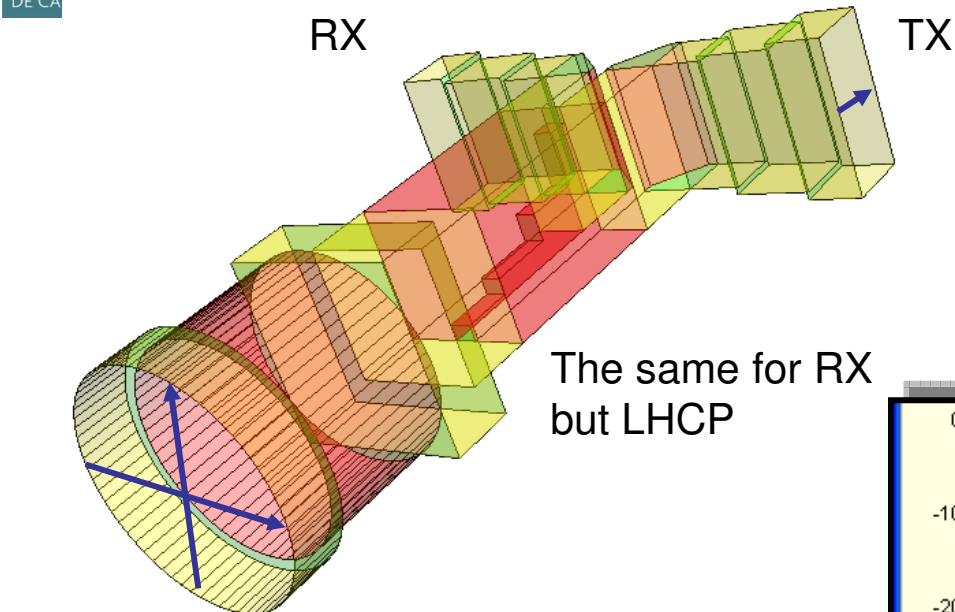


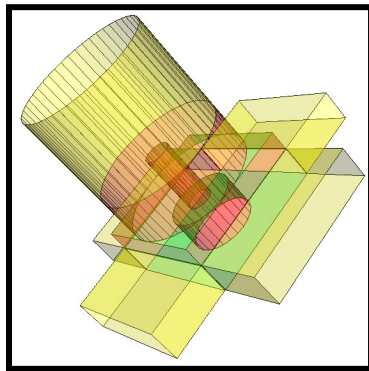
Using Ridge waveguide

TE10 mode is delayed 90° with respect to TE01 mode



OMT – CIRCULAR POLARIZATION





Turnstile Junction

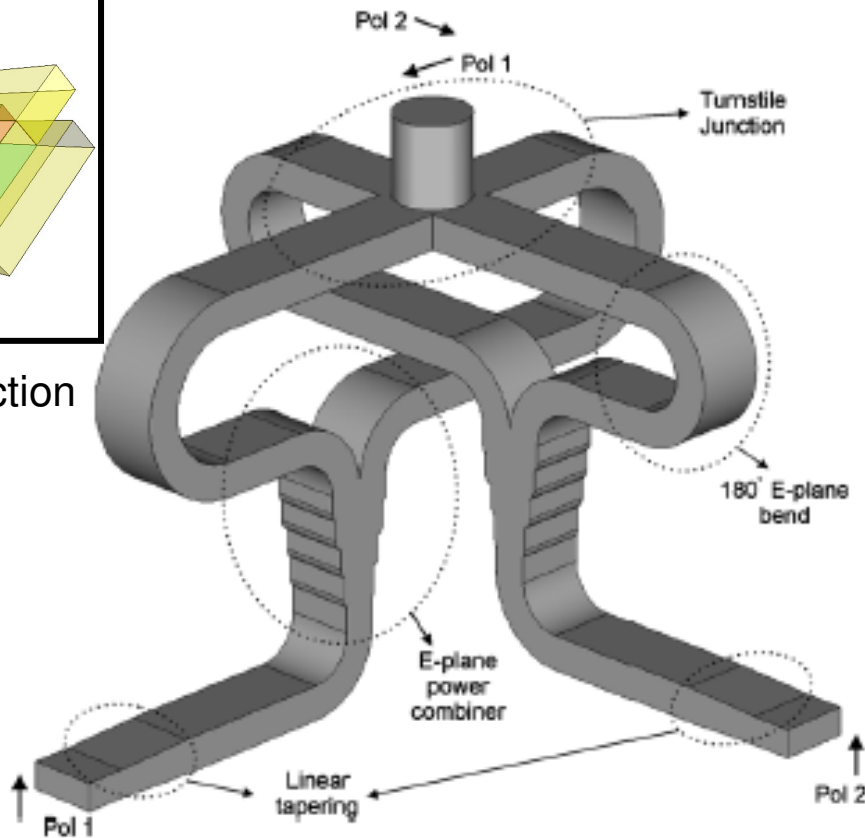
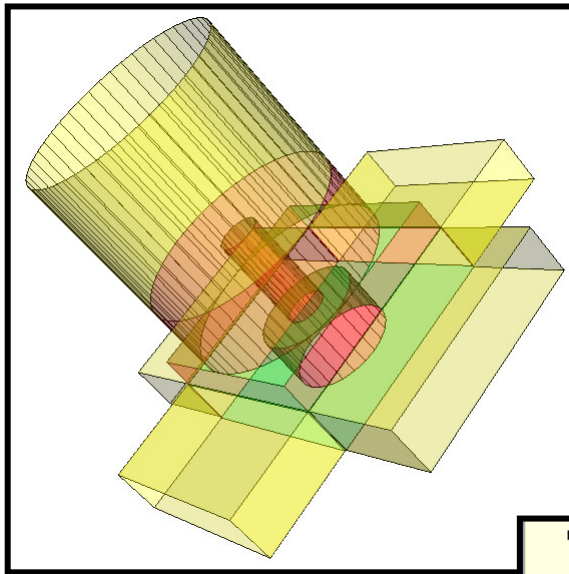
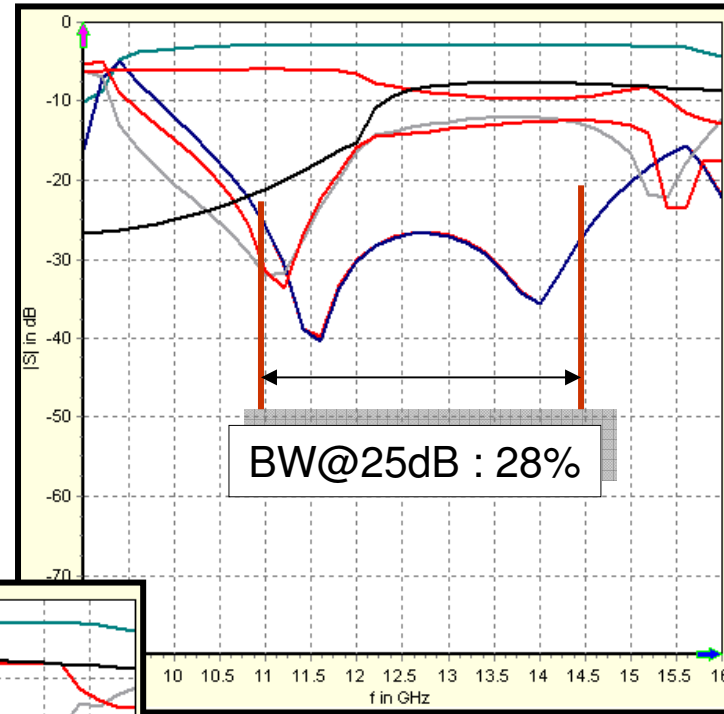


Fig. 3. Internal view of the full OMT. Opposite ports of the turnstile junction are brought together with *E*-plane bends and power combiners.

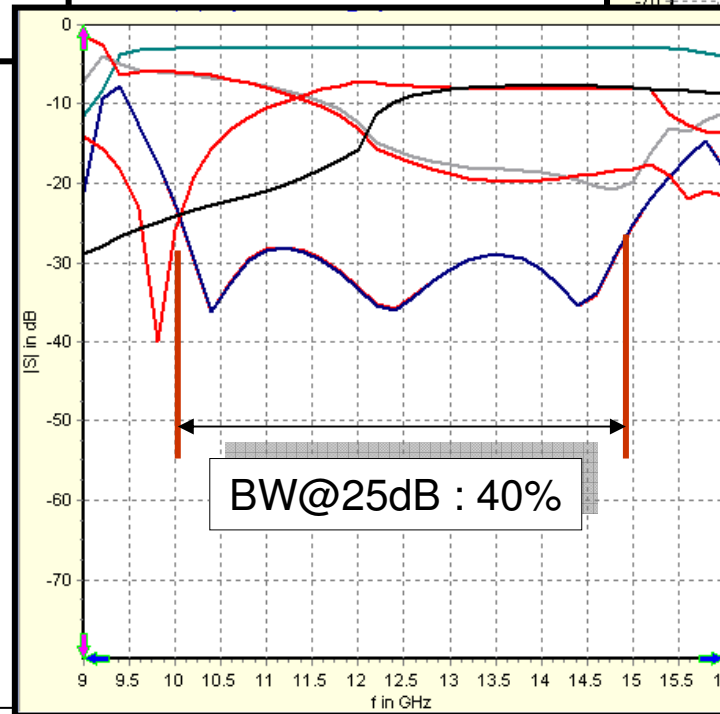
Navarrini et al.
 “A Turnstile Waveguide Junction
 Orthomode Transducer”
 IEEE Trans. on MTT, jan. 2006



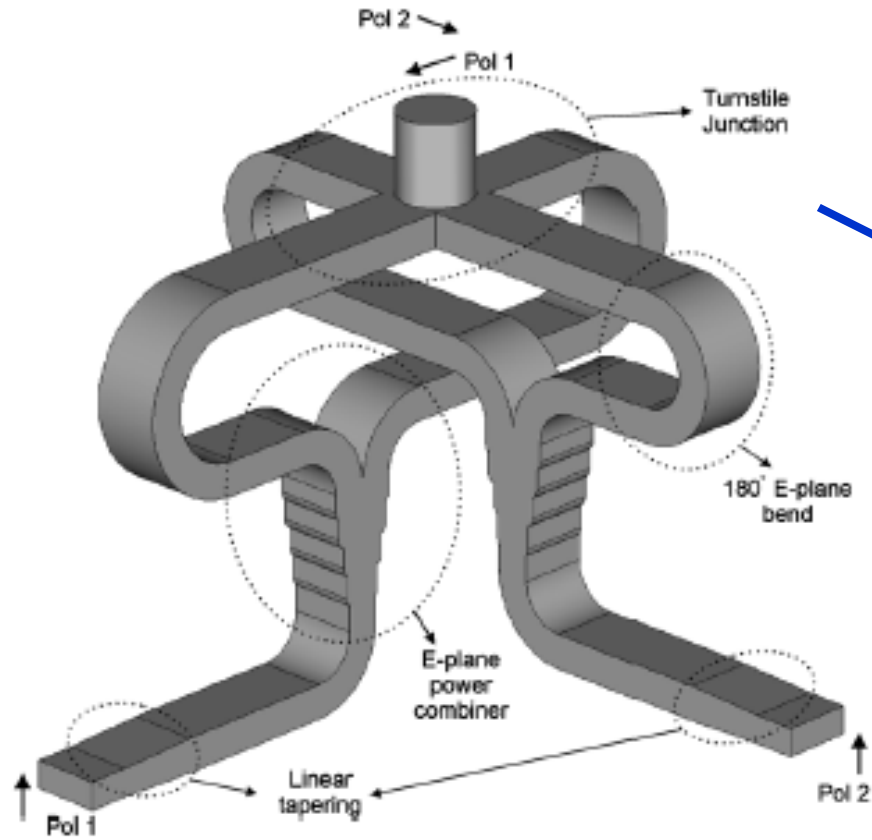
Isolation > 50dB
Typ. 60dB



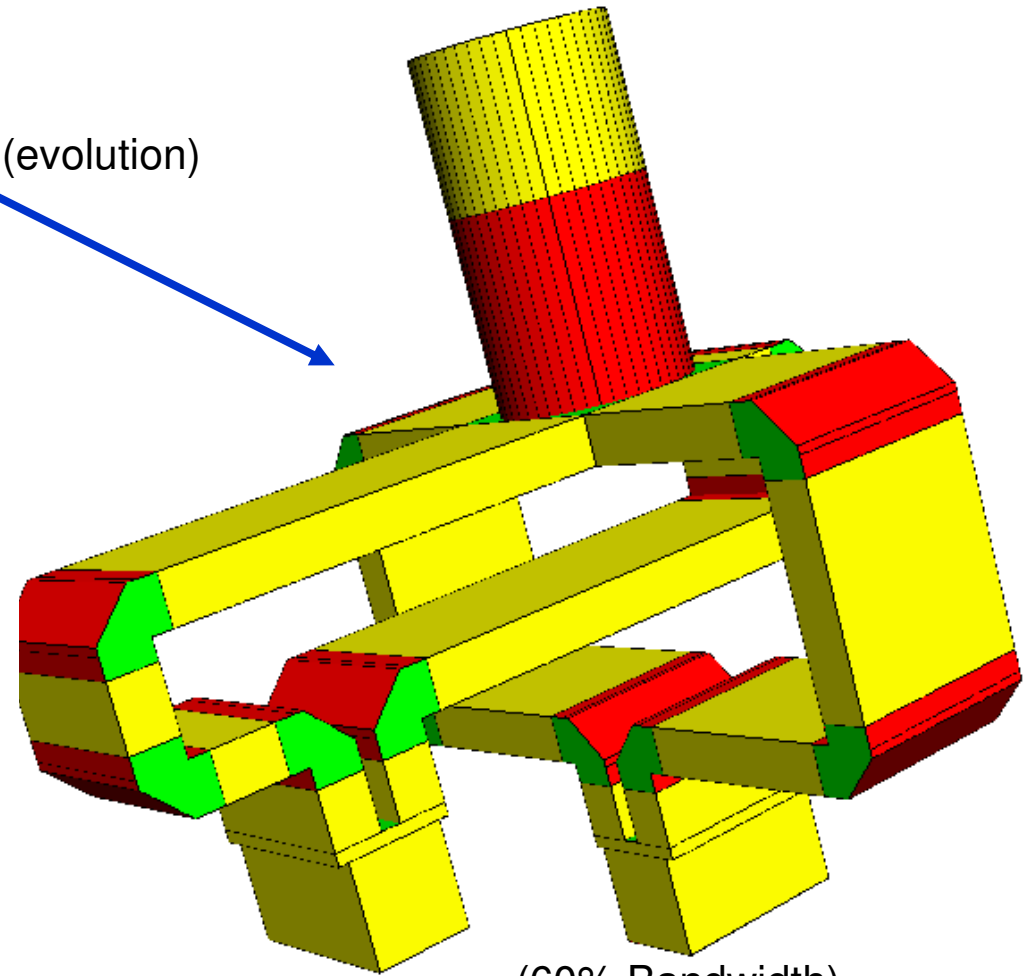
We can do better



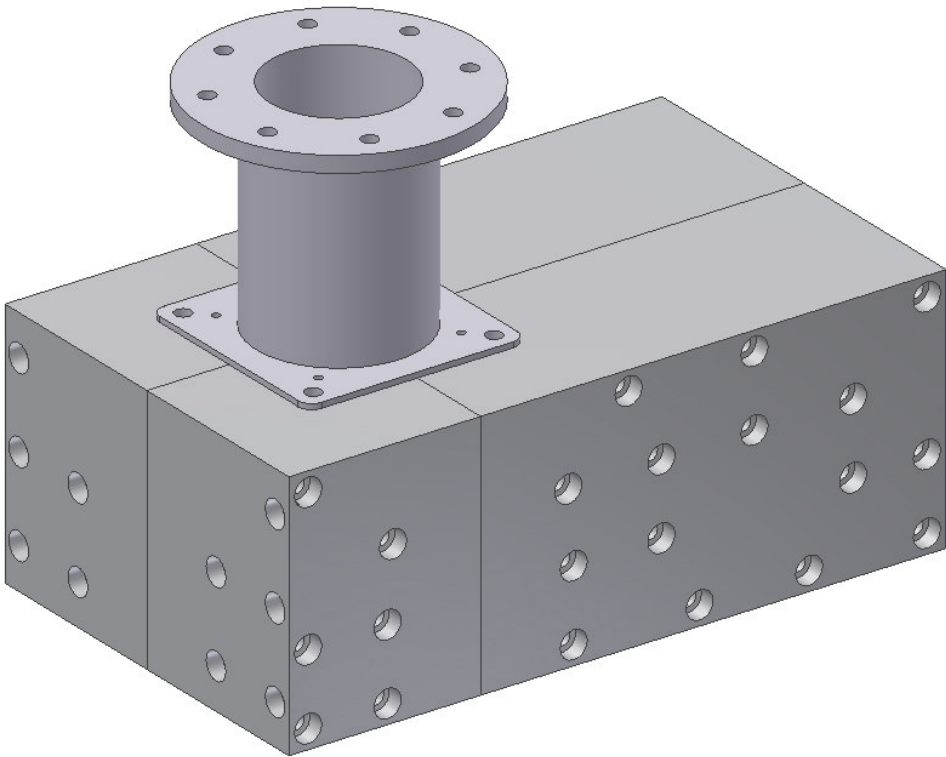
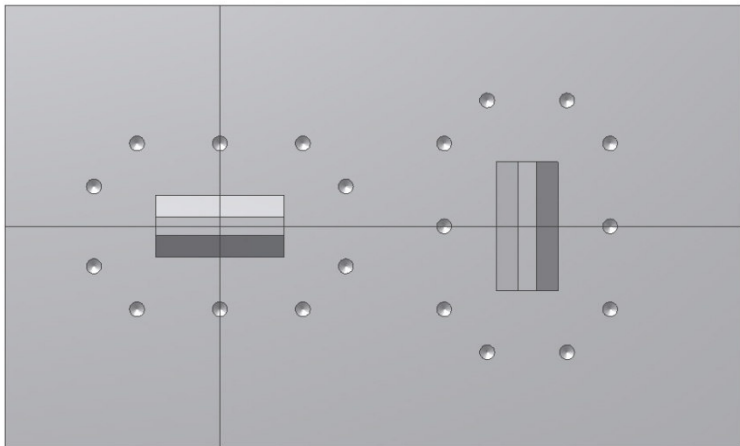
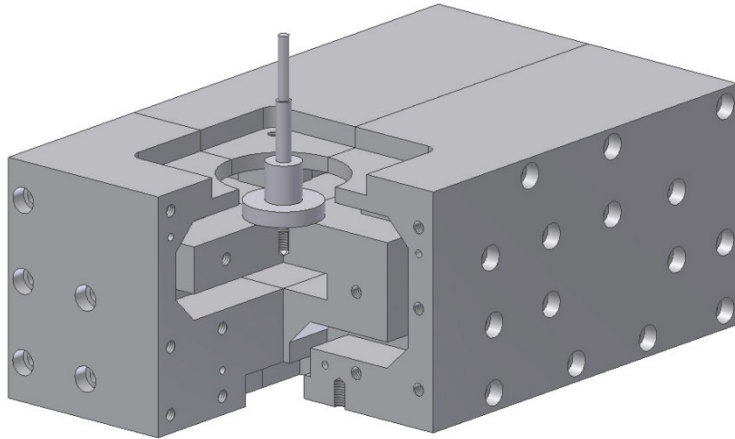
Turnstile Based

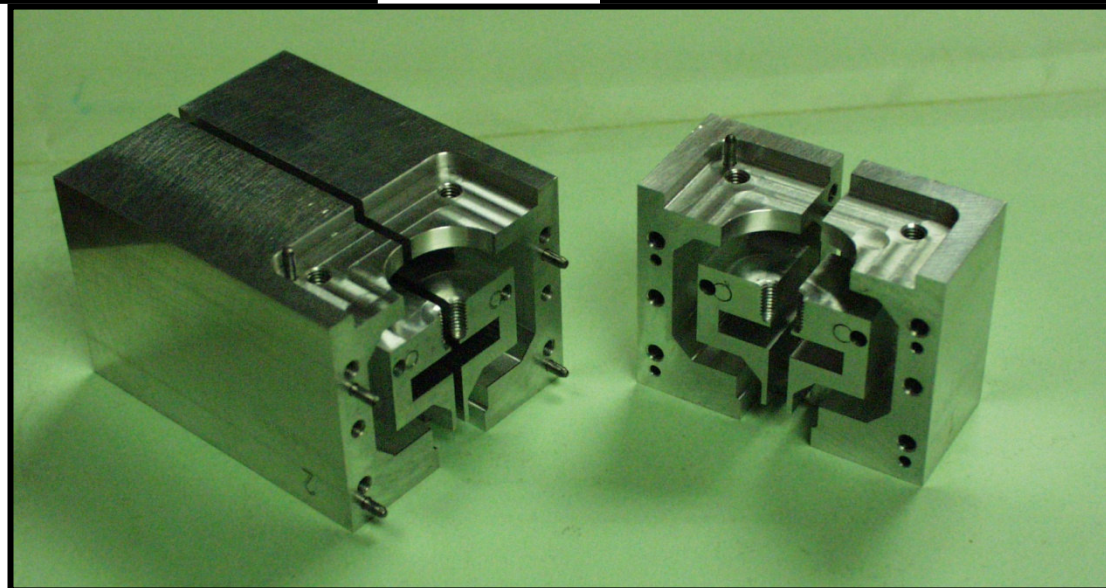
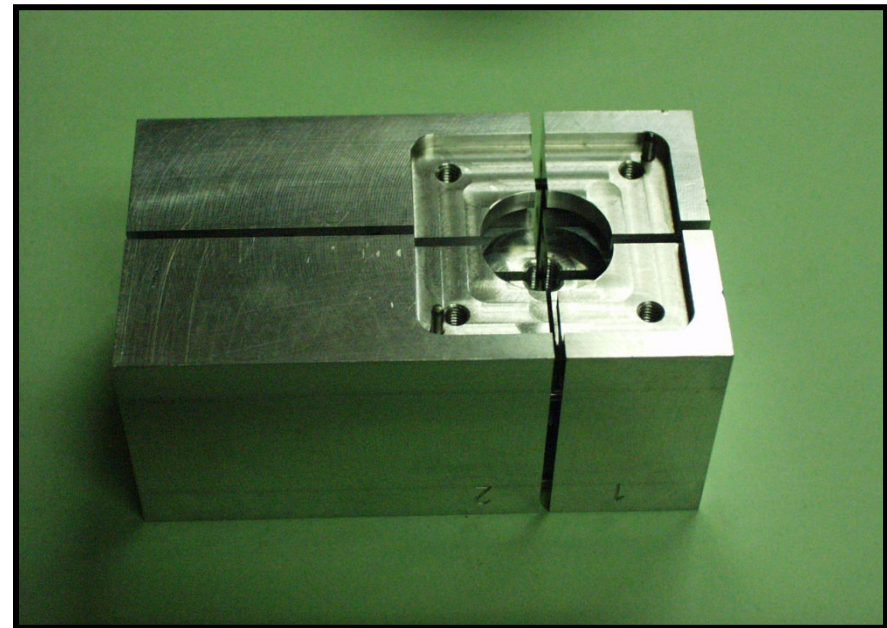
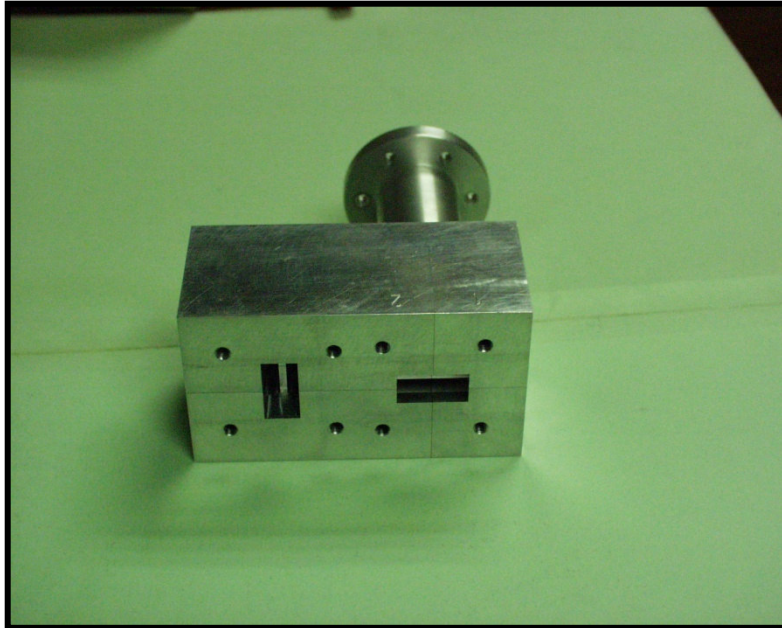


(evolution)



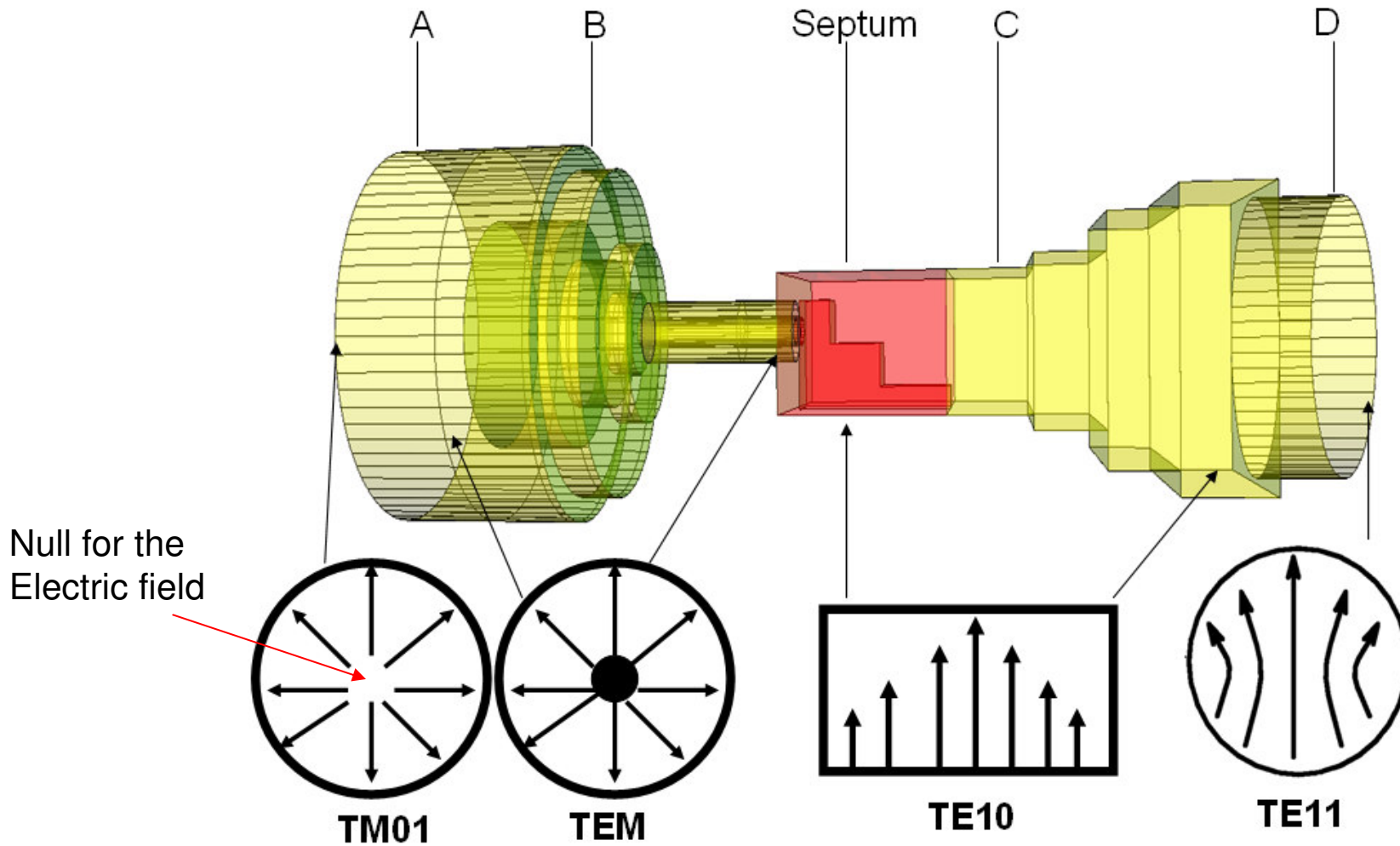
OMT – BROADBAND LINEAR POLARIZATION



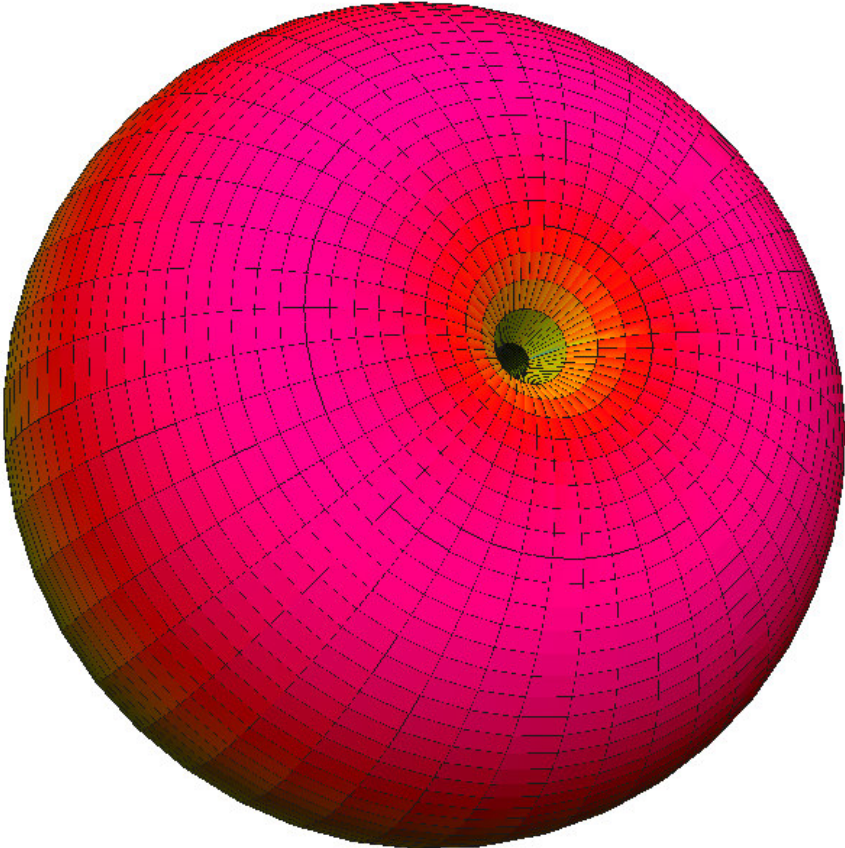


MODE CONVERTER TE11 to TM01

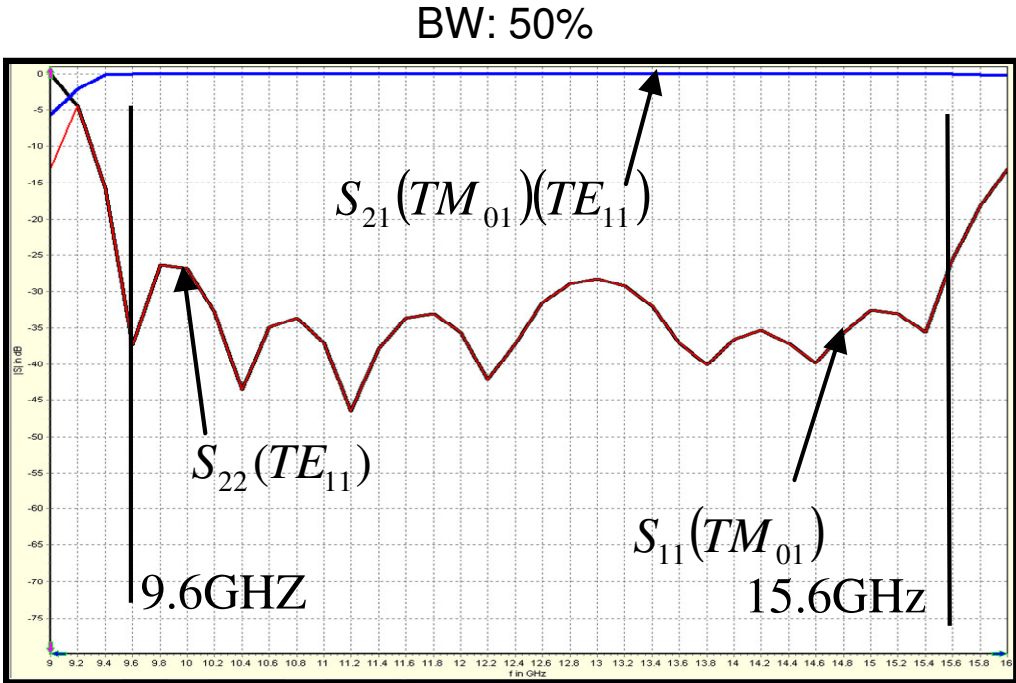
Transition from “a traditional circular TE11” to a “special circular TM01”
 → TM01 mode: null for the electric field along the waveguide axis
 to conduct electron beams or circuitry



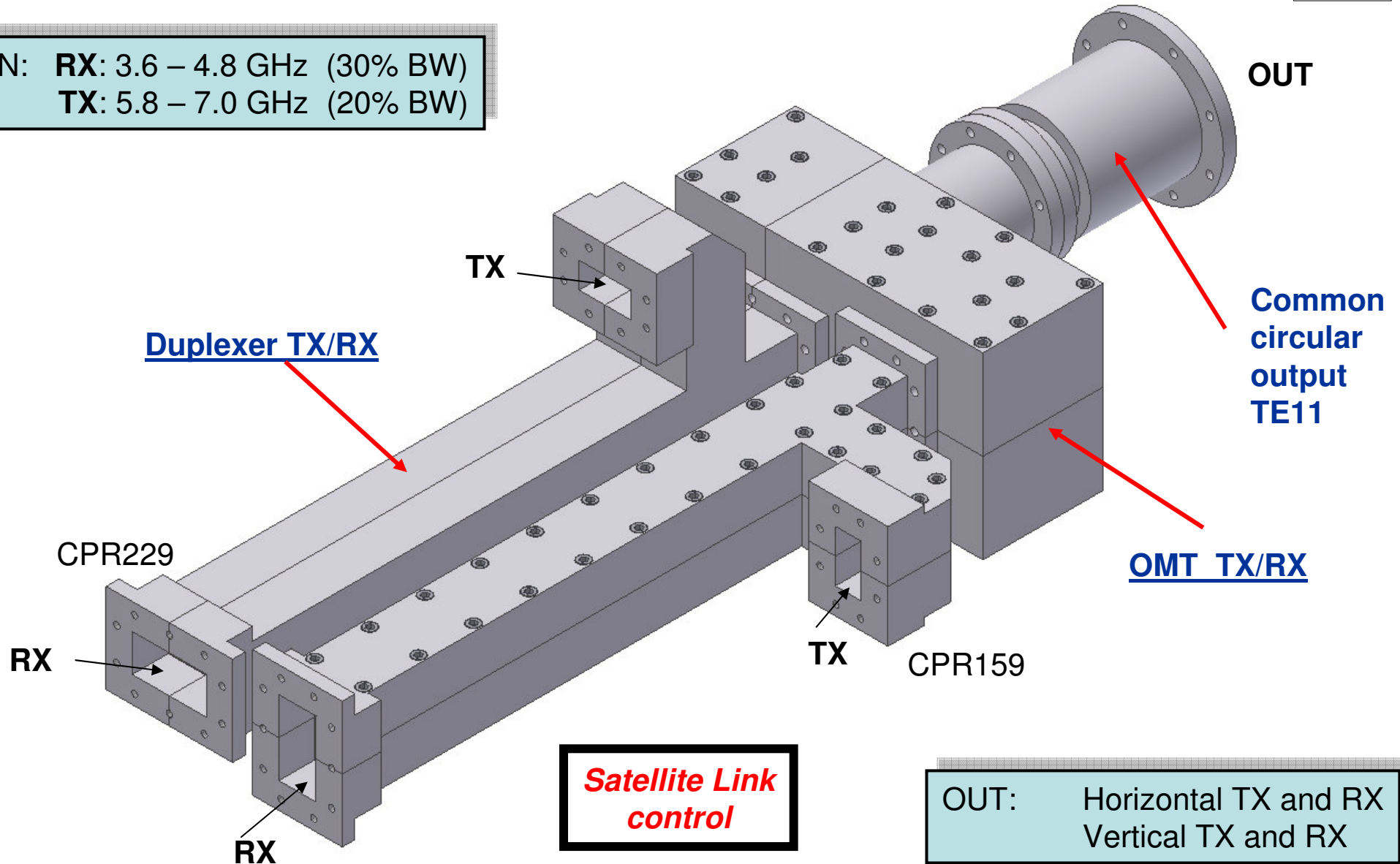
MODE CONVERTER TE11 to TM01



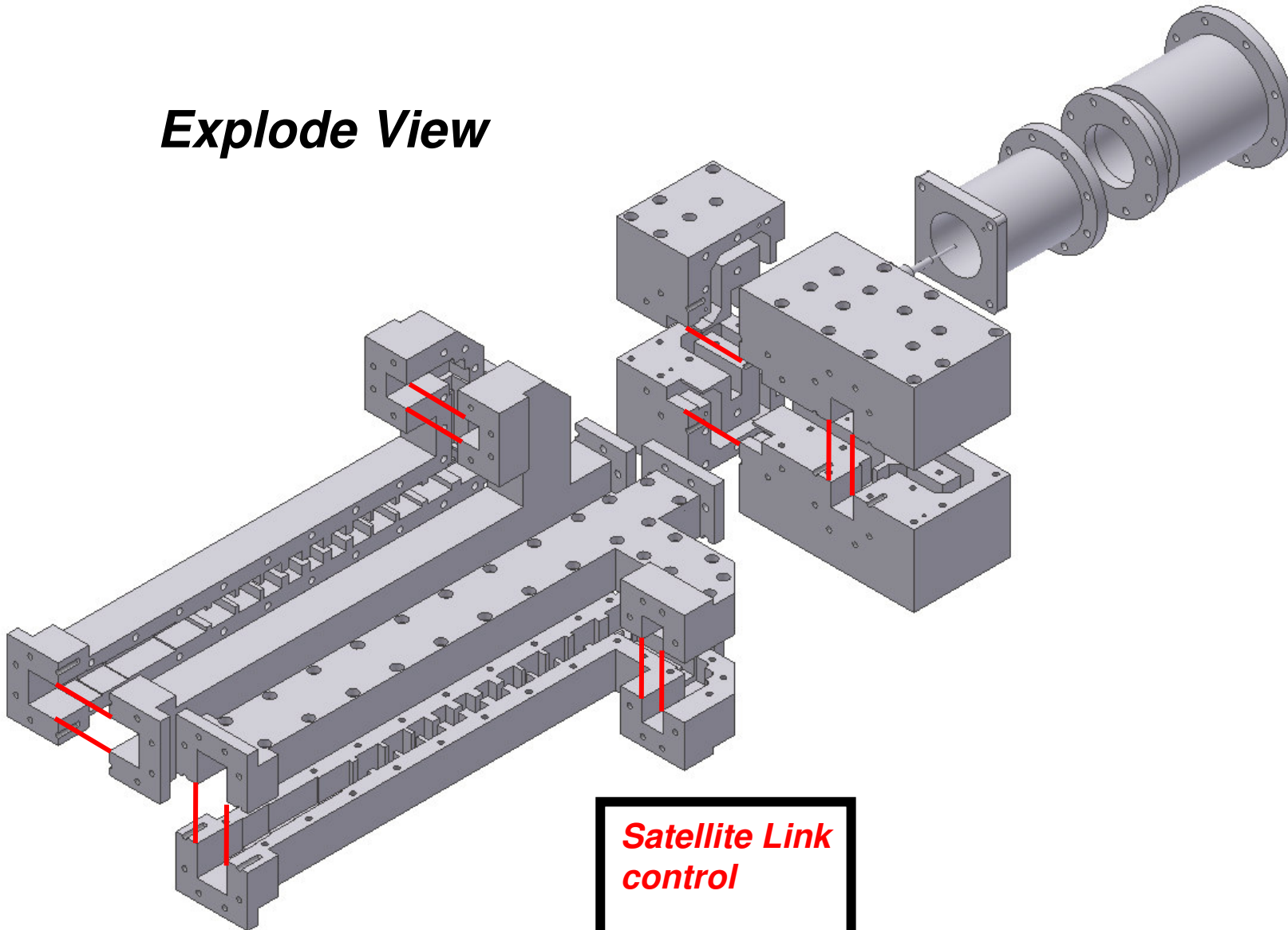
Radiation Diagram for the TM01 mode



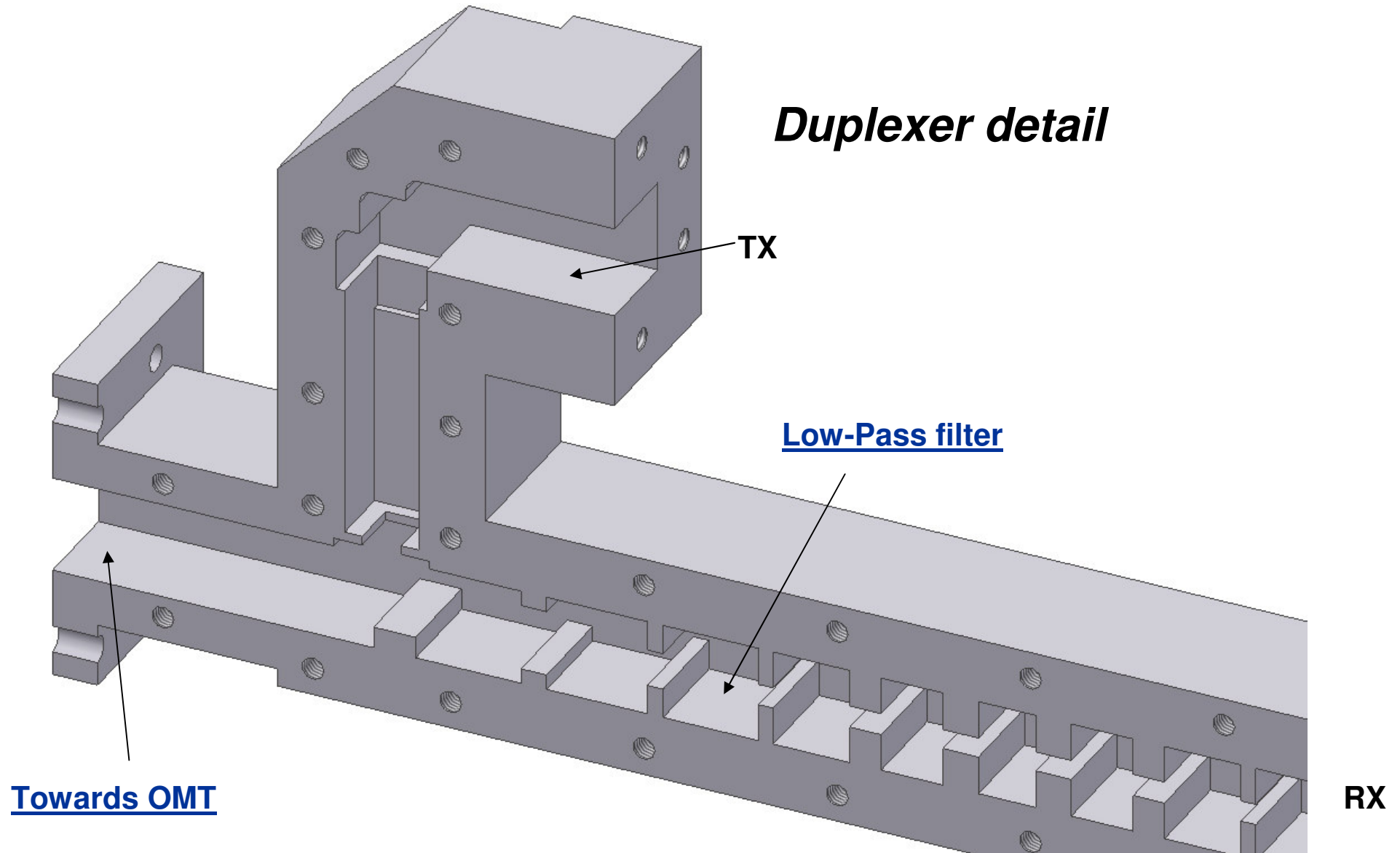
IN: **RX:** 3.6 – 4.8 GHz (30% BW)
TX: 5.8 – 7.0 GHz (20% BW)



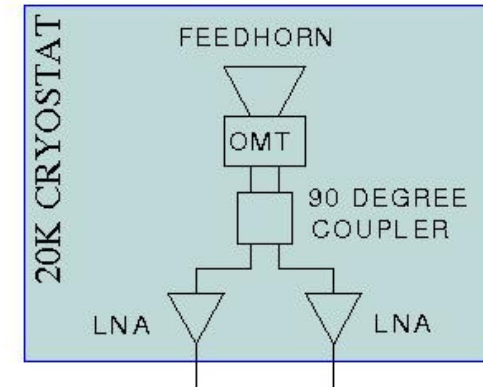
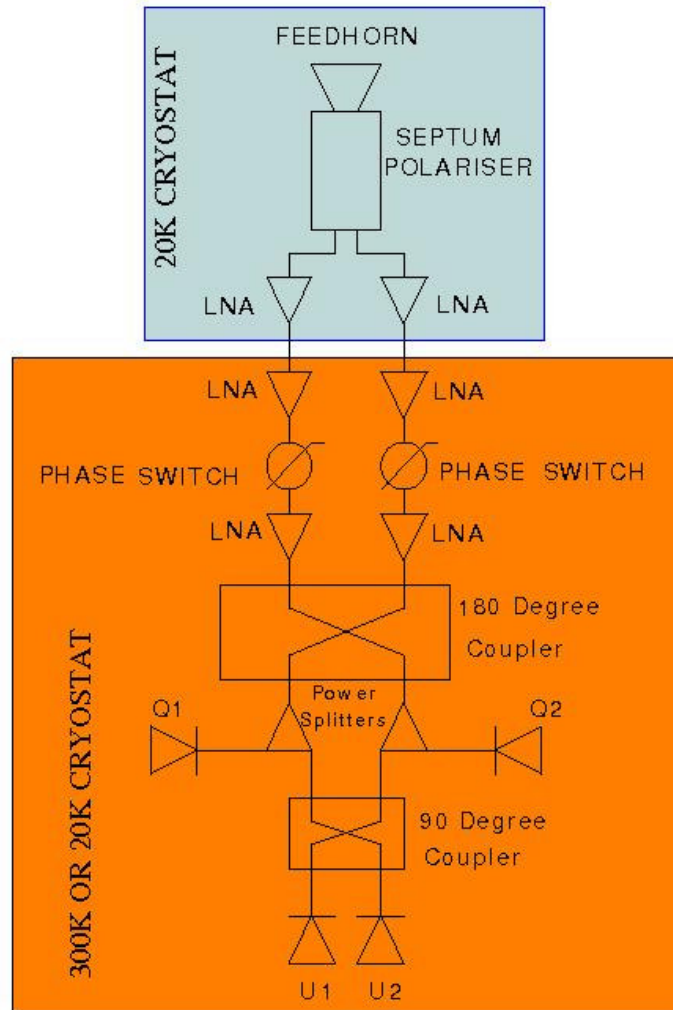
Explode View



**Satellite Link
control**

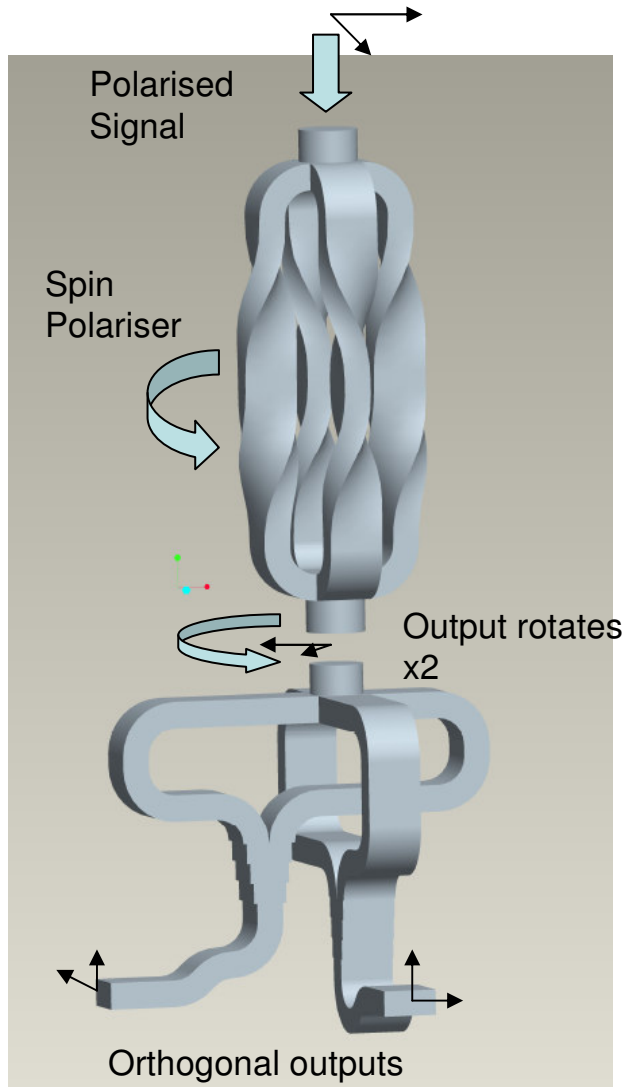


Measure the degree of Circular Polarization existing in the Cosmic microwave radiation.

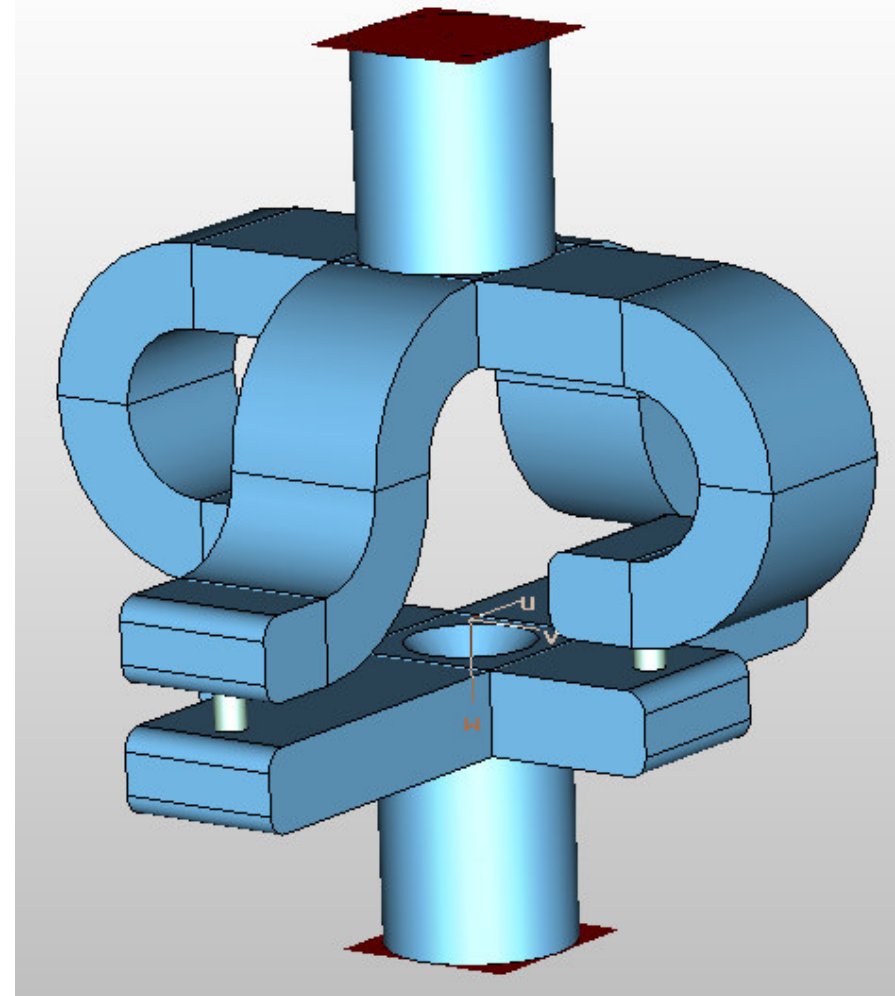


Alternative Broadband

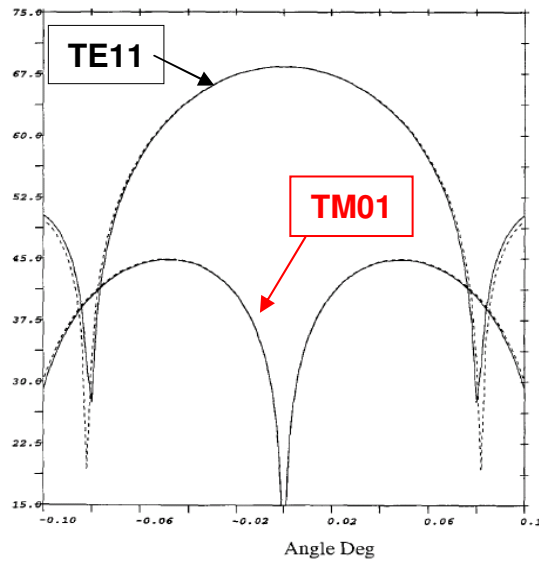
System using 2 turnstile at 45° and 180° phase shifters



Alternative using Coaxial Probes



Radiation diagram



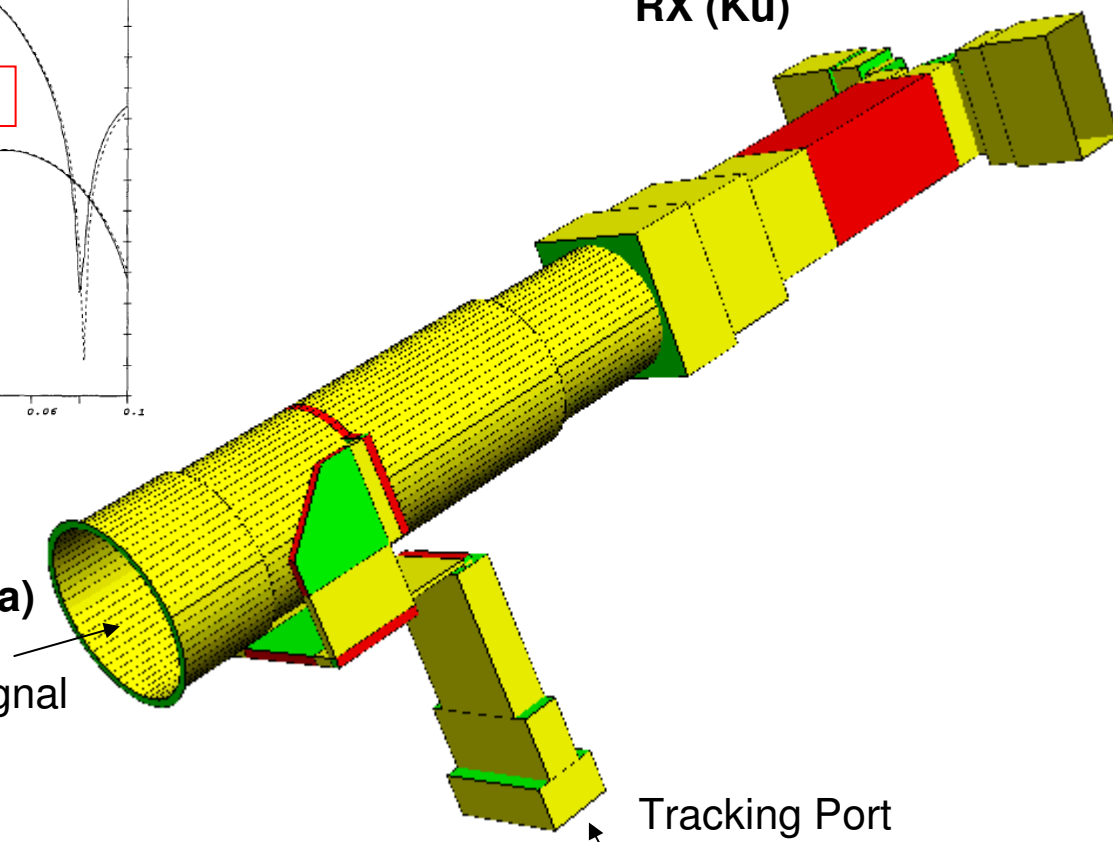
RX (Ku)

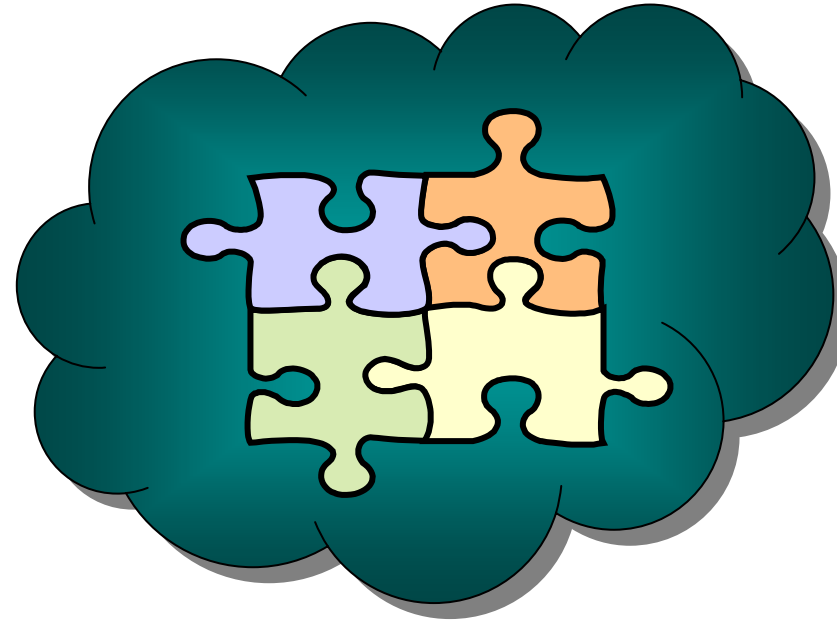
TX (Ku)

(Towards the antenna)

TE11 mode: Useful signal
TM01 mode : Tracking

Tracking Port





Limit is our Imagination

